MonoidalCategories

Monoidal and monoidal (co)closed categories

2024.09-05

12 September 2024

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Contents

Chapter 1

Monoidal Categories

1.1 Monoidal Categories

A 6-tuple $(\mathbf{C}, \otimes, 1, \alpha, \lambda, \rho)$ consisting of

- a category $\mathbf{C}$,
- a functor $\otimes : \mathbf{C} \times \mathbf{C} \to \mathbf{C}$ compatible with the congruence of morphisms,
- an object $1 \in \mathbf{C}$,
- a natural isomorphism $\alpha_{a,b,c} : a \otimes (b \otimes c) \cong (a \otimes b) \otimes c$,
- a natural isomorphism $\lambda_a : 1 \otimes a \cong a$,
- a natural isomorphism $\rho_a : a \otimes 1 \cong a$,

is called a *monoidal category*, if

- for all objects a, b, c, d, the pentagon identity holds:

$(\alpha_{a,b,c} \otimes \mathrm{id}_d) \circ \alpha_{a,b \otimes c,d} \circ (\mathrm{id}_a \otimes \alpha_{b,c,d}) \sim \alpha_{a \otimes b,c,d} \circ \alpha_{a,b,c \otimes d}$,

- for all objects a, c, the triangle identity holds:

$(\rho_a \otimes \mathrm{id}_c) \circ \alpha_{a,1,c} \sim \mathrm{id}_a \otimes \lambda_c$.

The corresponding GAP property is given by `IsMonoidalCategory`.

1.1.1 TensorProductOnMorphisms (for IsCapCategoryMorphism, IsCapCategoryMorphism)

▷ `TensorProductOnMorphisms(alpha, beta)` (operation)

Returns: a morphism in $\mathrm{Hom}(a \otimes b, a' \otimes b')$

The arguments are two morphisms $\alpha : a \to a', \beta : b \to b'$. The output is the tensor product $\alpha \otimes \beta$.

1.1.2 TensorProductOnMorphismsWithGivenTensorProducts (for IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `TensorProductOnMorphismsWithGivenTensorProducts(s, alpha, beta, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(a \otimes b, a' \otimes b')$

The arguments are an object $s = a \otimes b$, two morphisms $\alpha : a \rightarrow a', \beta : b \rightarrow b'$, and an object $r = a' \otimes b'$. The output is the tensor product $\alpha \otimes \beta$.

1.1.3 AssociatorRightToLeft (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `AssociatorRightToLeft(a, b, c)` (operation)

Returns: a morphism in $\mathrm{Hom}(a \otimes (b \otimes c), (a \otimes b) \otimes c)$.

The arguments are three objects a, b, c. The output is the associator $\alpha_{a,(b,c)} : a \otimes (b \otimes c) \rightarrow (a \otimes b) \otimes c$.

1.1.4 AssociatorRightToLeftWithGivenTensorProducts (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `AssociatorRightToLeftWithGivenTensorProducts(s, a, b, c, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(a \otimes (b \otimes c), (a \otimes b) \otimes c)$.

The arguments are an object $s = a \otimes (b \otimes c)$, three objects a, b, c, and an object $r = (a \otimes b) \otimes c$. The output is the associator $\alpha_{a,(b,c)} : a \otimes (b \otimes c) \rightarrow (a \otimes b) \otimes c$.

1.1.5 AssociatorLeftToRight (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `AssociatorLeftToRight(a, b, c)` (operation)

Returns: a morphism in $\mathrm{Hom}((a \otimes b) \otimes c \rightarrow a \otimes (b \otimes c))$.

The arguments are three objects a, b, c. The output is the associator $\alpha_{(a,b),c} : (a \otimes b) \otimes c \rightarrow a \otimes (b \otimes c)$.

1.1.6 AssociatorLeftToRightWithGivenTensorProducts (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `AssociatorLeftToRightWithGivenTensorProducts(s, a, b, c, r)` (operation)

Returns: a morphism in $\mathrm{Hom}((a \otimes b) \otimes c \rightarrow a \otimes (b \otimes c))$.

The arguments are an object $s = (a \otimes b) \otimes c$, three objects a, b, c, and an object $r = a \otimes (b \otimes c)$. The output is the associator $\alpha_{(a,b),c} : (a \otimes b) \otimes c \rightarrow a \otimes (b \otimes c)$.

1.1.7 LeftUnitor (for IsCapCategoryObject)

▷ `LeftUnitor(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(1 \otimes a, a)$

The argument is an object a. The output is the left unitor $\lambda_a : 1 \otimes a \rightarrow a$.

1.1.8 LeftUnitorWithGivenTensorProduct (for IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftUnitorWithGivenTensorProduct(a, s)` (operation)

Returns: a morphism in $\mathrm{Hom}(1 \otimes a, a)$

The arguments are an object a and an object $s = 1 \otimes a$. The output is the left unitor $\lambda_a : 1 \otimes a \to a$.

1.1.9 LeftUnitorInverse (for IsCapCategoryObject)

▷ `LeftUnitorInverse(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a, 1 \otimes a)$

The argument is an object a. The output is the inverse of the left unitor $\lambda_a^{-1} : a \to 1 \otimes a$.

1.1.10 LeftUnitorInverseWithGivenTensorProduct (for IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftUnitorInverseWithGivenTensorProduct(a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(a, 1 \otimes a)$

The argument is an object a and an object $r = 1 \otimes a$. The output is the inverse of the left unitor $\lambda_a^{-1} : a \to 1 \otimes a$.

1.1.11 RightUnitor (for IsCapCategoryObject)

▷ `RightUnitor(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a \otimes 1, a)$

The argument is an object a. The output is the right unitor $\rho_a : a \otimes 1 \to a$.

1.1.12 RightUnitorWithGivenTensorProduct (for IsCapCategoryObject, IsCapCategoryObject)

▷ `RightUnitorWithGivenTensorProduct(a, s)` (operation)

Returns: a morphism in $\mathrm{Hom}(a \otimes 1, a)$

The arguments are an object a and an object $s = a \otimes 1$. The output is the right unitor $\rho_a : a \otimes 1 \to a$.

1.1.13 RightUnitorInverse (for IsCapCategoryObject)

▷ `RightUnitorInverse(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a, a \otimes 1)$

The argument is an object a. The output is the inverse of the right unitor $\rho_a^{-1} : a \to a \otimes 1$.

1.1.14 RightUnitorInverseWithGivenTensorProduct (for IsCapCategoryObject, IsCapCategoryObject)

▷ `RightUnitorInverseWithGivenTensorProduct(a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(a, a \otimes 1)$

The arguments are an object a and an object $r = a \otimes 1$. The output is the inverse of the right unitor $\rho_a^{-1} : a \to a \otimes 1$.

1.1.15 TensorProductOnObjects (for IsCapCategoryObject, IsCapCategoryObject)

▷ `TensorProductOnObjects(a, b)` (operation)

Returns: an object

The arguments are two objects a, b. The output is the tensor product $a \otimes b$.

1.1.16 TensorUnit (for IsCapCategory)

▷ `TensorUnit(C)` (attribute)

Returns: an object

The argument is a category $\mathbf{C}$. The output is the tensor unit 1 of $\mathbf{C}$.

1.2 Additive Monoidal Categories

1.2.1 LeftDistributivityExpanding (for IsCapCategoryObject, IsList)

▷ `LeftDistributivityExpanding(a, L)` (operation)

Returns: a morphism in $\mathrm{Hom}(a \otimes (b_1 \oplus \cdots \oplus b_n), (a \otimes b_1) \oplus \cdots \oplus (a \otimes b_n))$

The arguments are an object a and a list of objects $L = (b_1, \dots, b_n)$. The output is the left distributivity morphism $a \otimes (b_1 \oplus \cdots \oplus b_n) \to (a \otimes b_1) \oplus \cdots \oplus (a \otimes b_n)$.

1.2.2 LeftDistributivityExpandingWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsList, IsCapCategoryObject)

▷ `LeftDistributivityExpandingWithGivenObjects(s, a, L, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s, r)$

The arguments are an object $s = a \otimes (b_1 \oplus \cdots \oplus b_n)$, an object a, a list of objects $L = (b_1, \dots, b_n)$, and an object $r = (a \otimes b_1) \oplus \cdots \oplus (a \otimes b_n)$. The output is the left distributivity morphism $s \to r$.

1.2.3 LeftDistributivityFactoring (for IsCapCategoryObject, IsList)

▷ `LeftDistributivityFactoring(a, L)` (operation)

Returns: a morphism in $\mathrm{Hom}((a \otimes b_1) \oplus \cdots \oplus (a \otimes b_n), a \otimes (b_1 \oplus \cdots \oplus b_n))$

The arguments are an object a and a list of objects $L = (b_1, \dots, b_n)$. The output is the left distributivity morphism $(a \otimes b_1) \oplus \cdots \oplus (a \otimes b_n) \to a \otimes (b_1 \oplus \cdots \oplus b_n)$.

1.2.4 LeftDistributivityFactoringWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsList, IsCapCategoryObject)

▷ `LeftDistributivityFactoringWithGivenObjects(s, a, L, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s, r)$

The arguments are an object $s = (a \otimes b_1) \oplus \cdots \oplus (a \otimes b_n)$, an object a, a list of objects $L = (b_1, \dots, b_n)$, and an object $r = a \otimes (b_1 \oplus \cdots \oplus b_n)$. The output is the left distributivity morphism $s \to r$.

1.2.5 RightDistributivityExpanding (for IsList, IsCapCategoryObject)

▷ `RightDistributivityExpanding(L, a)` (operation)

Returns: a morphism in $\mathrm{Hom}((b_1 \oplus \cdots \oplus b_n) \otimes a, (b_1 \otimes a) \oplus \cdots \oplus (b_n \otimes a))$

The arguments are a list of objects $L = (b_1, \ldots, b_n)$ and an object a. The output is the right distributivity morphism $(b_1 \oplus \cdots \oplus b_n) \otimes a \to (b_1 \otimes a) \oplus \cdots \oplus (b_n \otimes a)$.

1.2.6 RightDistributivityExpandingWithGivenObjects (for IsCapCategoryObject, IsList, IsCapCategoryObject, IsCapCategoryObject)

▷ `RightDistributivityExpandingWithGivenObjects(s, L, a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s, r)$

The arguments are an object $s = (b_1 \oplus \cdots \oplus b_n) \otimes a$, a list of objects $L = (b_1, \ldots, b_n)$, an object a, and an object $r = (b_1 \otimes a) \oplus \cdots \oplus (b_n \otimes a)$. The output is the right distributivity morphism $s \to r$.

1.2.7 RightDistributivityFactoring (for IsList, IsCapCategoryObject)

▷ `RightDistributivityFactoring(L, a)` (operation)

Returns: a morphism in $\mathrm{Hom}((b_1 \otimes a) \oplus \cdots \oplus (b_n \otimes a), (b_1 \oplus \cdots \oplus b_n) \otimes a)$

The arguments are a list of objects $L = (b_1, \ldots, b_n)$ and an object a. The output is the right distributivity morphism $(b_1 \otimes a) \oplus \cdots \oplus (b_n \otimes a) \to (b_1 \oplus \cdots \oplus b_n) \otimes a$.

1.2.8 RightDistributivityFactoringWithGivenObjects (for IsCapCategoryObject, IsList, IsCapCategoryObject, IsCapCategoryObject)

▷ `RightDistributivityFactoringWithGivenObjects(s, L, a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s, r)$

The arguments are an object $s = (b_1 \otimes a) \oplus \cdots \oplus (b_n \otimes a)$, a list of objects $L = (b_1, \ldots, b_n)$, an object a, and an object $r = (b_1 \oplus \cdots \oplus b_n) \otimes a$. The output is the right distributivity morphism $s \to r$.

1.3 Braided Monoidal Categories

A monoidal category $\mathbf{C}$ equipped with a natural isomorphism $B_{a,b} : a \otimes b \cong b \otimes a$ is called a *braided monoidal category* if

- $\lambda_a \circ B_{a,1} \sim \rho_a$,
- $(B_{c,a} \otimes \mathrm{id}_b) \circ \alpha_{c,a,b} \circ B_{a \otimes b,c} \sim \alpha_{a,c,b} \circ (\mathrm{id}_a \otimes B_{b,c}) \circ \alpha_{a,b,c}^{-1}$,
- $(\mathrm{id}_b \otimes B_{c,a}) \circ \alpha_{b,c,a}^{-1} \circ B_{a,b \otimes c} \sim \alpha_{b,a,c}^{-1} \circ (B_{a,b} \otimes \mathrm{id}_c) \circ \alpha_{a,b,c}$.

The corresponding GAP property is given by `IsBraidedMonoidalCategory`.

1.3.1 Braiding (for IsCapCategoryObject, IsCapCategoryObject)

▷ `Braiding(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(a \otimes b, b \otimes a)$.

The arguments are two objects a, b. The output is the braiding $B_{a,b} : a \otimes b \to b \otimes a$.

1.3.2 BraidingWithGivenTensorProducts (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `BraidingWithGivenTensorProducts(s, a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(a \otimes b, b \otimes a)$.

The arguments are an object $s = a \otimes b$, two objects a, b, and an object $r = b \otimes a$. The output is the braiding $B_{a,b} : a \otimes b \rightarrow b \otimes a$.

1.3.3 BraidingInverse (for IsCapCategoryObject, IsCapCategoryObject)

▷ `BraidingInverse(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(b \otimes a, a \otimes b)$.

The arguments are two objects a, b. The output is the inverse braiding $B_{a,b}^{-1} : b \otimes a \rightarrow a \otimes b$.

1.3.4 BraidingInverseWithGivenTensorProducts (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `BraidingInverseWithGivenTensorProducts(s, a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(b \otimes a, a \otimes b)$.

The arguments are an object $s = b \otimes a$, two objects a, b, and an object $r = a \otimes b$. The output is the inverse braiding $B_{a,b}^{-1} : b \otimes a \rightarrow a \otimes b$.

1.4 Symmetric Monoidal Categories

A braided monoidal category $\mathbf{C}$ is called *symmetric monoidal category* if $B_{a,b}^{-1} \sim B_{b,a}$. The corresponding GAP property is given by `IsSymmetricMonoidalCategory`.

1.5 Left Closed Monoidal Categories

A monoidal category $\mathbf{C}$ which has for each functor $- \otimes b : \mathbf{C} \rightarrow \mathbf{C}$ a right adjoint (denoted by $\underline{\mathrm{Hom}_\ell}(b, -)$) is called a *left closed monoidal category*.

If no operations involving left duals are installed manually, the left dual objects will be derived as $a^\vee := \underline{\mathrm{Hom}_\ell}(a, 1)$.

The corresponding GAP property is called `IsLeftClosedMonoidalCategory`.

1.5.1 LeftInternalHomOnObjects (for IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftInternalHomOnObjects(a, b)` (operation)

Returns: an object

The arguments are two objects a, b. The output is the internal hom object $\underline{\mathrm{Hom}_\ell}(a, b)$.

1.5.2 LeftInternalHomOnMorphisms (for IsCapCategoryMorphism, IsCapCategoryMorphism)

▷ `LeftInternalHomOnMorphisms(alpha, beta)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}_\ell}(a', b), \underline{\mathrm{Hom}_\ell}(a, b'))$

The arguments are two morphisms $\alpha : a \to a', \beta : b \to b'$. The output is the internal hom morphism $\underline{\mathrm{Hom}}_\ell(\alpha,\beta) : \underline{\mathrm{Hom}}_\ell(a',b) \to \underline{\mathrm{Hom}}_\ell(a,b')$.

1.5.3 LeftInternalHomOnMorphismsWithGivenLeftInternalHoms (for IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `LeftInternalHomOnMorphismsWithGivenLeftInternalHoms(s, alpha, beta, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$

The arguments are an object $s = \underline{\mathrm{Hom}}_\ell(a',b)$, two morphisms $\alpha : a \to a', \beta : b \to b'$, and an object $r = \underline{\mathrm{Hom}}_\ell(a,b')$. The output is the internal hom morphism $\underline{\mathrm{Hom}}_\ell(\alpha,\beta) : \underline{\mathrm{Hom}}_\ell(a',b) \to \underline{\mathrm{Hom}}_\ell(a,b')$.

1.5.4 LeftClosedMonoidalEvaluationMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftClosedMonoidalEvaluationMorphism(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}_\ell(a,b) \otimes a, b)$.

The arguments are two objects a,b. The output is the evaluation morphism $\mathrm{ev}_{a,b} : \underline{\mathrm{Hom}}_\ell(a,b) \otimes a \to b$, i.e., the counit of the tensor hom adjunction.

1.5.5 LeftClosedMonoidalEvaluationMorphismWithGivenSource (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftClosedMonoidalEvaluationMorphismWithGivenSource(a, b, s)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,b)$.

The arguments are two objects a,b and an object $s = \underline{\mathrm{Hom}}_\ell(a,b) \otimes a$. The output is the evaluation morphism $\mathrm{ev}_{a,b} : \underline{\mathrm{Hom}}_\ell(a,b) \otimes a \to b$, i.e., the counit of the tensor hom adjunction.

1.5.6 LeftClosedMonoidalCoevaluationMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftClosedMonoidalCoevaluationMorphism(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(b, \underline{\mathrm{Hom}}_\ell(a, b \otimes a))$.

The arguments are two objects a,b. The output is the coevaluation morphism $\mathrm{coev}_{a,b} : b \to \underline{\mathrm{Hom}}_\ell(a, b \otimes a)$, i.e., the unit of the tensor hom adjunction.

1.5.7 LeftClosedMonoidalCoevaluationMorphismWithGivenRange (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftClosedMonoidalCoevaluationMorphismWithGivenRange(a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(b,r)$.

The arguments are two objects a,b and an object $r = \underline{\mathrm{Hom}}_\ell(a, b \otimes a)$. The output is the coevaluation morphism $\mathrm{coev}_{a,b} : b \to \underline{\mathrm{Hom}}_\ell(a, b \otimes a)$, i.e., the unit of the tensor hom adjunction.

1.5.8 TensorProductToLeftInternalHomAdjunctMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `TensorProductToLeftInternalHomAdjunctMorphism(a, b, f)` (operation)

Returns: a morphism in $\mathrm{Hom}(a, \underline{\mathrm{Hom}}_\ell(b,c))$.

The arguments are two objects a,b and a morphism $f : a \otimes b \to c$. The output is a morphism $g : a \to \underline{\mathrm{Hom}}_\ell(b,c)$ corresponding to f under the tensor hom adjunction.

1.5.9 TensorProductToLeftInternalHomAdjunctMorphismWithGivenLeftInternalHom (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `TensorProductToLeftInternalHomAdjunctMorphismWithGivenLeftInternalHom(a, b, f, i)` (operation)

Returns: a morphism in $\mathrm{Hom}(a,i)$.

The arguments are two objects a,b, a morphism $f : a \otimes b \to c$ and an object $i = \underline{\mathrm{Hom}}_\ell(b,c)$. The output is a morphism $g : a \to \underline{\mathrm{Hom}}_\ell(b,c)$ corresponding to f under the tensor hom adjunction.

1.5.10 LeftInternalHomToTensorProductAdjunctMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `LeftInternalHomToTensorProductAdjunctMorphism(b, c, g)` (operation)

Returns: a morphism in $\mathrm{Hom}(a \otimes b, c)$.

The arguments are two objects b,c and a morphism $g : a \to \underline{\mathrm{Hom}}_\ell(b,c)$. The output is a morphism $f : a \otimes b \to c$ corresponding to g under the tensor hom adjunction.

1.5.11 LeftInternalHomToTensorProductAdjunctMorphismWithGivenTensorProduct (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `LeftInternalHomToTensorProductAdjunctMorphismWithGivenTensorProduct(b, c, g, t)` (operation)

Returns: a morphism in $\mathrm{Hom}(t,c)$.

The arguments are two objects b,c, a morphism $g : a \to \underline{\mathrm{Hom}}_\ell(b,c)$ and an object $t = a \otimes b$. The output is a morphism $f : a \otimes b \to c$ corresponding to g under the tensor hom adjunction.

1.5.12 LeftClosedMonoidalPreComposeMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftClosedMonoidalPreComposeMorphism(a, b, c)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}_\ell(a,b) \otimes \underline{\mathrm{Hom}}_\ell(b,c), \underline{\mathrm{Hom}}_\ell(a,c))$.

The arguments are three objects a,b,c. The output is the precomposition morphism $\mathrm{LeftClosedMonoidalPreComposeMorphism}_{a,b,c} : \underline{\mathrm{Hom}}_\ell(a,b) \otimes \underline{\mathrm{Hom}}_\ell(b,c) \to \underline{\mathrm{Hom}}_\ell(a,c)$.

1.5.13 LeftClosedMonoidalPreComposeMorphismWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftClosedMonoidalPreComposeMorphismWithGivenObjects(s, a, b, c, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = \underline{\mathrm{Hom}_\ell}(a,b) \otimes \underline{\mathrm{Hom}_\ell}(b,c)$, three objects a,b,c, and an object $r = \underline{\mathrm{Hom}_\ell}(a,c)$. The output is the precomposition morphism $\mathrm{LeftClosedMonoidalPreComposeMorphismWithGivenObjects}_{a,b,c} : \underline{\mathrm{Hom}_\ell}(a,b) \otimes \underline{\mathrm{Hom}_\ell}(b,c) \to \underline{\mathrm{Hom}_\ell}(a,c)$.

1.5.14 LeftClosedMonoidalPostComposeMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftClosedMonoidalPostComposeMorphism(a, b, c)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}_\ell}(b,c) \otimes \underline{\mathrm{Hom}_\ell}(a,b), \underline{\mathrm{Hom}_\ell}(a,c))$.

The arguments are three objects a,b,c. The output is the postcomposition morphism $\mathrm{LeftClosedMonoidalPostComposeMorphism}_{a,b,c} : \underline{\mathrm{Hom}_\ell}(b,c) \otimes \underline{\mathrm{Hom}_\ell}(a,b) \to \underline{\mathrm{Hom}_\ell}(a,c)$.

1.5.15 LeftClosedMonoidalPostComposeMorphismWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftClosedMonoidalPostComposeMorphismWithGivenObjects(s, a, b, c, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = \underline{\mathrm{Hom}_\ell}(b,c) \otimes \underline{\mathrm{Hom}_\ell}(a,b)$, three objects a,b,c, and an object $r = \underline{\mathrm{Hom}_\ell}(a,c)$. The output is the postcomposition morphism $\mathrm{LeftClosedMonoidalPostComposeMorphismWithGivenObjects}_{a,b,c} : \underline{\mathrm{Hom}_\ell}(b,c) \otimes \underline{\mathrm{Hom}_\ell}(a,b) \to \underline{\mathrm{Hom}_\ell}(a,c)$.

1.5.16 LeftDualOnObjects (for IsCapCategoryObject)

▷ `LeftDualOnObjects(a)` (attribute)

Returns: an object

The argument is an object a. The output is its dual object $a^\vee$.

1.5.17 LeftDualOnMorphisms (for IsCapCategoryMorphism)

▷ `LeftDualOnMorphisms(alpha)` (attribute)

Returns: a morphism in $\mathrm{Hom}(b^\vee, a^\vee)$.

The argument is a morphism $\alpha : a \to b$. The output is its dual morphism $\alpha^\vee : b^\vee \to a^\vee$.

1.5.18 LeftDualOnMorphismsWithGivenLeftDuals (for IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `LeftDualOnMorphismsWithGivenLeftDuals(s, alpha, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The argument is an object $s = b^\vee$, a morphism $\alpha : a \rightarrow b$, and an object $r = a^\vee$. The output is the dual morphism $\alpha^\vee : b^\vee \rightarrow a^\vee$.

1.5.19 LeftClosedMonoidalEvaluationForLeftDual (for IsCapCategoryObject)

▷ `LeftClosedMonoidalEvaluationForLeftDual(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a^\vee \otimes a, 1)$.

The argument is an object a. The output is the evaluation morphism $\mathrm{ev}_a : a^\vee \otimes a \rightarrow 1$.

1.5.20 LeftClosedMonoidalEvaluationForLeftDualWithGivenTensorProduct (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftClosedMonoidalEvaluationForLeftDualWithGivenTensorProduct(s, a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = a^\vee \otimes a$, an object a, and an object $r = 1$. The output is the evaluation morphism $\mathrm{ev}_a : a^\vee \otimes a \rightarrow 1$.

1.5.21 MorphismToLeftBidual (for IsCapCategoryObject)

▷ `MorphismToLeftBidual(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a,(a^\vee)^\vee)$.

The argument is an object a. The output is the morphism to the bidual $a \rightarrow (a^\vee)^\vee$.

1.5.22 MorphismToLeftBidualWithGivenLeftBidual (for IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismToLeftBidualWithGivenLeftBidual(a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(a,r)$.

The arguments are an object a, and an object $r = (a^\vee)^\vee$. The output is the morphism to the bidual $a \rightarrow (a^\vee)^\vee$.

1.5.23 TensorProductLeftInternalHomCompatibilityMorphism (for IsList)

▷ `TensorProductLeftInternalHomCompatibilityMorphism(list)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}_\ell(a,a') \otimes \underline{\mathrm{Hom}}_\ell(b,b'), \underline{\mathrm{Hom}}_\ell(a \otimes b, a' \otimes b'))$.

The argument is a list of four objects $[a,a',b,b']$. The output is the natural morphism $\mathrm{TensorProductLeftInternalHomCompatibilityMorphism}_{a,a',b,b'} : \underline{\mathrm{Hom}}_\ell(a,a') \otimes \underline{\mathrm{Hom}}_\ell(b,b') \rightarrow \underline{\mathrm{Hom}}_\ell(a \otimes b, a' \otimes b')$.

1.5.24 TensorProductLeftInternalHomCompatibilityMorphismWithGivenObjects (for IsCapCategoryObject, IsList, IsCapCategoryObject)

▷ `TensorProductLeftInternalHomCompatibilityMorphismWithGivenObjects(s, list, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are a list of four objects $[a,a',b,b']$, and two objects $s = \underline{\mathrm{Hom}}_\ell(a,a') \otimes \underline{\mathrm{Hom}}_\ell(b,b')$ and $r = \underline{\mathrm{Hom}}_\ell(a \otimes b, a' \otimes b')$. The output is the natural morphism

TensorProductLeftInternalHomCompatibilityMorphismWithGivenObjects$_{a,a',b,b'}$: $\underline{\mathrm{Hom}}_\ell(a,a') \otimes \underline{\mathrm{Hom}}_\ell(b,b') \to \underline{\mathrm{Hom}}_\ell(a\otimes b, a'\otimes b')$.

1.5.25 TensorProductLeftDualityCompatibilityMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `TensorProductLeftDualityCompatibilityMorphism(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(a^\vee \otimes b^\vee, (a\otimes b)^\vee)$.

The arguments are two objects a,b. The output is the natural morphism TensorProductLeftDualityCompatibilityMorphism : $a^\vee \otimes b^\vee \to (a\otimes b)^\vee$.

1.5.26 TensorProductLeftDualityCompatibilityMorphismWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `TensorProductLeftDualityCompatibilityMorphismWithGivenObjects(s, a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = a^\vee \otimes b^\vee$, two objects a,b, and an object $r = (a\otimes b)^\vee$. The output is the natural morphism TensorProductLeftDualityCompatibilityMorphismWithGivenObjects$_{a,b}$: $a^\vee \otimes b^\vee \to (a\otimes b)^\vee$.

1.5.27 MorphismFromTensorProductToLeftInternalHom (for IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismFromTensorProductToLeftInternalHom(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(a^\vee \otimes b, \underline{\mathrm{Hom}}_\ell(a,b))$.

The arguments are two objects a,b. The output is the natural morphism MorphismFromTensorProductToLeftInternalHom$_{a,b}$: $a^\vee \otimes b \to \underline{\mathrm{Hom}}_\ell(a,b)$.

1.5.28 MorphismFromTensorProductToLeftInternalHomWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismFromTensorProductToLeftInternalHomWithGivenObjects(s, a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = a^\vee \otimes b$, two objects a,b, and an object $r = \underline{\mathrm{Hom}}_\ell(a,b)$. The output is the natural morphism MorphismFromTensorProductToLeftInternalHomWithGivenObjects$_{a,b}$: $a^\vee \otimes b \to \underline{\mathrm{Hom}}_\ell(a,b)$.

1.5.29 IsomorphismFromLeftDualObjectToLeftInternalHomIntoTensorUnit (for IsCapCategoryObject)

▷ `IsomorphismFromLeftDualObjectToLeftInternalHomIntoTensorUnit(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a^\vee, \underline{\mathrm{Hom}}_\ell(a,1))$.

The argument is an object a. The output is the isomorphism IsomorphismFromLeftDualObjectToLeftInternalHomIntoTensorUnit$_a$: $a^\vee \to \underline{\mathrm{Hom}}_\ell(a,1)$.

1.5.30 IsomorphismFromLeftInternalHomIntoTensorUnitToLeftDualObject (for IsCapCategoryObject)

▷ `IsomorphismFromLeftInternalHomIntoTensorUnitToLeftDualObject(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}_\ell(a,1),a^\vee)$.

The argument is an object a. The output is the isomorphism $\mathrm{IsomorphismFromLeftInternalHomIntoTensorUnitToLeftDualObject}_a : \underline{\mathrm{Hom}}_\ell(a,1) \rightarrow a^\vee$.

1.5.31 UniversalPropertyOfLeftDual (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `UniversalPropertyOfLeftDual(t, a, alpha)` (operation)

Returns: a morphism in $\mathrm{Hom}(t,a^\vee)$.

The arguments are two objects t,a, and a morphism $\alpha : t \otimes a \rightarrow 1$. The output is the morphism $t \rightarrow a^\vee$ given by the universal property of $a^\vee$.

1.5.32 LeftClosedMonoidalLambdaIntroduction (for IsCapCategoryMorphism)

▷ `LeftClosedMonoidalLambdaIntroduction(alpha)` (attribute)

Returns: a morphism in $\mathrm{Hom}(1,\underline{\mathrm{Hom}}_\ell(a,b))$.

The argument is a morphism $\alpha : a \rightarrow b$. The output is the corresponding morphism $1 \rightarrow \underline{\mathrm{Hom}}_\ell(a,b)$ under the tensor hom adjunction.

1.5.33 LeftClosedMonoidalLambdaElimination (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `LeftClosedMonoidalLambdaElimination(a, b, alpha)` (operation)

Returns: a morphism in $\mathrm{Hom}(a,b)$.

The arguments are two objects a,b, and a morphism $\alpha : 1 \rightarrow \underline{\mathrm{Hom}}_\ell(a,b)$. The output is a morphism $a \rightarrow b$ corresponding to α under the tensor hom adjunction.

1.5.34 IsomorphismFromObjectToLeftInternalHom (for IsCapCategoryObject)

▷ `IsomorphismFromObjectToLeftInternalHom(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a,\underline{\mathrm{Hom}}_\ell(1,a))$.

The argument is an object a. The output is the natural isomorphism $a \rightarrow \underline{\mathrm{Hom}}_\ell(1,a)$.

1.5.35 IsomorphismFromObjectToLeftInternalHomWithGivenLeftInternalHom (for IsCapCategoryObject, IsCapCategoryObject)

▷ `IsomorphismFromObjectToLeftInternalHomWithGivenLeftInternalHom(a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(a,r)$.

The argument is an object a, and an object $r = \underline{\mathrm{Hom}}_\ell(1,a)$. The output is the natural isomorphism $a \rightarrow \underline{\mathrm{Hom}}_\ell(1,a)$.

1.5.36 IsomorphismFromLeftInternalHomToObject (for IsCapCategoryObject)

▷ `IsomorphismFromLeftInternalHomToObject(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}_\ell(1,a),a)$.

The argument is an object a. The output is the natural isomorphism $\underline{\mathrm{Hom}}_\ell(1,a) \to a$.

1.5.37 IsomorphismFromLeftInternalHomToObjectWithGivenLeftInternalHom (for IsCapCategoryObject, IsCapCategoryObject)

▷ `IsomorphismFromLeftInternalHomToObjectWithGivenLeftInternalHom(a, s)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,a)$.

The argument is an object a, and an object $s = \underline{\mathrm{Hom}}_\ell(1,a)$. The output is the natural isomorphism $\underline{\mathrm{Hom}}_\ell(1,a) \to a$.

1.6 Closed Monoidal Categories

A monoidal category $\mathbf{C}$ which has for each functor $- \otimes b : \mathbf{C} \to \mathbf{C}$ a right adjoint (denoted by $\underline{\mathrm{Hom}}_\ell(b,-)$) is called a *closed monoidal category*.

If no operations involving duals are installed manually, the dual objects will be derived as $a^\vee := \underline{\mathrm{Hom}}_\ell(a,1)$.

The corresponding GAP property is called `IsClosedMonoidalCategory`.

1.6.1 InternalHomOnObjects (for IsCapCategoryObject, IsCapCategoryObject)

▷ `InternalHomOnObjects(a, b)` (operation)

Returns: an object

The arguments are two objects a,b. The output is the internal hom object $\underline{\mathrm{Hom}}(a,b)$.

1.6.2 InternalHomOnMorphisms (for IsCapCategoryMorphism, IsCapCategoryMorphism)

▷ `InternalHomOnMorphisms(alpha, beta)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}(a',b),\underline{\mathrm{Hom}}(a,b'))$

The arguments are two morphisms $\alpha : a \to a', \beta : b \to b'$. The output is the internal hom morphism $\underline{\mathrm{Hom}}(\alpha,\beta) : \underline{\mathrm{Hom}}(a',b) \to \underline{\mathrm{Hom}}(a,b')$.

1.6.3 InternalHomOnMorphismsWithGivenInternalHoms (for IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `InternalHomOnMorphismsWithGivenInternalHoms(s, alpha, beta, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$

The arguments are an object $s = \underline{\mathrm{Hom}}(a',b)$, two morphisms $\alpha : a \to a', \beta : b \to b'$, and an object $r = \underline{\mathrm{Hom}}(a,b')$. The output is the internal hom morphism $\underline{\mathrm{Hom}}(\alpha,\beta) : \underline{\mathrm{Hom}}(a',b) \to \underline{\mathrm{Hom}}(a,b')$.

1.6.4 ClosedMonoidalRightEvaluationMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `ClosedMonoidalRightEvaluationMorphism(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(a \otimes \underline{\mathrm{Hom}}(a,b), b)$.

The arguments are two objects a, b. The output is the right evaluation morphism $\mathrm{ev}_{a,b} : a \otimes \underline{\mathrm{Hom}}(a,b) \to b$, i.e., the counit of the tensor hom adjunction.

1.6.5 ClosedMonoidalRightEvaluationMorphismWithGivenSource (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `ClosedMonoidalRightEvaluationMorphismWithGivenSource(a, b, s)` (operation)

Returns: a morphism in $\mathrm{Hom}(s, b)$.

The arguments are two objects a, b and an object $s = a \otimes \underline{\mathrm{Hom}}(a,b)$. The output is the right evaluation morphism $\mathrm{ev}_{a,b} : a \otimes \underline{\mathrm{Hom}}(a,b) \to b$, i.e., the counit of the tensor hom adjunction.

1.6.6 ClosedMonoidalRightCoevaluationMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `ClosedMonoidalRightCoevaluationMorphism(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(b, \underline{\mathrm{Hom}}(a, a \otimes b))$.

The arguments are two objects a, b. The output is the right coevaluation morphism $\mathrm{coev}_{a,b} : b \to \underline{\mathrm{Hom}}(a, a \otimes b)$, i.e., the unit of the tensor hom adjunction.

1.6.7 ClosedMonoidalRightCoevaluationMorphismWithGivenRange (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `ClosedMonoidalRightCoevaluationMorphismWithGivenRange(a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(b, r)$.

The arguments are two objects a, b and an object $r = \underline{\mathrm{Hom}}(a, a \otimes b)$. The output is the right coevaluation morphism $\mathrm{coev}_{a,b} : b \to \underline{\mathrm{Hom}}(a, a \otimes b)$, i.e., the unit of the tensor hom adjunction.

1.6.8 TensorProductToInternalHomRightAdjunctMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `TensorProductToInternalHomRightAdjunctMorphism(a, b, f)` (operation)

Returns: a morphism in $\mathrm{Hom}(b, \underline{\mathrm{Hom}}(a, c))$.

The arguments are two objects a, b and a morphism $f : a \otimes b \to c$. The output is a morphism $g : b \to \underline{\mathrm{Hom}}(a, c)$ corresponding to f under the tensor hom adjunction.

1.6.9 TensorProductToInternalHomRightAdjunctMorphismWithGivenInternalHom (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `TensorProductToInternalHomRightAdjunctMorphismWithGivenInternalHom(a, b, f, i)` (operation)

Returns: a morphism in $\mathrm{Hom}(b, i)$.

The arguments are two objects a, b, a morphism $f : a \otimes b \to c$ and an object $i = \underline{\mathrm{Hom}}(a, c)$. The output is a morphism $g : b \to i$ corresponding to f under the tensor hom adjunction.

1.6.10 TensorProductToInternalHomRightAdjunctionIsomorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `TensorProductToInternalHomRightAdjunctionIsomorphism(a, b, c)` (operation)

Returns: a morphism in $\mathrm{Hom}(H(a \otimes b, c), H(b, \underline{\mathrm{Hom}}(a, c)))$.

The arguments are three objects a, b, c. The output is the tri-natural isomorphism $H(a \otimes b, c) \to H(b, \underline{\mathrm{Hom}}(a, c))$ in the range category of the homomorphism structure H.

1.6.11 TensorProductToInternalHomRightAdjunctionIsomorphismWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `TensorProductToInternalHomRightAdjunctionIsomorphismWithGivenObjects(s, a, b, c, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s, r)$.

The arguments are fives objects s, a, b, c, r where $s = H(a \otimes b, c)$ and $r = H(b, \underline{\mathrm{Hom}}(a, c))$. The output is the tri-natural isomorphism $s \to r$ in the range category of the homomorphism structure H.

1.6.12 InternalHomToTensorProductRightAdjunctMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `InternalHomToTensorProductRightAdjunctMorphism(a, c, g)` (operation)

Returns: a morphism in $\mathrm{Hom}(a \otimes b, c)$.

The arguments are two objects a, c and a morphism $g : b \to \underline{\mathrm{Hom}}(a, c)$. The output is a morphism $f : a \otimes b \to c$ corresponding to g under the tensor hom adjunction.

1.6.13 InternalHomToTensorProductRightAdjunctMorphismWithGivenTensorProduct (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `InternalHomToTensorProductRightAdjunctMorphismWithGivenTensorProduct(a, c, g, s)` (operation)

Returns: a morphism in $\mathrm{Hom}(s, c)$.

The arguments are two objects a, c, a morphism $g : b \to \underline{\mathrm{Hom}}(a, c)$ and an object $s = a \otimes b$. The output is a morphism $f : s \to c$ corresponding to g under the tensor hom adjunction.

1.6.14 InternalHomToTensorProductRightAdjunctionIsomorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `InternalHomToTensorProductRightAdjunctionIsomorphism(a, b, c)` (operation)

Returns: a morphism in $\mathrm{Hom}(H(b, \underline{\mathrm{Hom}}(a, c)), H(a \otimes b, c))$.

The arguments are three objects a, b, c. The output is the tri-natural isomorphism $H(b, \underline{\mathrm{Hom}}(a, c)) \to H(a \otimes b, c)$ in the range category of the homomorphism structure H.

1.6.15 InternalHomToTensorProductRightAdjunctionIsomorphismWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `InternalHomToTensorProductRightAdjunctionIsomorphismWithGivenObjects(s, a, b, c, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are fives objects s,a,b,c,r where $s = H(b,\underline{\mathrm{Hom}}(a,c))$ and $r = H(a \otimes b,c)$. The output is the tri-natural isomorphism $s \to r$ in the range category of the homomorphism structure H.

1.6.16 ClosedMonoidalLeftEvaluationMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `ClosedMonoidalLeftEvaluationMorphism(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}(a,b) \otimes a, b)$.

The arguments are two objects a,b. The output is the left evaluation morphism $\mathrm{ev}_{a,b} : \underline{\mathrm{Hom}}(a,b) \otimes a \to b$, i.e., the counit of the tensor hom adjunction.

1.6.17 ClosedMonoidalLeftEvaluationMorphismWithGivenSource (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `ClosedMonoidalLeftEvaluationMorphismWithGivenSource(a, b, s)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,b)$.

The arguments are two objects a,b and an object $s = \underline{\mathrm{Hom}}(a,b) \otimes a$. The output is the left evaluation morphism $\mathrm{ev}_{a,b} : \underline{\mathrm{Hom}}(a,b) \otimes a \to b$, i.e., the counit of the tensor hom adjunction.

1.6.18 ClosedMonoidalLeftCoevaluationMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `ClosedMonoidalLeftCoevaluationMorphism(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(b,\underline{\mathrm{Hom}}(a,b \otimes a))$.

The arguments are two objects a,b. The output is the left coevaluation morphism $\mathrm{coev}_{a,b} : b \to \underline{\mathrm{Hom}}(a,b \otimes a)$, i.e., the unit of the tensor hom adjunction.

1.6.19 ClosedMonoidalLeftCoevaluationMorphismWithGivenRange (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `ClosedMonoidalLeftCoevaluationMorphismWithGivenRange(a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(b,r)$.

The arguments are two objects a,b and an object $r = \underline{\mathrm{Hom}}(a,b \otimes a)$. The output is the left coevaluation morphism $\mathrm{coev}_{a,b} : b \to \underline{\mathrm{Hom}}(a,b \otimes a)$, i.e., the unit of the tensor hom adjunction.

1.6.20 TensorProductToInternalHomLeftAdjunctMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `TensorProductToInternalHomLeftAdjunctMorphism(a, b, f)` (operation)

Returns: a morphism in $\mathrm{Hom}(a,\underline{\mathrm{Hom}}(b,c))$.

The arguments are two objects a,b and a morphism $f : a \otimes b \to c$. The output is a morphism $g : a \to \underline{\mathrm{Hom}}(b,c)$ corresponding to f under the tensor hom adjunction.

1.6.21 TensorProductToInternalHomLeftAdjunctMorphismWithGivenInternalHom (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `TensorProductToInternalHomLeftAdjunctMorphismWithGivenInternalHom(a, b, f, i)` (operation)

Returns: a morphism in $\mathrm{Hom}(a,i)$.

The arguments are two objects a,b, a morphism $f : a \otimes b \to c$ and an object $i = \underline{\mathrm{Hom}}(b,c)$. The output is a morphism $g : a \to i$ corresponding to f under the tensor hom adjunction.

1.6.22 TensorProductToInternalHomLeftAdjunctionIsomorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `TensorProductToInternalHomLeftAdjunctionIsomorphism(a, b, c)` (operation)

Returns: a morphism in $\mathrm{Hom}(H(a \otimes b,c),H(a,\underline{\mathrm{Hom}}(b,c)))$.

The arguments are three objects a,b,c. The output is the tri-natural isomorphism $H(a \otimes b,c) \to H(a,\underline{\mathrm{Hom}}(b,c))$ in the range category of the homomorphism structure H.

1.6.23 TensorProductToInternalHomLeftAdjunctionIsomorphismWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `TensorProductToInternalHomLeftAdjunctionIsomorphismWithGivenObjects(s, a, b, c, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are fives objects s,a,b,c,r where $s = H(a \otimes b,c)$ and $r = H(a,\underline{\mathrm{Hom}}(b,c))$. The output is the tri-natural isomorphism $s \to r$ in the range category of the homomorphism structure H.

1.6.24 InternalHomToTensorProductLeftAdjunctMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `InternalHomToTensorProductLeftAdjunctMorphism(b, c, g)` (operation)

Returns: a morphism in $\mathrm{Hom}(a \otimes b,c)$.

The arguments are two objects b,c and a morphism $g : a \to \underline{\mathrm{Hom}}(b,c)$. The output is a morphism $f : a \otimes b \to c$ corresponding to g under the tensor hom adjunction.

1.6.25 InternalHomToTensorProductLeftAdjunctMorphismWithGivenTensorProduct (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `InternalHomToTensorProductLeftAdjunctMorphismWithGivenTensorProduct(b, c, g, s)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,c)$.

The arguments are two objects b,c, a morphism $g : a \to \underline{\mathrm{Hom}}(b,c)$ and an object $s = a \otimes b$. The output is a morphism $f : s \to c$ corresponding to g under the tensor hom adjunction.

1.6.26 InternalHomToTensorProductLeftAdjunctionIsomorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `InternalHomToTensorProductLeftAdjunctionIsomorphism(a, b, c)` (operation)

Returns: a morphism in $\mathrm{Hom}(H(a,\underline{\mathrm{Hom}}(b,c)),H(a\otimes b,c))$.

The arguments are three objects a,b,c. The output is the tri-natural isomorphism $H(a,\underline{\mathrm{Hom}}(b,c)) \to H(a\otimes b,c)$ in the range category of the homomorphism structure H.

1.6.27 InternalHomToTensorProductLeftAdjunctionIsomorphismWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `InternalHomToTensorProductLeftAdjunctionIsomorphismWithGivenObjects(s, a, b, c, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are fives objects s,a,b,c,r where $s = H(a,\underline{\mathrm{Hom}}(b,c))$ and $r = H(a\otimes b,c)$. The output is the tri-natural isomorphism $s \to r$ in the range category of the homomorphism structure H.

1.6.28 MonoidalPreComposeMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `MonoidalPreComposeMorphism(a, b, c)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}(a,b)\otimes\underline{\mathrm{Hom}}(b,c),\underline{\mathrm{Hom}}(a,c))$.

The arguments are three objects a,b,c. The output is the precomposition morphism $\mathrm{MonoidalPreComposeMorphism}_{a,b,c} : \underline{\mathrm{Hom}}(a,b)\otimes\underline{\mathrm{Hom}}(b,c) \to \underline{\mathrm{Hom}}(a,c)$.

1.6.29 MonoidalPreComposeMorphismWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `MonoidalPreComposeMorphismWithGivenObjects(s, a, b, c, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = \underline{\mathrm{Hom}}(a,b)\otimes\underline{\mathrm{Hom}}(b,c)$, three objects a,b,c, and an object $r = \underline{\mathrm{Hom}}(a,c)$. The output is the precomposition morphism $\mathrm{MonoidalPreComposeMorphismWithGivenObjects}_{a,b,c} : \underline{\mathrm{Hom}}(a,b)\otimes\underline{\mathrm{Hom}}(b,c) \to \underline{\mathrm{Hom}}(a,c)$.

1.6.30 MonoidalPostComposeMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `MonoidalPostComposeMorphism(a, b, c)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}(b,c)\otimes\underline{\mathrm{Hom}}(a,b),\underline{\mathrm{Hom}}(a,c))$.

The arguments are three objects a,b,c. The output is the postcomposition morphism $\mathrm{MonoidalPostComposeMorphism}_{a,b,c} : \underline{\mathrm{Hom}}(b,c)\otimes\underline{\mathrm{Hom}}(a,b) \to \underline{\mathrm{Hom}}(a,c)$.

1.6.31 MonoidalPostComposeMorphismWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `MonoidalPostComposeMorphismWithGivenObjects(s, a, b, c, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = \underline{\mathrm{Hom}}(b,c) \otimes \underline{\mathrm{Hom}}(a,b)$, three objects a,b,c, and an object $r = \underline{\mathrm{Hom}}(a,c)$. The output is the postcomposition morphism $\mathrm{MonoidalPostComposeMorphismWithGivenObjects}_{a,b,c} : \underline{\mathrm{Hom}}(b,c) \otimes \underline{\mathrm{Hom}}(a,b) \to \underline{\mathrm{Hom}}(a,c)$.

1.6.32 DualOnObjects (for IsCapCategoryObject)

▷ `DualOnObjects(a)` (attribute)

Returns: an object

The argument is an object a. The output is its dual object $a^{\vee}$.

1.6.33 DualOnMorphisms (for IsCapCategoryMorphism)

▷ `DualOnMorphisms(alpha)` (attribute)

Returns: a morphism in $\mathrm{Hom}(b^{\vee},a^{\vee})$.

The argument is a morphism $\alpha : a \to b$. The output is its dual morphism $\alpha^{\vee} : b^{\vee} \to a^{\vee}$.

1.6.34 DualOnMorphismsWithGivenDuals (for IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `DualOnMorphismsWithGivenDuals(s, alpha, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The argument is an object $s = b^{\vee}$, a morphism $\alpha : a \to b$, and an object $r = a^{\vee}$. The output is the dual morphism $\alpha^{\vee} : b^{\vee} \to a^{\vee}$.

1.6.35 EvaluationForDual (for IsCapCategoryObject)

▷ `EvaluationForDual(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a^{\vee} \otimes a, 1)$.

The argument is an object a. The output is the evaluation morphism $\mathrm{ev}_a : a^{\vee} \otimes a \to 1$.

1.6.36 EvaluationForDualWithGivenTensorProduct (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `EvaluationForDualWithGivenTensorProduct(s, a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = a^{\vee} \otimes a$, an object a, and an object $r = 1$. The output is the evaluation morphism $\mathrm{ev}_a : a^{\vee} \otimes a \to 1$.

1.6.37 MorphismToBidual (for IsCapCategoryObject)

▷ `MorphismToBidual(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a,(a^{\vee})^{\vee})$.

The argument is an object a. The output is the morphism to the bidual $a \to (a^{\vee})^{\vee}$.

1.6.38 MorphismToBidualWithGivenBidual (for IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismToBidualWithGivenBidual(a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(a,r)$.

The arguments are an object a, and an object $r = (a^\vee)^\vee$. The output is the morphism to the bidual $a \to (a^\vee)^\vee$.

1.6.39 TensorProductInternalHomCompatibilityMorphism (for IsList)

▷ `TensorProductInternalHomCompatibilityMorphism(list)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}(a,a') \otimes \underline{\mathrm{Hom}}(b,b'), \underline{\mathrm{Hom}}(a \otimes b, a' \otimes b'))$.

The argument is a list of four objects $[a,a',b,b']$. The output is the natural morphism $\mathrm{TensorProductInternalHomCompatibilityMorphism}_{a,a',b,b'} : \underline{\mathrm{Hom}}(a,a') \otimes \underline{\mathrm{Hom}}(b,b') \to \underline{\mathrm{Hom}}(a \otimes b, a' \otimes b')$.

1.6.40 TensorProductInternalHomCompatibilityMorphismWithGivenObjects (for IsCapCategoryObject, IsList, IsCapCategoryObject)

▷ `TensorProductInternalHomCompatibilityMorphismWithGivenObjects(s, list, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are a list of four objects $[a,a',b,b']$, and two objects $s = \underline{\mathrm{Hom}}(a,a') \otimes \underline{\mathrm{Hom}}(b,b')$ and $r = \underline{\mathrm{Hom}}(a \otimes b, a' \otimes b')$. The output is the natural morphism $\mathrm{TensorProductInternalHomCompatibilityMorphismWithGivenObjects}_{a,a',b,b'} : \underline{\mathrm{Hom}}(a,a') \otimes \underline{\mathrm{Hom}}(b,b') \to \underline{\mathrm{Hom}}(a \otimes b, a' \otimes b')$.

1.6.41 TensorProductDualityCompatibilityMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `TensorProductDualityCompatibilityMorphism(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(a^\vee \otimes b^\vee, (a \otimes b)^\vee)$.

The arguments are two objects a,b. The output is the natural morphism $\mathrm{TensorProductDualityCompatibilityMorphism} : a^\vee \otimes b^\vee \to (a \otimes b)^\vee$.

1.6.42 TensorProductDualityCompatibilityMorphismWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `TensorProductDualityCompatibilityMorphismWithGivenObjects(s, a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = a^\vee \otimes b^\vee$, two objects a,b, and an object $r = (a \otimes b)^\vee$. The output is the natural morphism $\mathrm{TensorProductDualityCompatibilityMorphismWithGivenObjects}_{a,b} : a^\vee \otimes b^\vee \to (a \otimes b)^\vee$.

1.6.43 MorphismFromTensorProductToInternalHom (for IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismFromTensorProductToInternalHom(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(a^\vee \otimes b, \underline{\mathrm{Hom}}(a,b))$.

The arguments are two objects a,b. The output is the natural morphism $\mathrm{MorphismFromTensorProductToInternalHom}_{a,b} : a^\vee \otimes b \rightarrow \underline{\mathrm{Hom}}(a,b)$.

1.6.44 MorphismFromTensorProductToInternalHomWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismFromTensorProductToInternalHomWithGivenObjects(s, a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = a^\vee \otimes b$, two objects a,b, and an object $r = \underline{\mathrm{Hom}}(a,b)$. The output is the natural morphism $\mathrm{MorphismFromTensorProductToInternalHomWithGivenObjects}_{a,b} : a^\vee \otimes b \rightarrow \underline{\mathrm{Hom}}(a,b)$.

1.6.45 IsomorphismFromDualObjectToInternalHomIntoTensorUnit (for IsCapCategoryObject)

▷ `IsomorphismFromDualObjectToInternalHomIntoTensorUnit(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a^\vee, \underline{\mathrm{Hom}}(a,1))$.

The argument is an object a. The output is the isomorphism $\mathrm{IsomorphismFromDualObjectToInternalHomIntoTensorUnit}_a : a^\vee \rightarrow \underline{\mathrm{Hom}}(a,1)$.

1.6.46 IsomorphismFromInternalHomIntoTensorUnitToDualObject (for IsCapCategoryObject)

▷ `IsomorphismFromInternalHomIntoTensorUnitToDualObject(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}(a,1), a^\vee)$.

The argument is an object a. The output is the isomorphism $\mathrm{IsomorphismFromInternalHomIntoTensorUnitToDualObject}_a : \underline{\mathrm{Hom}}(a,1) \rightarrow a^\vee$.

1.6.47 UniversalPropertyOfDual (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `UniversalPropertyOfDual(t, a, alpha)` (operation)

Returns: a morphism in $\mathrm{Hom}(t, a^\vee)$.

The arguments are two objects t,a, and a morphism $\alpha : t \otimes a \rightarrow 1$. The output is the morphism $t \rightarrow a^\vee$ given by the universal property of $a^\vee$.

1.6.48 LambdaIntroduction (for IsCapCategoryMorphism)

▷ `LambdaIntroduction(alpha)` (attribute)

Returns: a morphism in $\mathrm{Hom}(1, \underline{\mathrm{Hom}}(a,b))$.

The argument is a morphism $\alpha : a \rightarrow b$. The output is the corresponding morphism $1 \rightarrow \underline{\mathrm{Hom}}(a,b)$ under the tensor hom adjunction.

1.6.49 LambdaElimination (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `LambdaElimination(a, b, alpha)` (operation)

Returns: a morphism in $\mathrm{Hom}(a,b)$.

The arguments are two objects a,b, and a morphism $\alpha : 1 \to \underline{\mathrm{Hom}}(a,b)$. The output is a morphism $a \to b$ corresponding to α under the tensor hom adjunction.

1.6.50 IsomorphismFromObjectToInternalHom (for IsCapCategoryObject)

▷ `IsomorphismFromObjectToInternalHom(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a,\underline{\mathrm{Hom}}(1,a))$.

The argument is an object a. The output is the natural isomorphism $a \to \underline{\mathrm{Hom}}(1,a)$.

1.6.51 IsomorphismFromObjectToInternalHomWithGivenInternalHom (for IsCapCategoryObject, IsCapCategoryObject)

▷ `IsomorphismFromObjectToInternalHomWithGivenInternalHom(a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(a,r)$.

The argument is an object a, and an object $r = \underline{\mathrm{Hom}}(1,a)$. The output is the natural isomorphism $a \to \underline{\mathrm{Hom}}(1,a)$.

1.6.52 IsomorphismFromInternalHomToObject (for IsCapCategoryObject)

▷ `IsomorphismFromInternalHomToObject(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}(1,a),a)$.

The argument is an object a. The output is the natural isomorphism $\underline{\mathrm{Hom}}(1,a) \to a$.

1.6.53 IsomorphismFromInternalHomToObjectWithGivenInternalHom (for IsCapCategoryObject, IsCapCategoryObject)

▷ `IsomorphismFromInternalHomToObjectWithGivenInternalHom(a, s)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,a)$.

The argument is an object a, and an object $s = \underline{\mathrm{Hom}}(1,a)$. The output is the natural isomorphism $\underline{\mathrm{Hom}}(1,a) \to a$.

1.7 Left Coclosed Monoidal Categories

A monoidal category $\mathbf{C}$ which has for each functor $-\otimes b : \mathbf{C} \to \mathbf{C}$ a left adjoint (denoted by $\underline{\mathrm{coHom}}(-,b)$) is called a *left coclosed monoidal category*.

If no operations involving left coduals are installed manually, the left codual objects will be derived as $a_\vee := \underline{\mathrm{coHom}}(1,a)$.

The corresponding GAP property is called `IsLeftCoclosedMonoidalCategory`.

1.7.1 LeftInternalCoHomOnObjects (for IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftInternalCoHomOnObjects(a, b)` (operation)

Returns: an object

The arguments are two objects a,b. The output is the internal cohom object $\underline{\mathrm{coHom}_\ell}(a,b)$.

1.7.2 LeftInternalCoHomOnMorphisms (for IsCapCategoryMorphism, IsCapCategoryMorphism)

▷ `LeftInternalCoHomOnMorphisms(alpha, beta)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}_\ell}(a,b'),\underline{\mathrm{coHom}_\ell}(a',b))$

The arguments are two morphisms $\alpha : a \to a', \beta : b \to b'$. The output is the internal cohom morphism $\underline{\mathrm{coHom}_\ell}(\alpha,\beta) : \underline{\mathrm{coHom}_\ell}(a,b') \to \underline{\mathrm{coHom}_\ell}(a',b)$.

1.7.3 LeftInternalCoHomOnMorphismsWithGivenLeftInternalCoHoms (for IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `LeftInternalCoHomOnMorphismsWithGivenLeftInternalCoHoms(s, alpha, beta, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$

The arguments are an object $s = \underline{\mathrm{coHom}_\ell}(a,b')$, two morphisms $\alpha : a \to a', \beta : b \to b'$, and an object $r = \underline{\mathrm{coHom}_\ell}(a',b)$. The output is the internal cohom morphism $\underline{\mathrm{coHom}_\ell}(\alpha,\beta) : \underline{\mathrm{coHom}_\ell}(a,b') \to \underline{\mathrm{coHom}_\ell}(a',b)$.

1.7.4 LeftCoclosedMonoidalEvaluationMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftCoclosedMonoidalEvaluationMorphism(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(b,\underline{\mathrm{coHom}_\ell}(b,a)\otimes a)$.

The arguments are two objects a,b. The output is the coclosed evaluation morphism $\mathrm{coclev}_{a,b} : b \to \underline{\mathrm{coHom}_\ell}(b,a)\otimes a$, i.e., the unit of the cohom tensor adjunction.

1.7.5 LeftCoclosedMonoidalEvaluationMorphismWithGivenRange (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftCoclosedMonoidalEvaluationMorphismWithGivenRange(a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(b,r)$.

The arguments are two objects a,b and an object $r = \underline{\mathrm{coHom}_\ell}(b,a)\otimes a$. The output is the coclosed evaluation morphism $\mathrm{coclev}_{a,b} : b \to \underline{\mathrm{coHom}_\ell}(b,a)\otimes a$, i.e., the unit of the cohom tensor adjunction.

1.7.6 LeftCoclosedMonoidalCoevaluationMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftCoclosedMonoidalCoevaluationMorphism(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}_\ell}(b\otimes a,a),b)$.

The arguments are two objects a,b. The output is the coclosed coevaluation morphism $\mathrm{coclcoev}_{a,b} : \underline{\mathrm{coHom}_\ell}(b \otimes a, a) \to b$, i.e., the counit of the cohom tensor adjunction.

1.7.7 LeftCoclosedMonoidalCoevaluationMorphismWithGivenSource (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftCoclosedMonoidalCoevaluationMorphismWithGivenSource(a, b, s)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,b)$.

The arguments are two objects a,b and an object $s = \underline{\mathrm{coHom}_\ell}(b \otimes a, a)$. The output is the coclosed coevaluation morphism $\mathrm{coclcoev}_{a,b} : \underline{\mathrm{coHom}_\ell}(b \otimes a, a) \to b$, i.e., the unit of the cohom tensor adjunction.

1.7.8 TensorProductToLeftInternalCoHomAdjunctMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `TensorProductToLeftInternalCoHomAdjunctMorphism(b, c, g)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}_\ell}(a,c), b)$.

The arguments are two objects b,c and a morphism $g : a \to b \otimes c$. The output is a morphism $f : \underline{\mathrm{coHom}_\ell}(a,c) \to b$ corresponding to g under the cohom tensor adjunction.

1.7.9 TensorProductToLeftInternalCoHomAdjunctMorphismWithGivenLeftInternalCoHom (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `TensorProductToLeftInternalCoHomAdjunctMorphismWithGivenLeftInternalCoHom(b, c, g, i)` (operation)

Returns: a morphism in $\mathrm{Hom}(i,b)$.

The arguments are two objects b,c, a morphism $g : a \to b \otimes c$ and an object $i = \underline{\mathrm{coHom}_\ell}(a,c)$. The output is a morphism $f : \underline{\mathrm{coHom}_\ell}(a,c) \to b$ corresponding to g under the cohom tensor adjunction.

1.7.10 LeftInternalCoHomToTensorProductAdjunctMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `LeftInternalCoHomToTensorProductAdjunctMorphism(a, c, f)` (operation)

Returns: a morphism in $\mathrm{Hom}(a, b \otimes c)$.

The arguments are two objects a,c and a morphism $f : \underline{\mathrm{coHom}_\ell}(a,c) \to b$. The output is a morphism $g : a \to b \otimes c$ corresponding to f under the cohom tensor adjunction.

1.7.11 LeftInternalCoHomToTensorProductAdjunctMorphismWithGivenTensorProduct (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `LeftInternalCoHomToTensorProductAdjunctMorphismWithGivenTensorProduct(a, c, f, t)` (operation)

Returns: a morphism in $\mathrm{Hom}(a,t)$.

The arguments are two objects a,c, a morphism $f : \underline{\mathrm{coHom}_\ell}(a,c) \to b$ and an object $t = b \otimes c$. The output is a morphism $g : a \to b \otimes c$ corresponding to f under the cohom tensor adjunction.

1.7.12 LeftCoclosedMonoidalPreCoComposeMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftCoclosedMonoidalPreCoComposeMorphism(a, b, c)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}_\ell}(a,c), \underline{\mathrm{coHom}_\ell}(b,c) \otimes \underline{\mathrm{coHom}_\ell}(a,b))$.

The arguments are three objects a,b,c. The output is the precocomposition morphism $\mathrm{LeftCoclosedMonoidalPreCoComposeMorphism}_{a,b,c} : \underline{\mathrm{coHom}_\ell}(a,c) \rightarrow \underline{\mathrm{coHom}_\ell}(b,c) \otimes \underline{\mathrm{coHom}_\ell}(a,b)$.

1.7.13 LeftCoclosedMonoidalPreCoComposeMorphismWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftCoclosedMonoidalPreCoComposeMorphismWithGivenObjects(s, a, b, c, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = \underline{\mathrm{coHom}_\ell}(a,c)$, three objects a,b,c, and an object $r = \underline{\mathrm{coHom}_\ell}(a,b) \otimes \underline{\mathrm{coHom}_\ell}(b,c)$. The output is the precocomposition morphism $\mathrm{LeftCoclosedMonoidalPreCoComposeMorphismWithGivenObjects}_{a,b,c} : \underline{\mathrm{coHom}_\ell}(a,c) \rightarrow \underline{\mathrm{coHom}_\ell}(b,c) \otimes \underline{\mathrm{coHom}_\ell}(a,b)$.

1.7.14 LeftCoclosedMonoidalPostCoComposeMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftCoclosedMonoidalPostCoComposeMorphism(a, b, c)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}_\ell}(a,c), \underline{\mathrm{coHom}_\ell}(a,b) \otimes \underline{\mathrm{coHom}_\ell}(b,c))$.

The arguments are three objects a,b,c. The output is the postcocomposition morphism $\mathrm{LeftCoclosedMonoidalPostCoComposeMorphism}_{a,b,c} : \underline{\mathrm{coHom}_\ell}(a,c) \rightarrow \underline{\mathrm{coHom}_\ell}(a,b) \otimes \underline{\mathrm{coHom}_\ell}(b,c)$.

1.7.15 LeftCoclosedMonoidalPostCoComposeMorphismWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftCoclosedMonoidalPostCoComposeMorphismWithGivenObjects(s, a, b, c, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = \underline{\mathrm{coHom}_\ell}(a,c)$, three objects a,b,c, and an object $r = \underline{\mathrm{coHom}_\ell}(b,c) \otimes \underline{\mathrm{coHom}_\ell}(a,b)$. The output is the postcocomposition morphism $\mathrm{LeftCoclosedMonoidalPostCoComposeMorphismWithGivenObjects}_{a,b,c} : \underline{\mathrm{coHom}_\ell}(a,c) \rightarrow \underline{\mathrm{coHom}_\ell}(a,b) \otimes \underline{\mathrm{coHom}_\ell}(b,c)$.

1.7.16 LeftCoDualOnObjects (for IsCapCategoryObject)

▷ `LeftCoDualOnObjects(a)` (attribute)

Returns: an object

The argument is an object a. The output is its codual object $a_\vee$.

1.7.17 LeftCoDualOnMorphisms (for IsCapCategoryMorphism)

▷ `LeftCoDualOnMorphisms(alpha)` (attribute)

Returns: a morphism in $\mathrm{Hom}(b_\vee, a_\vee)$.

The argument is a morphism $\alpha : a \rightarrow b$. The output is its codual morphism $\alpha_\vee : b_\vee \rightarrow a_\vee$.

1.7.18 LeftCoDualOnMorphismsWithGivenLeftCoDuals (for IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `LeftCoDualOnMorphismsWithGivenLeftCoDuals(s, alpha, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s, r)$.

The argument is an object $s = b_\vee$, a morphism $\alpha : a \rightarrow b$, and an object $r = a_\vee$. The output is the dual morphism $\alpha_\vee : b^\vee \rightarrow a^\vee$.

1.7.19 LeftCoclosedMonoidalEvaluationForLeftCoDual (for IsCapCategoryObject)

▷ `LeftCoclosedMonoidalEvaluationForLeftCoDual(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(1, a_\vee \otimes a)$.

The argument is an object a. The output is the coclosed evaluation morphism $\mathrm{coclev}_a : 1 \rightarrow a_\vee \otimes a$.

1.7.20 LeftCoclosedMonoidalEvaluationForLeftCoDualWithGivenTensorProduct (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftCoclosedMonoidalEvaluationForLeftCoDualWithGivenTensorProduct(s, a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s, r)$.

The arguments are an object $s = 1$, an object a, and an object $r = a_\vee \otimes a$. The output is the coclosed evaluation morphism $\mathrm{coclev}_a : 1 \rightarrow a_\vee \otimes a$.

1.7.21 MorphismFromLeftCoBidual (for IsCapCategoryObject)

▷ `MorphismFromLeftCoBidual(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}((a_\vee)_\vee, a)$.

The argument is an object a. The output is the morphism from the cobidual $(a_\vee)_\vee \rightarrow a$.

1.7.22 MorphismFromLeftCoBidualWithGivenLeftCoBidual (for IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismFromLeftCoBidualWithGivenLeftCoBidual(a, s)` (operation)

Returns: a morphism in $\mathrm{Hom}(s, a)$.

The arguments are an object a, and an object $s = (a_\vee)_\vee$. The output is the morphism from the cobidual $(a_\vee)_\vee \rightarrow a$.

1.7.23 LeftInternalCoHomTensorProductCompatibilityMorphism (for IsList)

▷ `LeftInternalCoHomTensorProductCompatibilityMorphism(list)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}_\ell}(a \otimes a', b \otimes b'), \underline{\mathrm{coHom}_\ell}(a, b) \otimes \underline{\mathrm{coHom}_\ell}(a', b'))$.

The argument is a list of four objects $[a,a',b,b']$. The output is the natural morphism $\mathrm{LeftInternalCoHomTensorProductCompatibilityMorphism}_{a,a',b,b'} : \underline{\mathrm{coHom}}_\ell(a \otimes a', b \otimes b') \rightarrow \underline{\mathrm{coHom}}_\ell(a,b) \otimes \underline{\mathrm{coHom}}_\ell(a',b')$.

1.7.24 LeftInternalCoHomTensorProductCompatibilityMorphismWithGivenObjects (for IsCapCategoryObject, IsList, IsCapCategoryObject)

▷ `LeftInternalCoHomTensorProductCompatibilityMorphismWithGivenObjects(s, list, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are a list of four objects $[a,a',b,b']$, and two objects $s = \underline{\mathrm{coHom}}_\ell(a \otimes a', b \otimes b')$ and $r = \underline{\mathrm{coHom}}_\ell(a,b) \otimes \underline{\mathrm{coHom}}_\ell(a',b')$. The output is the natural morphism $\mathrm{LeftInternalCoHomTensorProductCompatibilityMorphismWithGivenObjects}_{a,a',b,b'}$: $\underline{\mathrm{coHom}}_\ell(a \otimes a', b \otimes b') \rightarrow \underline{\mathrm{coHom}}_\ell(a,b) \otimes \underline{\mathrm{coHom}}_\ell(a',b')$.

1.7.25 LeftCoDualityTensorProductCompatibilityMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftCoDualityTensorProductCompatibilityMorphism(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}((a \otimes b)_\vee, a_\vee \otimes b_\vee)$.

The arguments are two objects a,b. The output is the natural morphism LeftCoDualityTensorProductCompatibilityMorphism : $(a \otimes b)_\vee \rightarrow a_\vee \otimes b_\vee$.

1.7.26 LeftCoDualityTensorProductCompatibilityMorphismWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `LeftCoDualityTensorProductCompatibilityMorphismWithGivenObjects(s, a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = (a \otimes b)_\vee$, two objects a,b, and an object $r = a_\vee \otimes b_\vee$. The output is the natural morphism $\mathrm{LeftCoDualityTensorProductCompatibilityMorphismWithGivenObjects}_{a,b}$: $(a \otimes b)_\vee \rightarrow a_\vee \otimes b_\vee$.

1.7.27 MorphismFromLeftInternalCoHomToTensorProduct (for IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismFromLeftInternalCoHomToTensorProduct(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}_\ell(a,b), b_\vee \otimes a)$.

The arguments are two objects a,b. The output is the natural morphism $\mathrm{MorphismFromLeftInternalCoHomToTensorProduct}_{a,b} : \underline{\mathrm{coHom}}_\ell(a,b) \rightarrow b_\vee \otimes a$.

1.7.28 MorphismFromLeftInternalCoHomToTensorProductWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismFromLeftInternalCoHomToTensorProductWithGivenObjects(s, a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = \underline{\mathrm{coHom}_\ell}(a,b)$, two objects a,b, and an object $r = b_\vee \otimes a$. The output is the natural morphism MorphismFromLeftInternalCoHomToTensorProductWithGivenObjects$_{a,b}$: $\underline{\mathrm{coHom}_\ell}(a,b) \rightarrow a \otimes b_\vee$.

1.7.29 IsomorphismFromLeftCoDualObjectToLeftInternalCoHomFromTensorUnit (for IsCapCategoryObject)

▷ `IsomorphismFromLeftCoDualObjectToLeftInternalCoHomFromTensorUnit(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a_\vee, \underline{\mathrm{coHom}_\ell}(1,a))$.

The argument is an object a. The output is the isomorphism IsomorphismFromLeftCoDualObjectToLeftInternalCoHomFromTensorUnit$_a$: $a_\vee \rightarrow \underline{\mathrm{coHom}_\ell}(1,a)$.

1.7.30 IsomorphismFromLeftInternalCoHomFromTensorUnitToLeftCoDualObject (for IsCapCategoryObject)

▷ `IsomorphismFromLeftInternalCoHomFromTensorUnitToLeftCoDualObject(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}_\ell}(1,a), a_\vee)$.

The argument is an object a. The output is the isomorphism IsomorphismFromLeftInternalCoHomFromTensorUnitToLeftCoDualObject$_a$: $\underline{\mathrm{coHom}_\ell}(1,a) \rightarrow a_\vee$.

1.7.31 UniversalPropertyOfLeftCoDual (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `UniversalPropertyOfLeftCoDual(t, a, alpha)` (operation)

Returns: a morphism in $\mathrm{Hom}(a_\vee, t)$.

The arguments are two objects t,a, and a morphism $\alpha : 1 \rightarrow t \otimes a$. The output is the morphism $a_\vee \rightarrow t$ given by the universal property of $a_\vee$.

1.7.32 LeftCoclosedMonoidalLambdaIntroduction (for IsCapCategoryMorphism)

▷ `LeftCoclosedMonoidalLambdaIntroduction(alpha)` (attribute)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}_\ell}(a,b), 1)$.

The argument is a morphism $\alpha : a \rightarrow b$. The output is the corresponding morphism $\underline{\mathrm{coHom}_\ell}(a,b) \rightarrow 1$ under the cohom tensor adjunction.

1.7.33 LeftCoclosedMonoidalLambdaElimination (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `LeftCoclosedMonoidalLambdaElimination(a, b, alpha)` (operation)

Returns: a morphism in $\mathrm{Hom}(a,b)$.

The arguments are two objects a,b, and a morphism $\alpha : \underline{\mathrm{coHom}_\ell}(a,b) \rightarrow 1$. The output is a morphism $a \rightarrow b$ corresponding to α under the cohom tensor adjunction.

1.7.34 IsomorphismFromObjectToLeftInternalCoHom (for IsCapCategoryObject)

▷ `IsomorphismFromObjectToLeftInternalCoHom(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a, \underline{\mathrm{coHom}_\ell}(a,1))$.

The argument is an object a. The output is the natural isomorphism $a \rightarrow \underline{\mathrm{coHom}}_\ell(a,1)$.

1.7.35 IsomorphismFromObjectToLeftInternalCoHomWithGivenLeftInternalCoHom (for IsCapCategoryObject, IsCapCategoryObject)

▷ `IsomorphismFromObjectToLeftInternalCoHomWithGivenLeftInternalCoHom(a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(a,r)$.

The argument is an object a, and an object $r = \underline{\mathrm{coHom}}_\ell(a,1)$. The output is the natural isomorphism $a \rightarrow \underline{\mathrm{coHom}}_\ell(a,1)$.

1.7.36 IsomorphismFromLeftInternalCoHomToObject (for IsCapCategoryObject)

▷ `IsomorphismFromLeftInternalCoHomToObject(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}_\ell(a,1),a)$.

The argument is an object a. The output is the natural isomorphism $\underline{\mathrm{coHom}}_\ell(a,1) \rightarrow a$.

1.7.37 IsomorphismFromLeftInternalCoHomToObjectWithGivenLeftInternalCoHom (for IsCapCategoryObject, IsCapCategoryObject)

▷ `IsomorphismFromLeftInternalCoHomToObjectWithGivenLeftInternalCoHom(a, s)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,a)$.

The argument is an object a, and an object $s = \underline{\mathrm{coHom}}_\ell(a,1)$. The output is the natural isomorphism $\underline{\mathrm{coHom}}_\ell(a,1) \rightarrow a$.

1.8 Coclosed Monoidal Categories

A monoidal category $\mathbf{C}$ which has for each functor $-\otimes b : \mathbf{C} \rightarrow \mathbf{C}$ a left adjoint (denoted by $\underline{\mathrm{coHom}}(-,b)$) is called a *coclosed monoidal category*.

If no operations involving coduals are installed manually, the codual objects will be derived as $a_\vee := \underline{\mathrm{coHom}}(1,a)$.

The corresponding GAP property is called `IsCoclosedMonoidalCategory`.

1.8.1 InternalCoHomOnObjects (for IsCapCategoryObject, IsCapCategoryObject)

▷ `InternalCoHomOnObjects(a, b)` (operation)

Returns: an object

The arguments are two objects a,b. The output is the internal cohom object $\underline{\mathrm{coHom}}(a,b)$.

1.8.2 InternalCoHomOnMorphisms (for IsCapCategoryMorphism, IsCapCategoryMorphism)

▷ `InternalCoHomOnMorphisms(alpha, beta)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}(a,b'),\underline{\mathrm{coHom}}(a',b))$

The arguments are two morphisms $\alpha : a \rightarrow a', \beta : b \rightarrow b'$. The output is the internal cohom morphism $\underline{\mathrm{coHom}}(\alpha,\beta) : \underline{\mathrm{coHom}}(a,b') \rightarrow \underline{\mathrm{coHom}}(a',b)$.

1.8.3 InternalCoHomOnMorphismsWithGivenInternalCoHoms (for IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `InternalCoHomOnMorphismsWithGivenInternalCoHoms(s, alpha, beta, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$

The arguments are an object $s = \underline{\mathrm{coHom}}(a,b')$, two morphisms $\alpha : a \rightarrow a', \beta : b \rightarrow b'$, and an object $r = \underline{\mathrm{coHom}}(a',b)$. The output is the internal cohom morphism $\underline{\mathrm{coHom}}(\alpha,\beta) : \underline{\mathrm{coHom}}(a,b') \rightarrow \underline{\mathrm{coHom}}(a',b)$.

1.8.4 CoclosedMonoidalRightEvaluationMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `CoclosedMonoidalRightEvaluationMorphism(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(b, a \otimes \underline{\mathrm{coHom}}(b,a))$.

The arguments are two objects a,b. The output is the coclosed right evaluation morphism $\mathrm{coclev}_{a,b} : b \rightarrow a \otimes \underline{\mathrm{coHom}}(b,a)$, i.e., the unit of the cohom tensor adjunction.

1.8.5 CoclosedMonoidalRightEvaluationMorphismWithGivenRange (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `CoclosedMonoidalRightEvaluationMorphismWithGivenRange(a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(b,r)$.

The arguments are two objects a,b and an object $r = a \otimes \underline{\mathrm{coHom}}(b,a)$. The output is the coclosed right evaluation morphism $\mathrm{coclev}_{a,b} : b \rightarrow a \otimes \underline{\mathrm{coHom}}(b,a)$, i.e., the unit of the cohom tensor adjunction.

1.8.6 CoclosedMonoidalRightCoevaluationMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `CoclosedMonoidalRightCoevaluationMorphism(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}(a \otimes b, a), b)$.

The arguments are two objects a,b. The output is the coclosed right coevaluation morphism $\mathrm{coclcoev}_{a,b} : \underline{\mathrm{coHom}}(a \otimes b, a) \rightarrow b$, i.e., the counit of the cohom tensor adjunction.

1.8.7 CoclosedMonoidalRightCoevaluationMorphismWithGivenSource (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `CoclosedMonoidalRightCoevaluationMorphismWithGivenSource(a, b, s)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,b)$.

The arguments are two objects a,b and an object $s = \underline{\mathrm{coHom}}(a \otimes b, a)$. The output is the coclosed right coevaluation morphism $\mathrm{coclcoev}_{a,b} : \underline{\mathrm{coHom}}(a \otimes b, a) \rightarrow b$, i.e., the unit of the cohom tensor adjunction.

1.8.8 TensorProductToInternalCoHomRightAdjunctMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `TensorProductToInternalCoHomRightAdjunctMorphism(b, c, g)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}(a,b),c)$.

The arguments are two objects b,c and a morphism $g : a \to b \otimes c$. The output is a morphism $f : \underline{\mathrm{coHom}}(a,b) \to c$ corresponding to g under the cohom tensor adjunction.

1.8.9 TensorProductToInternalCoHomRightAdjunctMorphismWithGivenInternalCoHom (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `TensorProductToInternalCoHomRightAdjunctMorphismWithGivenInternalCoHom(b, c, g, i)` (operation)

Returns: a morphism in $\mathrm{Hom}(i,c)$.

The arguments are two objects b,c, a morphism $g : a \to b \otimes c$ and an object $i = \underline{\mathrm{coHom}}(a,b)$. The output is a morphism $f : \underline{\mathrm{coHom}}(a,b) \to c$ corresponding to g under the cohom tensor adjunction.

1.8.10 InternalCoHomToTensorProductRightAdjunctMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `InternalCoHomToTensorProductRightAdjunctMorphism(a, b, f)` (operation)

Returns: a morphism in $\mathrm{Hom}(a,b \otimes c)$.

The arguments are two objects a,b and a morphism $f : \underline{\mathrm{coHom}}(a,b) \to c$. The output is a morphism $g : a \to b \otimes c$ corresponding to f under the cohom tensor adjunction.

1.8.11 InternalCoHomToTensorProductRightAdjunctMorphismWithGivenTensorProduct (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `InternalCoHomToTensorProductRightAdjunctMorphismWithGivenTensorProduct(a, b, f, t)` (operation)

Returns: a morphism in $\mathrm{Hom}(a,t)$.

The arguments are two objects a,b, a morphism $f : \underline{\mathrm{coHom}}(a,b) \to c$ and an object $t = b \otimes c$. The output is a morphism $g : a \to t$ corresponding to f under the cohom tensor adjunction.

1.8.12 CoclosedMonoidalLeftEvaluationMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `CoclosedMonoidalLeftEvaluationMorphism(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(b,\underline{\mathrm{coHom}}(b,a) \otimes a)$.

The arguments are two objects a,b. The output is the coclosed left evaluation morphism $\mathrm{coclev}_{a,b} : b \to \underline{\mathrm{coHom}}(b,a) \otimes a$, i.e., the unit of the cohom tensor adjunction.

1.8.13 CoclosedMonoidalLeftEvaluationMorphismWithGivenRange (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `CoclosedMonoidalLeftEvaluationMorphismWithGivenRange(a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(b,r)$.

The arguments are two objects a,b and an object $r = \underline{\mathrm{coHom}}(b,a) \otimes a$. The output is the coclosed left evaluation morphism $\mathrm{coclev}_{a,b} : b \to \underline{\mathrm{coHom}}(b,a) \otimes a$, i.e., the unit of the cohom tensor adjunction.

1.8.14 CoclosedMonoidalLeftCoevaluationMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `CoclosedMonoidalLeftCoevaluationMorphism(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}(b \otimes a, a), b)$.

The arguments are two objects a,b. The output is the coclosed left coevaluation morphism $\mathrm{coclcoev}_{a,b} : \underline{\mathrm{coHom}}(b \otimes a, a) \to b$, i.e., the counit of the cohom tensor adjunction.

1.8.15 CoclosedMonoidalLeftCoevaluationMorphismWithGivenSource (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `CoclosedMonoidalLeftCoevaluationMorphismWithGivenSource(a, b, s)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,b)$.

The arguments are two objects a,b and an object $s = \underline{\mathrm{coHom}}(b \otimes a, a)$. The output is the coclosed left coevaluation morphism $\mathrm{coclcoev}_{a,b} : \underline{\mathrm{coHom}}(b \otimes a, a) \to b$, i.e., the unit of the cohom tensor adjunction.

1.8.16 TensorProductToInternalCoHomLeftAdjunctMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `TensorProductToInternalCoHomLeftAdjunctMorphism(b, c, g)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}(a,c), b)$.

The arguments are two objects b,c and a morphism $g : a \to b \otimes c$. The output is a morphism $f : \underline{\mathrm{coHom}}(a,c) \to b$ corresponding to g under the cohom tensor adjunction.

1.8.17 TensorProductToInternalCoHomLeftAdjunctMorphismWithGivenInternalCoHom (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `TensorProductToInternalCoHomLeftAdjunctMorphismWithGivenInternalCoHom(b, c, g, i)` (operation)

Returns: a morphism in $\mathrm{Hom}(i,b)$.

The arguments are two objects b,c, a morphism $g : a \to b \otimes c$ and an object $i = \underline{\mathrm{coHom}}(a,c)$. The output is a morphism $f : \underline{\mathrm{coHom}}(a,c) \to b$ corresponding to g under the cohom tensor adjunction.

1.8.18 InternalCoHomToTensorProductLeftAdjunctMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `InternalCoHomToTensorProductLeftAdjunctMorphism(a, c, f)` (operation)

Returns: a morphism in $\mathrm{Hom}(a, b \otimes c)$.

The arguments are two objects a, c and a morphism $f : \underline{\mathrm{coHom}}(a,c) \to b$. The output is a morphism $g : a \to b \otimes c$ corresponding to f under the cohom tensor adjunction.

1.8.19 InternalCoHomToTensorProductLeftAdjunctMorphismWithGivenTensorProduct (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `InternalCoHomToTensorProductLeftAdjunctMorphismWithGivenTensorProduct(a, c, f, t)` (operation)

Returns: a morphism in $\mathrm{Hom}(a, t)$.

The arguments are two objects a, c, a morphism $f : \underline{\mathrm{coHom}}(a,c) \to b$ and an object $t = b \otimes c$. The output is a morphism $g : a \to t$ corresponding to f under the cohom tensor adjunction.

1.8.20 MonoidalPreCoComposeMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `MonoidalPreCoComposeMorphism(a, b, c)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}(a,c), \underline{\mathrm{coHom}}(b,c) \otimes \underline{\mathrm{coHom}}(a,b))$.

The arguments are three objects a, b, c. The output is the precocomposition morphism $\mathrm{MonoidalPreCoComposeMorphism}_{a,b,c} : \underline{\mathrm{coHom}}(a,c) \to \underline{\mathrm{coHom}}(b,c) \otimes \underline{\mathrm{coHom}}(a,b)$.

1.8.21 MonoidalPreCoComposeMorphismWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `MonoidalPreCoComposeMorphismWithGivenObjects(s, a, b, c, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s, r)$.

The arguments are an object $s = \underline{\mathrm{coHom}}(a,c)$, three objects a, b, c, and an object $r = \underline{\mathrm{coHom}}(a,b) \otimes \underline{\mathrm{coHom}}(b,c)$. The output is the precocomposition morphism $\mathrm{MonoidalPreCoComposeMorphismWithGivenObjects}_{a,b,c} : \underline{\mathrm{coHom}}(a,c) \to \underline{\mathrm{coHom}}(b,c) \otimes \underline{\mathrm{coHom}}(a,b)$.

1.8.22 MonoidalPostCoComposeMorphism (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `MonoidalPostCoComposeMorphism(a, b, c)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}(a,c), \underline{\mathrm{coHom}}(a,b) \otimes \underline{\mathrm{coHom}}(b,c))$.

The arguments are three objects a, b, c. The output is the postcocomposition morphism $\mathrm{MonoidalPostCoComposeMorphism}_{a,b,c} : \underline{\mathrm{coHom}}(a,c) \to \underline{\mathrm{coHom}}(a,b) \otimes \underline{\mathrm{coHom}}(b,c)$.

1.8.23 MonoidalPostCoComposeMorphismWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `MonoidalPostCoComposeMorphismWithGivenObjects(s, a, b, c, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = \underline{\mathrm{coHom}}(a,c)$, three objects a,b,c, and an object $r = \underline{\mathrm{coHom}}(b,c) \otimes \underline{\mathrm{coHom}}(a,b)$. The output is the postcocomposition morphism $\mathrm{MonoidalPostCoComposeMorphismWithGivenObjects}_{a,b,c} : \underline{\mathrm{coHom}}(a,c) \rightarrow \underline{\mathrm{coHom}}(a,b) \otimes \underline{\mathrm{coHom}}(b,c)$.

1.8.24 CoDualOnObjects (for IsCapCategoryObject)

▷ `CoDualOnObjects(a)` (attribute)

Returns: an object

The argument is an object a. The output is its codual object $a_\vee$.

1.8.25 CoDualOnMorphisms (for IsCapCategoryMorphism)

▷ `CoDualOnMorphisms(alpha)` (attribute)

Returns: a morphism in $\mathrm{Hom}(b_\vee, a_\vee)$.

The argument is a morphism $\alpha : a \rightarrow b$. The output is its codual morphism $\alpha_\vee : b_\vee \rightarrow a_\vee$.

1.8.26 CoDualOnMorphismsWithGivenCoDuals (for IsCapCategoryObject, IsCapCategoryMorphism, IsCapCategoryObject)

▷ `CoDualOnMorphismsWithGivenCoDuals(s, alpha, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The argument is an object $s = b_\vee$, a morphism $\alpha : a \rightarrow b$, and an object $r = a_\vee$. The output is the dual morphism $\alpha_\vee : b^\vee \rightarrow a^\vee$.

1.8.27 CoclosedEvaluationForCoDual (for IsCapCategoryObject)

▷ `CoclosedEvaluationForCoDual(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(1, a_\vee \otimes a)$.

The argument is an object a. The output is the coclosed evaluation morphism $\mathrm{coclev}_a : 1 \rightarrow a_\vee \otimes a$.

1.8.28 CoclosedEvaluationForCoDualWithGivenTensorProduct (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `CoclosedEvaluationForCoDualWithGivenTensorProduct(s, a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = 1$, an object a, and an object $r = a_\vee \otimes a$. The output is the coclosed evaluation morphism $\mathrm{coclev}_a : 1 \rightarrow a_\vee \otimes a$.

1.8.29 MorphismFromCoBidual (for IsCapCategoryObject)

▷ `MorphismFromCoBidual(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}((a_\vee)_\vee, a)$.

The argument is an object a. The output is the morphism from the cobidual $(a_\vee)_\vee \rightarrow a$.

1.8.30 MorphismFromCoBidualWithGivenCoBidual (for IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismFromCoBidualWithGivenCoBidual(a, s)` (operation)

Returns: a morphism in $\mathrm{Hom}(s, a)$.

The arguments are an object a, and an object $s = (a_\vee)_\vee$. The output is the morphism from the cobidual $(a_\vee)_\vee \rightarrow a$.

1.8.31 InternalCoHomTensorProductCompatibilityMorphism (for IsList)

▷ `InternalCoHomTensorProductCompatibilityMorphism(list)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}(a \otimes a', b \otimes b'), \underline{\mathrm{coHom}}(a, b) \otimes \underline{\mathrm{coHom}}(a', b'))$.

The argument is a list of four objects $[a, a', b, b']$. The output is the natural morphism $\mathrm{InternalCoHomTensorProductCompatibilityMorphism}_{a,a',b,b'} : \underline{\mathrm{coHom}}(a \otimes a', b \otimes b') \rightarrow \underline{\mathrm{coHom}}(a, b) \otimes \underline{\mathrm{coHom}}(a', b')$.

1.8.32 InternalCoHomTensorProductCompatibilityMorphismWithGivenObjects (for IsCapCategoryObject, IsList, IsCapCategoryObject)

▷ `InternalCoHomTensorProductCompatibilityMorphismWithGivenObjects(s, list, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s, r)$.

The arguments are a list of four objects $[a, a', b, b']$, and two objects $s = \underline{\mathrm{coHom}}(a \otimes a', b \otimes b')$ and $r = \underline{\mathrm{coHom}}(a, b) \otimes \underline{\mathrm{coHom}}(a', b')$. The output is the natural morphism $\mathrm{InternalCoHomTensorProductCompatibilityMorphismWithGivenObjects}_{a,a',b,b'} : \underline{\mathrm{coHom}}(a \otimes a', b \otimes b') \rightarrow \underline{\mathrm{coHom}}(a, b) \otimes \underline{\mathrm{coHom}}(a', b')$.

1.8.33 CoDualityTensorProductCompatibilityMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `CoDualityTensorProductCompatibilityMorphism(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}((a \otimes b)_\vee, a_\vee \otimes b_\vee)$.

The arguments are two objects a, b. The output is the natural morphism $\mathrm{CoDualityTensorProductCompatibilityMorphism} : (a \otimes b)_\vee \rightarrow a_\vee \otimes b_\vee$.

1.8.34 CoDualityTensorProductCompatibilityMorphismWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `CoDualityTensorProductCompatibilityMorphismWithGivenObjects(s, a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s, r)$.

The arguments are an object $s = (a \otimes b)_\vee$, two objects a,b, and an object $r = a_\vee \otimes b_\vee$. The output is the natural morphism CoDualityTensorProductCompatibilityMorphismWithGivenObjects$_{a,b}$: $(a \otimes b)_\vee \to a_\vee \otimes b_\vee$.

1.8.35 MorphismFromInternalCoHomToTensorProduct (for IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismFromInternalCoHomToTensorProduct(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}(a,b), b_\vee \otimes a)$.

The arguments are two objects a,b. The output is the natural morphism MorphismFromInternalCoHomToTensorProduct$_{a,b}$: $\underline{\mathrm{coHom}}(a,b) \to b_\vee \otimes a$.

1.8.36 MorphismFromInternalCoHomToTensorProductWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismFromInternalCoHomToTensorProductWithGivenObjects(s, a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,r)$.

The arguments are an object $s = \underline{\mathrm{coHom}}(a,b)$, two objects a,b, and an object $r = b_\vee \otimes a$. The output is the natural morphism MorphismFromInternalCoHomToTensorProductWithGivenObjects$_{a,b}$: $\underline{\mathrm{coHom}}(a,b) \to a \otimes b_\vee$.

1.8.37 IsomorphismFromCoDualObjectToInternalCoHomFromTensorUnit (for IsCapCategoryObject)

▷ `IsomorphismFromCoDualObjectToInternalCoHomFromTensorUnit(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a_\vee, \underline{\mathrm{coHom}}(1,a))$.

The argument is an object a. The output is the isomorphism IsomorphismFromCoDualObjectToInternalCoHomFromTensorUnit$_a$: $a_\vee \to \underline{\mathrm{coHom}}(1,a)$.

1.8.38 IsomorphismFromInternalCoHomFromTensorUnitToCoDualObject (for IsCapCategoryObject)

▷ `IsomorphismFromInternalCoHomFromTensorUnitToCoDualObject(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}(1,a), a_\vee)$.

The argument is an object a. The output is the isomorphism IsomorphismFromInternalCoHomFromTensorUnitToCoDualObject$_a$: $\underline{\mathrm{coHom}}(1,a) \to a_\vee$.

1.8.39 UniversalPropertyOfCoDual (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `UniversalPropertyOfCoDual(t, a, alpha)` (operation)

Returns: a morphism in $\mathrm{Hom}(a_\vee, t)$.

The arguments are two objects t,a, and a morphism $\alpha : 1 \to t \otimes a$. The output is the morphism $a_\vee \to t$ given by the universal property of $a_\vee$.

1.8.40 CoLambdaIntroduction (for IsCapCategoryMorphism)

▷ `CoLambdaIntroduction(alpha)` (attribute)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}(a,b),1)$.

The argument is a morphism $\alpha : a \rightarrow b$. The output is the corresponding morphism $\underline{\mathrm{coHom}}(a,b) \rightarrow 1$ under the cohom tensor adjunction.

1.8.41 CoLambdaElimination (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryMorphism)

▷ `CoLambdaElimination(a, b, alpha)` (operation)

Returns: a morphism in $\mathrm{Hom}(a,b)$.

The arguments are two objects a,b, and a morphism $\alpha : \underline{\mathrm{coHom}}(a,b) \rightarrow 1$. The output is a morphism $a \rightarrow b$ corresponding to α under the cohom tensor adjunction.

1.8.42 IsomorphismFromObjectToInternalCoHom (for IsCapCategoryObject)

▷ `IsomorphismFromObjectToInternalCoHom(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a,\underline{\mathrm{coHom}}(a,1))$.

The argument is an object a. The output is the natural isomorphism $a \rightarrow \underline{\mathrm{coHom}}(a,1)$.

1.8.43 IsomorphismFromObjectToInternalCoHomWithGivenInternalCoHom (for IsCapCategoryObject, IsCapCategoryObject)

▷ `IsomorphismFromObjectToInternalCoHomWithGivenInternalCoHom(a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(a,r)$.

The argument is an object a, and an object $r = \underline{\mathrm{coHom}}(a,1)$. The output is the natural isomorphism $a \rightarrow \underline{\mathrm{coHom}}(a,1)$.

1.8.44 IsomorphismFromInternalCoHomToObject (for IsCapCategoryObject)

▷ `IsomorphismFromInternalCoHomToObject(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}(a,1),a)$.

The argument is an object a. The output is the natural isomorphism $\underline{\mathrm{coHom}}(a,1) \rightarrow a$.

1.8.45 IsomorphismFromInternalCoHomToObjectWithGivenInternalCoHom (for IsCapCategoryObject, IsCapCategoryObject)

▷ `IsomorphismFromInternalCoHomToObjectWithGivenInternalCoHom(a, s)` (operation)

Returns: a morphism in $\mathrm{Hom}(s,a)$.

The argument is an object a, and an object $s = \underline{\mathrm{coHom}}(a,1)$. The output is the natural isomorphism $\underline{\mathrm{coHom}}(a,1) \rightarrow a$.

1.9 Symmetric Closed Monoidal Categories

A monoidal category **C** which is symmetric and closed is called a *symmetric closed monoidal category*.

The corresponding GAP property is given by `IsSymmetricClosedMonoidalCategory`.

1.10 Symmetric Coclosed Monoidal Categories

A monoidal category **C** which is symmetric and coclosed is called a *symmetric coclosed monoidal category*.

The corresponding GAP property is given by `IsSymmetricCoclosedMonoidalCategory`.

1.11 Rigid Symmetric Closed Monoidal Categories

A symmetric closed monoidal category **C** satisfying

- the natural morphism

$\underline{\mathrm{Hom}}_\ell(a,a') \otimes \underline{\mathrm{Hom}}_\ell(b,b') \rightarrow \underline{\mathrm{Hom}}_\ell(a \otimes b, a' \otimes b')$ is an isomorphism,

- the natural morphism

$a \rightarrow \underline{\mathrm{Hom}}_\ell(\underline{\mathrm{Hom}}_\ell(a,1),1)$ is an isomorphism is called a *rigid symmetric closed monoidal category*.

If no operations involving the closed structure are installed manually, the internal hom objects will be derived as $\underline{\mathrm{Hom}}_\ell(a,b) := a^\vee \otimes b$ and, in particular, $\underline{\mathrm{Hom}}_\ell(a,1) := a^\vee \otimes 1$.

The corresponding GAP property is given by `IsRigidSymmetricClosedMonoidalCategory`.

1.11.1 IsomorphismFromTensorProductWithDualObjectToInternalHom (for IsCapCategoryObject, IsCapCategoryObject)

▷ `IsomorphismFromTensorProductWithDualObjectToInternalHom(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(a^\vee \otimes b, \underline{\mathrm{Hom}}(a,b))$.

The arguments are two objects a,b. The output is the natural morphism $\mathrm{IsomorphismFromTensorProductWithDualObjectToInternalHom}_{a,b} : a^\vee \otimes b \rightarrow \underline{\mathrm{Hom}}(a,b)$.

1.11.2 IsomorphismFromInternalHomToTensorProductWithDualObject (for IsCapCategoryObject, IsCapCategoryObject)

▷ `IsomorphismFromInternalHomToTensorProductWithDualObject(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}(a,b), a^\vee \otimes b)$.

The arguments are two objects a,b. The output is the inverse of IsomorphismFromTensorProductWithDualObjectToInternalHom, namely $\mathrm{IsomorphismFromInternalHomToTensorProductWithDualObject}_{a,b} : \underline{\mathrm{Hom}}(a,b) \rightarrow a^\vee \otimes b$.

1.11.3 MorphismFromInternalHomToTensorProduct (for IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismFromInternalHomToTensorProduct(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}(a,b), a^\vee \otimes b)$.

The arguments are two objects a,b. The output is the inverse of MorphismFromTensorProductToInternalHomWithGivenObjects, namely $\mathrm{MorphismFromInternalHomToTensorProductWithGivenObjects}_{a,b} : \underline{\mathrm{Hom}}(a,b) \rightarrow a^\vee \otimes b$.

1.11.4 MorphismFromInternalHomToTensorProductWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismFromInternalHomToTensorProductWithGivenObjects(s, a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}(a,b), a^{\vee} \otimes b)$.

The arguments are an object $s = \underline{\mathrm{Hom}}(a,b)$, two objects a,b, and an object $r = a^{\vee} \otimes b$. The output is the inverse of MorphismFromTensorProductToInternalHomWithGivenObjects, namely $\mathrm{MorphismFromInternalHomToTensorProductWithGivenObjects}_{a,b} : \underline{\mathrm{Hom}}(a,b) \rightarrow a^{\vee} \otimes b$.

1.11.5 TensorProductInternalHomCompatibilityMorphismInverse (for IsList)

▷ `TensorProductInternalHomCompatibilityMorphismInverse(list)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}(a \otimes b, a' \otimes b'), \underline{\mathrm{Hom}}(a,a') \otimes \underline{\mathrm{Hom}}(b,b'))$.

The argument is a list of four objects $[a,a',b,b']$. The output is the natural morphism $\mathrm{TensorProductInternalHomCompatibilityMorphismInverseWithGivenObjects}_{a,a',b,b'} : \underline{\mathrm{Hom}}(a \otimes b, a' \otimes b') \rightarrow \underline{\mathrm{Hom}}(a,a') \otimes \underline{\mathrm{Hom}}(b,b')$.

1.11.6 TensorProductInternalHomCompatibilityMorphismInverseWithGivenObjects (for IsCapCategoryObject, IsList, IsCapCategoryObject)

▷ `TensorProductInternalHomCompatibilityMorphismInverseWithGivenObjects(s, list, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{Hom}}(a \otimes b, a' \otimes b'), \underline{\mathrm{Hom}}(a,a') \otimes \underline{\mathrm{Hom}}(b,b'))$.

The arguments are a list of four objects $[a,a',b,b']$, and two objects $s = \underline{\mathrm{Hom}}(a \otimes b, a' \otimes b')$ and $r = \underline{\mathrm{Hom}}(a,a') \otimes \underline{\mathrm{Hom}}(b,b')$. The output is the natural morphism $\mathrm{TensorProductInternalHomCompatibilityMorphismInverseWithGivenObjects}_{a,a',b,b'} : \underline{\mathrm{Hom}}(a \otimes b, a' \otimes b') \rightarrow \underline{\mathrm{Hom}}(a,a') \otimes \underline{\mathrm{Hom}}(b,b')$.

1.11.7 CoevaluationForDual (for IsCapCategoryObject)

▷ `CoevaluationForDual(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(1, a \otimes a^{\vee})$.

The argument is an object a. The output is the coevaluation morphism $\mathrm{coev}_a : 1 \rightarrow a \otimes a^{\vee}$.

1.11.8 CoevaluationForDualWithGivenTensorProduct (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `CoevaluationForDualWithGivenTensorProduct(s, a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(1, a \otimes a^{\vee})$.

The arguments are an object $s = 1$, an object a, and an object $r = a \otimes a^{\vee}$. The output is the coevaluation morphism $\mathrm{coev}_a : 1 \rightarrow a \otimes a^{\vee}$.

1.11.9 TraceMap (for IsCapCategoryMorphism)

▷ `TraceMap(alpha)` (attribute)

Returns: a morphism in $\mathrm{Hom}(1,1)$.

The argument is an endomorphism $\alpha : a \rightarrow a$. The output is the trace morphism $\mathrm{trace}_{\alpha} : 1 \rightarrow 1$.

1.11.10 RankMorphism (for IsCapCategoryObject)

▷ `RankMorphism(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(1,1)$.

The argument is an object a. The output is the rank morphism $\mathrm{rank}_a : 1 \rightarrow 1$.

1.11.11 MorphismFromBidual (for IsCapCategoryObject)

▷ `MorphismFromBidual(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}((a^\vee)^\vee, a)$.

The argument is an object a. The output is the inverse of the morphism to the bidual $(a^\vee)^\vee \rightarrow a$.

1.11.12 MorphismFromBidualWithGivenBidual (for IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismFromBidualWithGivenBidual(a, s)` (operation)

Returns: a morphism in $\mathrm{Hom}((a^\vee)^\vee, a)$.

The argument is an object a, and an object $s = (a^\vee)^\vee$. The output is the inverse of the morphism to the bidual $(a^\vee)^\vee \rightarrow a$.

1.12 Rigid Symmetric Coclosed Monoidal Categories

A symmetric coclosed monoidal category **C** satisfying

- the natural morphism

$\underline{\mathrm{coHom}}(a \otimes a', b \otimes b') \rightarrow \underline{\mathrm{coHom}}(a,b) \otimes \underline{\mathrm{coHom}}(a',b')$ is an isomorphism,

- the natural morphism

$\underline{\mathrm{coHom}}(1, \underline{\mathrm{coHom}}(1,a)) \rightarrow a$ is an isomorphism is called a *rigid symmetric coclosed monoidal category*.

If no operations involving the coclosed structure are installed manually, the internal cohom objects will be derived as $\underline{\mathrm{coHom}}(a,b) := a \otimes b_\vee$ and, in particular, $\underline{\mathrm{coHom}}(1,a) := 1 \otimes a_\vee$.

The corresponding GAP property is given by `IsRigidSymmetricCoclosedMonoidalCategory`.

1.12.1 IsomorphismFromInternalCoHomToTensorProductWithCoDualObject (for IsCapCategoryObject, IsCapCategoryObject)

▷ `IsomorphismFromInternalCoHomToTensorProductWithCoDualObject(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}(a,b), b_\vee \otimes a)$.

The arguments are two objects a, b. The output is the natural morphism $\mathrm{IsomorphismFromInternalCoHomToTensorProductWithCoDualObjectWithGivenObjects}_{a,b} : \underline{\mathrm{coHom}}(a,b) \rightarrow b_\vee \otimes a$.

1.12.2 IsomorphismFromTensorProductWithCoDualObjectToInternalCoHom (for IsCapCategoryObject, IsCapCategoryObject)

▷ `IsomorphismFromTensorProductWithCoDualObjectToInternalCoHom(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(a_\vee \otimes b, \underline{\mathrm{coHom}}(b,a)$.

The arguments are two objects a,b. The output is the inverse of IsomorphismFromInternalCoHomToTensorProductWithCoDualObject, namely IsomorphismFromTensorProductWithCoDualObjectToInternalCoHom$_{a,b} : a_\vee \otimes b \to \underline{\mathrm{coHom}}(b,a)$.

1.12.3 MorphismFromTensorProductToInternalCoHom (for IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismFromTensorProductToInternalCoHom(a, b)` (operation)

Returns: a morphism in $\mathrm{Hom}(a_\vee \otimes b, \underline{\mathrm{coHom}}(b,a))$.

The arguments are two objects a,b. The output is the inverse of MorphismFromInternalCoHomToTensorProductWithGivenObjects, namely MorphismFromTensorProductToInternalCoHomWithGivenObjects$_{a,b} : a_\vee \otimes b \to \underline{\mathrm{coHom}}(b,a)$.

1.12.4 MorphismFromTensorProductToInternalCoHomWithGivenObjects (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismFromTensorProductToInternalCoHomWithGivenObjects(s, a, b, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(a_\vee \otimes b, \underline{\mathrm{coHom}}(b,a)$.

The arguments are an object $s_\vee = a \otimes b$, two objects a,b, and an object $r = \underline{\mathrm{coHom}}(b,a)$. The output is the inverse of MorphismFromInternalCoHomToTensorProductWithGivenObjects, namely MorphismFromTensorProductToInternalCoHomWithGivenObjects$_{a,b} : a_\vee \otimes b \to \underline{\mathrm{coHom}}(b,a)$.

1.12.5 InternalCoHomTensorProductCompatibilityMorphismInverse (for IsList)

▷ `InternalCoHomTensorProductCompatibilityMorphismInverse(list)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}(a,b) \otimes \underline{\mathrm{coHom}}(a',b'), \underline{\mathrm{coHom}}(a \otimes a', b \otimes b')$.

The argument is a list of four objects $[a,a',b,b']$. The output is the natural morphism InternalCoHomTensorProductCompatibilityMorphismInverseWithGivenObjects$_{a,a',b,b'}$: $\underline{\mathrm{coHom}}(a,b) \otimes \underline{\mathrm{coHom}}(a',b') \to \underline{\mathrm{coHom}}(a \otimes a', b \otimes b')$.

1.12.6 InternalCoHomTensorProductCompatibilityMorphismInverseWithGivenObjects (for IsCapCategoryObject, IsList, IsCapCategoryObject)

▷ `InternalCoHomTensorProductCompatibilityMorphismInverseWithGivenObjects(s, list, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(\underline{\mathrm{coHom}}(a,b) \otimes \underline{\mathrm{coHom}}(a',b'), \underline{\mathrm{coHom}}(a \otimes a', b \otimes b')$.

The arguments are a list of four objects $[a,a',b,b']$, and two objects $s = \underline{\mathrm{coHom}}(a,b) \otimes \underline{\mathrm{coHom}}(a',b')$ and $r = \underline{\mathrm{coHom}}(a \otimes a', b \otimes b')$. The output is the natural morphism InternalCoHomTensorProductCompatibilityMorphismInverseWithGivenObjects$_{a,a',b,b'}$: $\underline{\mathrm{coHom}}(a,b) \otimes \underline{\mathrm{coHom}}(a',b') \to \underline{\mathrm{coHom}}(a \otimes a', b \otimes b')$.

1.12.7 CoclosedCoevaluationForCoDual (for IsCapCategoryObject)

▷ `CoclosedCoevaluationForCoDual(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a \otimes a_\vee, 1)$.

The argument is an object a. The output is the coclosed coevaluation morphism $\mathrm{coclcoev}_a : a \otimes a_\vee \to 1$.

1.12.8 CoclosedCoevaluationForCoDualWithGivenTensorProduct (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `CoclosedCoevaluationForCoDualWithGivenTensorProduct(s, a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(a \otimes a_\vee, 1)$.

The arguments are an object $s = a \otimes a_\vee$, an object a, and an object $r = 1$. The output is the coclosed coevaluation morphism $\mathrm{coclcoev}_a : a \otimes a_\vee \to 1$.

1.12.9 CoTraceMap (for IsCapCategoryMorphism)

▷ `CoTraceMap(alpha)` (attribute)

Returns: a morphism in $\mathrm{Hom}(1, 1)$.

The argument is an endomorphism $\alpha : a \to a$. The output is the cotrace morphism $\mathrm{cotrace}_\alpha : 1 \to 1$.

1.12.10 CoRankMorphism (for IsCapCategoryObject)

▷ `CoRankMorphism(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(1, 1)$.

The argument is an object a. The output is the corank morphism $\mathrm{corank}_a : 1 \to 1$.

1.12.11 MorphismToCoBidual (for IsCapCategoryObject)

▷ `MorphismToCoBidual(a)` (attribute)

Returns: a morphism in $\mathrm{Hom}(a, (a_\vee)_\vee)$.

The argument is an object a. The output is the inverse of the morphism from the cobidual $a \to (a_\vee)_\vee$.

1.12.12 MorphismToCoBidualWithGivenCoBidual (for IsCapCategoryObject, IsCapCategoryObject)

▷ `MorphismToCoBidualWithGivenCoBidual(a, r)` (operation)

Returns: a morphism in $\mathrm{Hom}(a, (a_\vee)_\vee)$.

The argument is an object a, and an object $r = (a_\vee)_\vee$. The output is the inverse of the morphism from the cobidual $a \to (a_\vee)_\vee$.

1.13 Convenience Methods

1.13.1 InternalHom (for IsCapCategoryCell, IsCapCategoryCell)

▷ `InternalHom(a, b)` (operation)

Returns: a cell

This is a convenience method. The arguments are two cells a,b. The output is the internal hom cell. If a,b are two CAP objects the output is the internal Hom object $\underline{\mathrm{Hom}}(a,b)$. If at least one of the arguments is a CAP morphism the output is a CAP morphism, namely the internal hom on morphisms, where any object is replaced by its identity morphism.

1.13.2 InternalCoHom (for IsCapCategoryCell, IsCapCategoryCell)

▷ `InternalCoHom(a, b)` (operation)

Returns: a cell

This is a convenience method. The arguments are two cells a,b. The output is the internal cohom cell. If a,b are two CAP objects the output is the internal cohom object $\underline{\mathrm{coHom}}(a,b)$. If at least one of the arguments is a CAP morphism the output is a CAP morphism, namely the internal cohom on morphisms, where any object is replaced by its identity morphism.

1.13.3 LeftInternalHom (for IsCapCategoryCell, IsCapCategoryCell)

▷ `LeftInternalHom(a, b)` (operation)

Returns: a cell

This is a convenience method. The arguments are two cells a,b. The output is the internal hom cell. If a,b are two CAP objects the output is the internal Hom object $\underline{\mathrm{Hom}}_\ell(a,b)$. If at least one of the arguments is a CAP morphism the output is a CAP morphism, namely the internal hom on morphisms, where any object is replaced by its identity morphism.

1.13.4 LeftInternalCoHom (for IsCapCategoryCell, IsCapCategoryCell)

▷ `LeftInternalCoHom(a, b)` (operation)

Returns: a cell

This is a convenience method. The arguments are two cells a,b. The output is the internal cohom cell. If a,b are two CAP objects the output is the internal cohom object $\underline{\mathrm{coHom}}_\ell(a,b)$. If at least one of the arguments is a CAP morphism the output is a CAP morphism, namely the internal cohom on morphisms, where any object is replaced by its identity morphism.

1.14 Add-methods

1.14.1 AddLeftDistributivityExpanding (for IsCapCategory, IsFunction)

▷ `AddLeftDistributivityExpanding(C, F)` (operation)

▷ `AddLeftDistributivityExpanding(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftDistributivityExpanding`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,L) \mapsto$ `LeftDistributivityExpanding`(a,L).

1.14.2 AddLeftDistributivityExpandingWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddLeftDistributivityExpandingWithGivenObjects(C, F)` (operation)
▷ `AddLeftDistributivityExpandingWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftDistributivityExpandingWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,L,r) \mapsto$ `LeftDistributivityExpandingWithGivenObjects`(s,a,L,r).

1.14.3 AddLeftDistributivityFactoring (for IsCapCategory, IsFunction)

▷ `AddLeftDistributivityFactoring(C, F)` (operation)
▷ `AddLeftDistributivityFactoring(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftDistributivityFactoring`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,L) \mapsto$ `LeftDistributivityFactoring`(a,L).

1.14.4 AddLeftDistributivityFactoringWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddLeftDistributivityFactoringWithGivenObjects(C, F)` (operation)
▷ `AddLeftDistributivityFactoringWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftDistributivityFactoringWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,L,r) \mapsto$ `LeftDistributivityFactoringWithGivenObjects`(s,a,L,r).

1.14.5 AddRightDistributivityExpanding (for IsCapCategory, IsFunction)

▷ `AddRightDistributivityExpanding(C, F)` (operation)
▷ `AddRightDistributivityExpanding(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `RightDistributivityExpanding`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (L,a) \mapsto$ `RightDistributivityExpanding`(L,a).

1.14.6 AddRightDistributivityExpandingWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddRightDistributivityExpandingWithGivenObjects(C, F)` (operation)
▷ `AddRightDistributivityExpandingWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `RightDistributivityExpandingWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,L,a,r) \mapsto$ `RightDistributivityExpandingWithGivenObjects`(s,L,a,r).

1.14.7 AddRightDistributivityFactoring (for IsCapCategory, IsFunction)

▷ `AddRightDistributivityFactoring(C, F)` (operation)
▷ `AddRightDistributivityFactoring(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `RightDistributivityFactoring`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (L,a) \mapsto$ `RightDistributivityFactoring`(L,a).

1.14.8 AddRightDistributivityFactoringWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddRightDistributivityFactoringWithGivenObjects(C, F)` (operation)
▷ `AddRightDistributivityFactoringWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `RightDistributivityFactoringWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,L,a,r) \mapsto$ `RightDistributivityFactoringWithGivenObjects`(s,L,a,r).

1.14.9 AddBraiding (for IsCapCategory, IsFunction)

▷ `AddBraiding(C, F)` (operation)
▷ `AddBraiding(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `Braiding`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `Braiding`(a,b).

1.14.10 AddBraidingInverse (for IsCapCategory, IsFunction)

▷ `AddBraidingInverse(C, F)` (operation)
▷ `AddBraidingInverse(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `BraidingInverse`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `BraidingInverse`(a,b).

1.14.11 AddBraidingInverseWithGivenTensorProducts (for IsCapCategory, IsFunction)

▷ `AddBraidingInverseWithGivenTensorProducts(C, F)` (operation)
▷ `AddBraidingInverseWithGivenTensorProducts(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `BraidingInverseWithGivenTensorProducts`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,r) \mapsto$ `BraidingInverseWithGivenTensorProducts`(s,a,b,r).

1.14.12 AddBraidingWithGivenTensorProducts (for IsCapCategory, IsFunction)

▷ `AddBraidingWithGivenTensorProducts(C, F)` (operation)
▷ `AddBraidingWithGivenTensorProducts(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `BraidingWithGivenTensorProducts`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,r) \mapsto$ `BraidingWithGivenTensorProducts`(s,a,b,r).

1.14.13 AddClosedMonoidalLeftCoevaluationMorphism (for IsCapCategory, IsFunction)

▷ `AddClosedMonoidalLeftCoevaluationMorphism(C, F)` (operation)
▷ `AddClosedMonoidalLeftCoevaluationMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `ClosedMonoidalLeftCoevaluationMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `ClosedMonoidalLeftCoevaluationMorphism`(a,b).

1.14.14 AddClosedMonoidalLeftCoevaluationMorphismWithGivenRange (for IsCapCategory, IsFunction)

▷ `AddClosedMonoidalLeftCoevaluationMorphismWithGivenRange(C, F)` (operation)
▷ `AddClosedMonoidalLeftCoevaluationMorphismWithGivenRange(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `ClosedMonoidalLeftCoevaluationMorphismWithGivenRange`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,r) \mapsto$ `ClosedMonoidalLeftCoevaluationMorphismWithGivenRange`(a,b,r).

1.14.15 AddClosedMonoidalLeftEvaluationMorphism (for IsCapCategory, IsFunction)

▷ `AddClosedMonoidalLeftEvaluationMorphism(C, F)` (operation)
▷ `AddClosedMonoidalLeftEvaluationMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `ClosedMonoidalLeftEvaluationMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `ClosedMonoidalLeftEvaluationMorphism`(a,b).

1.14.16 AddClosedMonoidalLeftEvaluationMorphismWithGivenSource (for IsCapCategory, IsFunction)

▷ `AddClosedMonoidalLeftEvaluationMorphismWithGivenSource(C, F)` (operation)
▷ `AddClosedMonoidalLeftEvaluationMorphismWithGivenSource(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `ClosedMonoidalLeftEvaluationMorphismWithGivenSource`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,s) \mapsto$ `ClosedMonoidalLeftEvaluationMorphismWithGivenSource`(a,b,s).

1.14.17 AddClosedMonoidalRightCoevaluationMorphism (for IsCapCategory, IsFunction)

▷ `AddClosedMonoidalRightCoevaluationMorphism(C, F)` (operation)
▷ `AddClosedMonoidalRightCoevaluationMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `ClosedMonoidalRightCoevaluationMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `ClosedMonoidalRightCoevaluationMorphism`(a,b).

1.14.18 AddClosedMonoidalRightCoevaluationMorphismWithGivenRange (for IsCapCategory, IsFunction)

▷ `AddClosedMonoidalRightCoevaluationMorphismWithGivenRange(C, F)` (operation)
▷ `AddClosedMonoidalRightCoevaluationMorphismWithGivenRange(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `ClosedMonoidalRightCoevaluationMorphismWithGivenRange`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,r) \mapsto$ `ClosedMonoidalRightCoevaluationMorphismWithGivenRange`(a,b,r).

1.14.19 AddClosedMonoidalRightEvaluationMorphism (for IsCapCategory, IsFunction)

▷ `AddClosedMonoidalRightEvaluationMorphism(C, F)` (operation)
▷ `AddClosedMonoidalRightEvaluationMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `ClosedMonoidalRightEvaluationMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `ClosedMonoidalRightEvaluationMorphism`(a,b).

1.14.20 AddClosedMonoidalRightEvaluationMorphismWithGivenSource (for IsCapCategory, IsFunction)

▷ `AddClosedMonoidalRightEvaluationMorphismWithGivenSource(C, F)` (operation)
▷ `AddClosedMonoidalRightEvaluationMorphismWithGivenSource(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `ClosedMonoidalRightEvaluationMorphismWithGivenSource`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,s) \mapsto$ `ClosedMonoidalRightEvaluationMorphismWithGivenSource`(a,b,s).

1.14.21 AddDualOnMorphisms (for IsCapCategory, IsFunction)

▷ `AddDualOnMorphisms(C, F)` (operation)
▷ `AddDualOnMorphisms(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `DualOnMorphisms`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (alpha) \mapsto$ `DualOnMorphisms`$(alpha)$.

1.14.22 AddDualOnMorphismsWithGivenDuals (for IsCapCategory, IsFunction)

▷ `AddDualOnMorphismsWithGivenDuals(C, F)` (operation)
▷ `AddDualOnMorphismsWithGivenDuals(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `DualOnMorphismsWithGivenDuals`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s, alpha, r) \mapsto$ `DualOnMorphismsWithGivenDuals`$(s, alpha, r)$.

1.14.23 AddDualOnObjects (for IsCapCategory, IsFunction)

▷ `AddDualOnObjects(C, F)` (operation)
▷ `AddDualOnObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `DualOnObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `DualOnObjects`(a).

1.14.24 AddEvaluationForDual (for IsCapCategory, IsFunction)

▷ `AddEvaluationForDual(C, F)` (operation)
▷ `AddEvaluationForDual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `EvaluationForDual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `EvaluationForDual`(a).

1.14.25 AddEvaluationForDualWithGivenTensorProduct (for IsCapCategory, IsFunction)

▷ `AddEvaluationForDualWithGivenTensorProduct(C, F)` (operation)
▷ `AddEvaluationForDualWithGivenTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `EvaluationForDualWithGivenTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s, a, r) \mapsto$ `EvaluationForDualWithGivenTensorProduct`(s, a, r).

1.14.26 AddInternalHomOnMorphisms (for IsCapCategory, IsFunction)

▷ `AddInternalHomOnMorphisms(C, F)` (operation)
▷ `AddInternalHomOnMorphisms(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalHomOnMorphisms`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (alpha, beta) \mapsto$ `InternalHomOnMorphisms`$(alpha, beta)$.

1.14.27 AddInternalHomOnMorphismsWithGivenInternalHoms (for IsCapCategory, IsFunction)

▷ `AddInternalHomOnMorphismsWithGivenInternalHoms(C, F)` (operation)
▷ `AddInternalHomOnMorphismsWithGivenInternalHoms(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalHomOnMorphismsWithGivenInternalHoms`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s, alpha, beta, r) \mapsto$ `InternalHomOnMorphismsWithGivenInternalHoms`$(s, alpha, beta, r)$.

1.14.28 AddInternalHomOnObjects (for IsCapCategory, IsFunction)

▷ `AddInternalHomOnObjects(C, F)` (operation)
▷ `AddInternalHomOnObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalHomOnObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a, b) \mapsto$ `InternalHomOnObjects`(a, b).

1.14.29 AddInternalHomToTensorProductLeftAdjunctMorphism (for IsCapCategory, IsFunction)

▷ `AddInternalHomToTensorProductLeftAdjunctMorphism(C, F)` (operation)
▷ `AddInternalHomToTensorProductLeftAdjunctMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalHomToTensorProductLeftAdjunctMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (b, c, g) \mapsto$ `InternalHomToTensorProductLeftAdjunctMorphism`(b, c, g).

1.14.30 AddInternalHomToTensorProductLeftAdjunctMorphismWithGivenTensorProduct (for IsCapCategory, IsFunction)

▷ `AddInternalHomToTensorProductLeftAdjunctMorphismWithGivenTensorProduct(C, F)` (operation)
▷ `AddInternalHomToTensorProductLeftAdjunctMorphismWithGivenTensorProduct(C, F,`

weight) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation InternalHomToTensorProductLeftAdjunctMorphismWithGivenTensorProduct. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (b,c,g,s) \mapsto$ InternalHomToTensorProductLeftAdjunctMorphismWithGivenTensorProduct(b,c,g,s).

1.14.31 AddInternalHomToTensorProductLeftAdjunctionIsomorphism (for IsCapCategory, IsFunction)

▷ AddInternalHomToTensorProductLeftAdjunctionIsomorphism(*C*, *F*) (operation)

▷ AddInternalHomToTensorProductLeftAdjunctionIsomorphism(*C*, *F*, *weight*) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation InternalHomToTensorProductLeftAdjunctionIsomorphism. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,c) \mapsto$ InternalHomToTensorProductLeftAdjunctionIsomorphism(a,b,c).

1.14.32 AddInternalHomToTensorProductLeftAdjunctionIsomorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ AddInternalHomToTensorProductLeftAdjunctionIsomorphismWithGivenObjects(*C*, *F*) (operation)

▷ AddInternalHomToTensorProductLeftAdjunctionIsomorphismWithGivenObjects(*C*, *F*, *weight*) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation InternalHomToTensorProductLeftAdjunctionIsomorphismWithGivenObjects. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,c,r) \mapsto$ InternalHomToTensorProductLeftAdjunctionIsomorphismWithGivenObjects(s,a,b,c,r).

1.14.33 AddInternalHomToTensorProductRightAdjunctMorphism (for IsCapCategory, IsFunction)

▷ AddInternalHomToTensorProductRightAdjunctMorphism(*C*, *F*) (operation)

▷ AddInternalHomToTensorProductRightAdjunctMorphism(*C*, *F*, *weight*) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation InternalHomToTensorProductRightAdjunctMorphism. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,c,g) \mapsto$ InternalHomToTensorProductRightAdjunctMorphism(a,c,g).

1.14.34 AddInternalHomToTensorProductRightAdjunctMorphismWithGivenTensorProduct (for IsCapCategory, IsFunction)

▷ `AddInternalHomToTensorProductRightAdjunctMorphismWithGivenTensorProduct(C, F)` (operation)
▷ `AddInternalHomToTensorProductRightAdjunctMorphismWithGivenTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalHomToTensorProductRightAdjunctMorphismWithGivenTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,c,g,s) \mapsto$ `InternalHomToTensorProductRightAdjunctMorphismWithGivenTensorProduct`(a,c,g,s).

1.14.35 AddInternalHomToTensorProductRightAdjunctionIsomorphism (for IsCapCategory, IsFunction)

▷ `AddInternalHomToTensorProductRightAdjunctionIsomorphism(C, F)` (operation)
▷ `AddInternalHomToTensorProductRightAdjunctionIsomorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalHomToTensorProductRightAdjunctionIsomorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,c) \mapsto$ `InternalHomToTensorProductRightAdjunctionIsomorphism`(a,b,c).

1.14.36 AddInternalHomToTensorProductRightAdjunctionIsomorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddInternalHomToTensorProductRightAdjunctionIsomorphismWithGivenObjects(C, F)` (operation)
▷ `AddInternalHomToTensorProductRightAdjunctionIsomorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalHomToTensorProductRightAdjunctionIsomorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,c,r) \mapsto$ `InternalHomToTensorProductRightAdjunctionIsomorphismWithGivenObjects`(s,a,b,c,r).

1.14.37 AddIsomorphismFromDualObjectToInternalHomIntoTensorUnit (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromDualObjectToInternalHomIntoTensorUnit(C, F)` (operation)
▷ `AddIsomorphismFromDualObjectToInternalHomIntoTensorUnit(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromDualObjectToInternalHomIntoTensorUnit`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `IsomorphismFromDualObjectToInternalHomIntoTensorUnit`(a).

1.14.38 AddIsomorphismFromInternalHomIntoTensorUnitToDualObject (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromInternalHomIntoTensorUnitToDualObject(C, F)` (operation)
▷ `AddIsomorphismFromInternalHomIntoTensorUnitToDualObject(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromInternalHomIntoTensorUnitToDualObject`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `IsomorphismFromInternalHomIntoTensorUnitToDualObject`(a).

1.14.39 AddIsomorphismFromInternalHomToObject (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromInternalHomToObject(C, F)` (operation)
▷ `AddIsomorphismFromInternalHomToObject(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromInternalHomToObject`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `IsomorphismFromInternalHomToObject`(a).

1.14.40 AddIsomorphismFromInternalHomToObjectWithGivenInternalHom (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromInternalHomToObjectWithGivenInternalHom(C, F)` (operation)
▷ `AddIsomorphismFromInternalHomToObjectWithGivenInternalHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromInternalHomToObjectWithGivenInternalHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,s) \mapsto$ `IsomorphismFromInternalHomToObjectWithGivenInternalHom`(a,s).

1.14.41 AddIsomorphismFromObjectToInternalHom (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromObjectToInternalHom(C, F)` (operation)
▷ `AddIsomorphismFromObjectToInternalHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromObjectToInternalHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `IsomorphismFromObjectToInternalHom`(a).

1.14.42 AddIsomorphismFromObjectToInternalHomWithGivenInternalHom (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromObjectToInternalHomWithGivenInternalHom(C, F)` (operation)
▷ `AddIsomorphismFromObjectToInternalHomWithGivenInternalHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromObjectToInternalHomWithGivenInternalHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,r) \mapsto$ `IsomorphismFromObjectToInternalHomWithGivenInternalHom`(a,r).

1.14.43 AddLambdaElimination (for IsCapCategory, IsFunction)

▷ `AddLambdaElimination(C, F)` (operation)
▷ `AddLambdaElimination(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LambdaElimination`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,alpha) \mapsto$ `LambdaElimination`$(a,b,alpha)$.

1.14.44 AddLambdaIntroduction (for IsCapCategory, IsFunction)

▷ `AddLambdaIntroduction(C, F)` (operation)
▷ `AddLambdaIntroduction(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LambdaIntroduction`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (alpha) \mapsto$ `LambdaIntroduction`$(alpha)$.

1.14.45 AddMonoidalPostComposeMorphism (for IsCapCategory, IsFunction)

▷ `AddMonoidalPostComposeMorphism(C, F)` (operation)
▷ `AddMonoidalPostComposeMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MonoidalPostComposeMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,c) \mapsto$ `MonoidalPostComposeMorphism`(a,b,c).

1.14.46 AddMonoidalPostComposeMorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddMonoidalPostComposeMorphismWithGivenObjects(C, F)` (operation)
▷ `AddMonoidalPostComposeMorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MonoidalPostComposeMorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,c,r) \mapsto$ `MonoidalPostComposeMorphismWithGivenObjects`(s,a,b,c,r).

1.14.47 AddMonoidalPreComposeMorphism (for IsCapCategory, IsFunction)

▷ `AddMonoidalPreComposeMorphism(C, F)` (operation)
▷ `AddMonoidalPreComposeMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MonoidalPreComposeMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,c) \mapsto$ `MonoidalPreComposeMorphism`(a,b,c).

1.14.48 AddMonoidalPreComposeMorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddMonoidalPreComposeMorphismWithGivenObjects(C, F)` (operation)
▷ `AddMonoidalPreComposeMorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MonoidalPreComposeMorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,c,r) \mapsto$ `MonoidalPreComposeMorphismWithGivenObjects`(s,a,b,c,r).

1.14.49 AddMorphismFromTensorProductToInternalHom (for IsCapCategory, IsFunction)

▷ `AddMorphismFromTensorProductToInternalHom(C, F)` (operation)
▷ `AddMorphismFromTensorProductToInternalHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismFromTensorProductToInternalHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F:(a,b)\mapsto$ `MorphismFromTensorProductToInternalHom`(a,b).

1.14.50 AddMorphismFromTensorProductToInternalHomWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddMorphismFromTensorProductToInternalHomWithGivenObjects(C, F)` (operation)
▷ `AddMorphismFromTensorProductToInternalHomWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismFromTensorProductToInternalHomWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F:(s,a,b,r)\mapsto$ `MorphismFromTensorProductToInternalHomWithGivenObjects`(s,a,b,r).

1.14.51 AddMorphismToBidual (for IsCapCategory, IsFunction)

▷ `AddMorphismToBidual(C, F)` (operation)
▷ `AddMorphismToBidual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismToBidual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F:(a)\mapsto$ `MorphismToBidual`(a).

1.14.52 AddMorphismToBidualWithGivenBidual (for IsCapCategory, IsFunction)

▷ `AddMorphismToBidualWithGivenBidual(C, F)` (operation)
▷ `AddMorphismToBidualWithGivenBidual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismToBidualWithGivenBidual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F:(a,r)\mapsto$ `MorphismToBidualWithGivenBidual`(a,r).

1.14.53 AddTensorProductDualityCompatibilityMorphism (for IsCapCategory, IsFunction)

▷ `AddTensorProductDualityCompatibilityMorphism(C, F)` (operation)
▷ `AddTensorProductDualityCompatibilityMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductDualityCompatibilityMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `TensorProductDualityCompatibilityMorphism`(a,b).

1.14.54 AddTensorProductDualityCompatibilityMorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddTensorProductDualityCompatibilityMorphismWithGivenObjects(C, F)` (operation)
▷ `AddTensorProductDualityCompatibilityMorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductDualityCompatibilityMorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,r) \mapsto$ `TensorProductDualityCompatibilityMorphismWithGivenObjects`(s,a,b,r).

1.14.55 AddTensorProductInternalHomCompatibilityMorphism (for IsCapCategory, IsFunction)

▷ `AddTensorProductInternalHomCompatibilityMorphism(C, F)` (operation)
▷ `AddTensorProductInternalHomCompatibilityMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductInternalHomCompatibilityMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (list) \mapsto$ `TensorProductInternalHomCompatibilityMorphism`$(list)$.

1.14.56 AddTensorProductInternalHomCompatibilityMorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddTensorProductInternalHomCompatibilityMorphismWithGivenObjects(C, F)` (operation)
▷ `AddTensorProductInternalHomCompatibilityMorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation

`TensorProductInternalHomCompatibilityMorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (source, list, range) \mapsto$ `TensorProductInternalHomCompatibilityMorphismWithGivenObjects`$(source, list, range)$.

1.14.57 AddTensorProductToInternalHomLeftAdjunctMorphism (for IsCapCategory, IsFunction)

▷ `AddTensorProductToInternalHomLeftAdjunctMorphism(C, F)` (operation)
▷ `AddTensorProductToInternalHomLeftAdjunctMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductToInternalHomLeftAdjunctMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a, b, f) \mapsto$ `TensorProductToInternalHomLeftAdjunctMorphism`(a, b, f).

1.14.58 AddTensorProductToInternalHomLeftAdjunctMorphismWithGivenInternalHom (for IsCapCategory, IsFunction)

▷ `AddTensorProductToInternalHomLeftAdjunctMorphismWithGivenInternalHom(C, F)` (operation)
▷ `AddTensorProductToInternalHomLeftAdjunctMorphismWithGivenInternalHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductToInternalHomLeftAdjunctMorphismWithGivenInternalHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a, b, f, i) \mapsto$ `TensorProductToInternalHomLeftAdjunctMorphismWithGivenInternalHom`(a, b, f, i).

1.14.59 AddTensorProductToInternalHomLeftAdjunctionIsomorphism (for IsCapCategory, IsFunction)

▷ `AddTensorProductToInternalHomLeftAdjunctionIsomorphism(C, F)` (operation)
▷ `AddTensorProductToInternalHomLeftAdjunctionIsomorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductToInternalHomLeftAdjunctionIsomorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a, b, c) \mapsto$ `TensorProductToInternalHomLeftAdjunctionIsomorphism`(a, b, c).

1.14.60 AddTensorProductToInternalHomLeftAdjunctionIsomorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddTensorProductToInternalHomLeftAdjunctionIsomorphismWithGivenObjects(C, F)` (operation)

▷ `AddTensorProductToInternalHomLeftAdjunctionIsomorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductToInternalHomLeftAdjunctionIsomorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,c,r) \mapsto$ `TensorProductToInternalHomLeftAdjunctionIsomorphismWithGivenObjects`(s,a,b,c,r).

1.14.61 AddTensorProductToInternalHomRightAdjunctMorphism (for IsCapCategory, IsFunction)

▷ `AddTensorProductToInternalHomRightAdjunctMorphism(C, F)` (operation)

▷ `AddTensorProductToInternalHomRightAdjunctMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductToInternalHomRightAdjunctMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,f) \mapsto$ `TensorProductToInternalHomRightAdjunctMorphism`(a,b,f).

1.14.62 AddTensorProductToInternalHomRightAdjunctMorphismWithGivenInternalHom (for IsCapCategory, IsFunction)

▷ `AddTensorProductToInternalHomRightAdjunctMorphismWithGivenInternalHom(C, F)` (operation)

▷ `AddTensorProductToInternalHomRightAdjunctMorphismWithGivenInternalHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductToInternalHomRightAdjunctMorphismWithGivenInternalHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,f,i) \mapsto$ `TensorProductToInternalHomRightAdjunctMorphismWithGivenInternalHom`(a,b,f,i).

1.14.63 AddTensorProductToInternalHomRightAdjunctionIsomorphism (for IsCapCategory, IsFunction)

▷ `AddTensorProductToInternalHomRightAdjunctionIsomorphism(C, F)` (operation)

▷ `AddTensorProductToInternalHomRightAdjunctionIsomorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductToInternalHomRightAdjunctionIsomorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,c) \mapsto$ `TensorProductToInternalHomRightAdjunctionIsomorphism`(a,b,c).

1.14.64 AddTensorProductToInternalHomRightAdjunctionIsomorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddTensorProductToInternalHomRightAdjunctionIsomorphismWithGivenObjects(C, F)` (operation)
▷ `AddTensorProductToInternalHomRightAdjunctionIsomorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductToInternalHomRightAdjunctionIsomorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,c,r) \mapsto$ `TensorProductToInternalHomRightAdjunctionIsomorphismWithGivenObjects`(s,a,b,c,r).

1.14.65 AddUniversalPropertyOfDual (for IsCapCategory, IsFunction)

▷ `AddUniversalPropertyOfDual(C, F)` (operation)
▷ `AddUniversalPropertyOfDual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `UniversalPropertyOfDual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (t,a,alpha) \mapsto$ `UniversalPropertyOfDual`$(t,a,alpha)$.

1.14.66 AddCoDualOnMorphisms (for IsCapCategory, IsFunction)

▷ `AddCoDualOnMorphisms(C, F)` (operation)
▷ `AddCoDualOnMorphisms(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoDualOnMorphisms`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (alpha) \mapsto$ `CoDualOnMorphisms`$(alpha)$.

1.14.67 AddCoDualOnMorphismsWithGivenCoDuals (for IsCapCategory, IsFunction)

▷ `AddCoDualOnMorphismsWithGivenCoDuals(C, F)` (operation)
▷ `AddCoDualOnMorphismsWithGivenCoDuals(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation CoDualOnMorphismsWithGivenCoDuals. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s, alpha, r) \mapsto$ CoDualOnMorphismsWithGivenCoDuals$(s, alpha, r)$.

1.14.68 AddCoDualOnObjects (for IsCapCategory, IsFunction)

▷ AddCoDualOnObjects(C, F) (operation)
▷ AddCoDualOnObjects(C, F, weight) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation CoDualOnObjects. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ CoDualOnObjects(a).

1.14.69 AddCoDualityTensorProductCompatibilityMorphism (for IsCapCategory, IsFunction)

▷ AddCoDualityTensorProductCompatibilityMorphism(C, F) (operation)
▷ AddCoDualityTensorProductCompatibilityMorphism(C, F, weight) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation CoDualityTensorProductCompatibilityMorphism. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a, b) \mapsto$ CoDualityTensorProductCompatibilityMorphism(a, b).

1.14.70 AddCoDualityTensorProductCompatibilityMorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ AddCoDualityTensorProductCompatibilityMorphismWithGivenObjects(C, F) (operation)
▷ AddCoDualityTensorProductCompatibilityMorphismWithGivenObjects(C, F, weight) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation CoDualityTensorProductCompatibilityMorphismWithGivenObjects. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s, a, b, r) \mapsto$ CoDualityTensorProductCompatibilityMorphismWithGivenObjects(s, a, b, r).

1.14.71 AddCoLambdaElimination (for IsCapCategory, IsFunction)

▷ AddCoLambdaElimination(C, F) (operation)
▷ AddCoLambdaElimination(C, F, weight) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoLambdaElimination`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a, b, alpha) \mapsto$ `CoLambdaElimination`$(a, b, alpha)$.

1.14.72 AddCoLambdaIntroduction (for IsCapCategory, IsFunction)

▷ `AddCoLambdaIntroduction(C, F)` (operation)
▷ `AddCoLambdaIntroduction(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoLambdaIntroduction`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (alpha) \mapsto$ `CoLambdaIntroduction`$(alpha)$.

1.14.73 AddCoclosedEvaluationForCoDual (for IsCapCategory, IsFunction)

▷ `AddCoclosedEvaluationForCoDual(C, F)` (operation)
▷ `AddCoclosedEvaluationForCoDual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoclosedEvaluationForCoDual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `CoclosedEvaluationForCoDual`(a).

1.14.74 AddCoclosedEvaluationForCoDualWithGivenTensorProduct (for IsCapCategory, IsFunction)

▷ `AddCoclosedEvaluationForCoDualWithGivenTensorProduct(C, F)` (operation)
▷ `AddCoclosedEvaluationForCoDualWithGivenTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoclosedEvaluationForCoDualWithGivenTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s, a, r) \mapsto$ `CoclosedEvaluationForCoDualWithGivenTensorProduct`(s, a, r).

1.14.75 AddCoclosedMonoidalLeftCoevaluationMorphism (for IsCapCategory, IsFunction)

▷ `AddCoclosedMonoidalLeftCoevaluationMorphism(C, F)` (operation)
▷ `AddCoclosedMonoidalLeftCoevaluationMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoclosedMonoidalLeftCoevaluationMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `CoclosedMonoidalLeftCoevaluationMorphism`(a,b).

1.14.76 AddCoclosedMonoidalLeftCoevaluationMorphismWithGivenSource (for IsCapCategory, IsFunction)

▷ `AddCoclosedMonoidalLeftCoevaluationMorphismWithGivenSource(C, F)` (operation)
▷ `AddCoclosedMonoidalLeftCoevaluationMorphismWithGivenSource(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoclosedMonoidalLeftCoevaluationMorphismWithGivenSource`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,s) \mapsto$ `CoclosedMonoidalLeftCoevaluationMorphismWithGivenSource`(a,b,s).

1.14.77 AddCoclosedMonoidalLeftEvaluationMorphism (for IsCapCategory, IsFunction)

▷ `AddCoclosedMonoidalLeftEvaluationMorphism(C, F)` (operation)
▷ `AddCoclosedMonoidalLeftEvaluationMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoclosedMonoidalLeftEvaluationMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `CoclosedMonoidalLeftEvaluationMorphism`(a,b).

1.14.78 AddCoclosedMonoidalLeftEvaluationMorphismWithGivenRange (for IsCapCategory, IsFunction)

▷ `AddCoclosedMonoidalLeftEvaluationMorphismWithGivenRange(C, F)` (operation)
▷ `AddCoclosedMonoidalLeftEvaluationMorphismWithGivenRange(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoclosedMonoidalLeftEvaluationMorphismWithGivenRange`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,r) \mapsto$ `CoclosedMonoidalLeftEvaluationMorphismWithGivenRange`(a,b,r).

1.14.79 AddCoclosedMonoidalRightCoevaluationMorphism (for IsCapCategory, IsFunction)

▷ `AddCoclosedMonoidalRightCoevaluationMorphism(C, F)` (operation)
▷ `AddCoclosedMonoidalRightCoevaluationMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoclosedMonoidalRightCoevaluationMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `CoclosedMonoidalRightCoevaluationMorphism`(a,b).

1.14.80 AddCoclosedMonoidalRightCoevaluationMorphismWithGivenSource (for IsCapCategory, IsFunction)

▷ `AddCoclosedMonoidalRightCoevaluationMorphismWithGivenSource(C, F)` (operation)
▷ `AddCoclosedMonoidalRightCoevaluationMorphismWithGivenSource(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoclosedMonoidalRightCoevaluationMorphismWithGivenSource`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,s) \mapsto$ `CoclosedMonoidalRightCoevaluationMorphismWithGivenSource`(a,b,s).

1.14.81 AddCoclosedMonoidalRightEvaluationMorphism (for IsCapCategory, IsFunction)

▷ `AddCoclosedMonoidalRightEvaluationMorphism(C, F)` (operation)
▷ `AddCoclosedMonoidalRightEvaluationMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoclosedMonoidalRightEvaluationMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `CoclosedMonoidalRightEvaluationMorphism`(a,b).

1.14.82 AddCoclosedMonoidalRightEvaluationMorphismWithGivenRange (for IsCapCategory, IsFunction)

▷ `AddCoclosedMonoidalRightEvaluationMorphismWithGivenRange(C, F)` (operation)
▷ `AddCoclosedMonoidalRightEvaluationMorphismWithGivenRange(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoclosedMonoidalRightEvaluationMorphismWithGivenRange`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,r) \mapsto$ `CoclosedMonoidalRightEvaluationMorphismWithGivenRange`(a,b,r).

1.14.83 AddInternalCoHomOnMorphisms (for IsCapCategory, IsFunction)

▷ `AddInternalCoHomOnMorphisms(C, F)` (operation)
▷ `AddInternalCoHomOnMorphisms(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalCoHomOnMorphisms`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (alpha, beta) \mapsto$ `InternalCoHomOnMorphisms`$(alpha, beta)$.

1.14.84 AddInternalCoHomOnMorphismsWithGivenInternalCoHoms (for IsCapCategory, IsFunction)

▷ `AddInternalCoHomOnMorphismsWithGivenInternalCoHoms(C, F)` (operation)
▷ `AddInternalCoHomOnMorphismsWithGivenInternalCoHoms(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalCoHomOnMorphismsWithGivenInternalCoHoms`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s, alpha, beta, r) \mapsto$ `InternalCoHomOnMorphismsWithGivenInternalCoHoms`$(s, alpha, beta, r)$.

1.14.85 AddInternalCoHomOnObjects (for IsCapCategory, IsFunction)

▷ `AddInternalCoHomOnObjects(C, F)` (operation)
▷ `AddInternalCoHomOnObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalCoHomOnObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a, b) \mapsto$ `InternalCoHomOnObjects`(a, b).

1.14.86 AddInternalCoHomTensorProductCompatibilityMorphism (for IsCapCategory, IsFunction)

▷ `AddInternalCoHomTensorProductCompatibilityMorphism(C, F)` (operation)
▷ `AddInternalCoHomTensorProductCompatibilityMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalCoHomTensorProductCompatibilityMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (list) \mapsto$ `InternalCoHomTensorProductCompatibilityMorphism`$(list)$.

1.14.87 AddInternalCoHomTensorProductCompatibilityMorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddInternalCoHomTensorProductCompatibilityMorphismWithGivenObjects(C, F)` (operation)

▷ `AddInternalCoHomTensorProductCompatibilityMorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalCoHomTensorProductCompatibilityMorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (source, list, range) \mapsto$ `InternalCoHomTensorProductCompatibilityMorphismWithGivenObjects`$(source, list, range)$.

1.14.88 AddInternalCoHomToTensorProductLeftAdjunctMorphism (for IsCapCategory, IsFunction)

▷ `AddInternalCoHomToTensorProductLeftAdjunctMorphism(C, F)` (operation)

▷ `AddInternalCoHomToTensorProductLeftAdjunctMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalCoHomToTensorProductLeftAdjunctMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a, c, f) \mapsto$ `InternalCoHomToTensorProductLeftAdjunctMorphism`(a, c, f).

1.14.89 AddInternalCoHomToTensorProductLeftAdjunctMorphismWithGivenTensorProduct (for IsCapCategory, IsFunction)

▷ `AddInternalCoHomToTensorProductLeftAdjunctMorphismWithGivenTensorProduct(C, F)` (operation)

▷ `AddInternalCoHomToTensorProductLeftAdjunctMorphismWithGivenTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalCoHomToTensorProductLeftAdjunctMorphismWithGivenTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a, c, f, t) \mapsto$ `InternalCoHomToTensorProductLeftAdjunctMorphismWithGivenTensorProduct`(a, c, f, t).

1.14.90 AddInternalCoHomToTensorProductRightAdjunctMorphism (for IsCapCategory, IsFunction)

▷ `AddInternalCoHomToTensorProductRightAdjunctMorphism(C, F)` (operation)

▷ `AddInternalCoHomToTensorProductRightAdjunctMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalCoHomToTensorProductRightAdjunctMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,f) \mapsto$ `InternalCoHomToTensorProductRightAdjunctMorphism`(a,b,f).

1.14.91 AddInternalCoHomToTensorProductRightAdjunctMorphismWithGivenTensorProduct (for IsCapCategory, IsFunction)

▷ `AddInternalCoHomToTensorProductRightAdjunctMorphismWithGivenTensorProduct(C, F)` (operation)
▷ `AddInternalCoHomToTensorProductRightAdjunctMorphismWithGivenTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalCoHomToTensorProductRightAdjunctMorphismWithGivenTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,f,t) \mapsto$ `InternalCoHomToTensorProductRightAdjunctMorphismWithGivenTensorProduct`(a,b,f,t).

1.14.92 AddIsomorphismFromCoDualObjectToInternalCoHomFromTensorUnit (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromCoDualObjectToInternalCoHomFromTensorUnit(C, F)` (operation)
▷ `AddIsomorphismFromCoDualObjectToInternalCoHomFromTensorUnit(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromCoDualObjectToInternalCoHomFromTensorUnit`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `IsomorphismFromCoDualObjectToInternalCoHomFromTensorUnit`(a).

1.14.93 AddIsomorphismFromInternalCoHomFromTensorUnitToCoDualObject (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromInternalCoHomFromTensorUnitToCoDualObject(C, F)` (operation)
▷ `AddIsomorphismFromInternalCoHomFromTensorUnitToCoDualObject(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromInternalCoHomFromTensorUnitToCoDualObject`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `IsomorphismFromInternalCoHomFromTensorUnitToCoDualObject`(a).

1.14.94 AddIsomorphismFromInternalCoHomToObject (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromInternalCoHomToObject(C, F)` (operation)
▷ `AddIsomorphismFromInternalCoHomToObject(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromInternalCoHomToObject`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `IsomorphismFromInternalCoHomToObject`(a).

1.14.95 AddIsomorphismFromInternalCoHomToObjectWithGivenInternalCoHom (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromInternalCoHomToObjectWithGivenInternalCoHom(C, F)` (operation)
▷ `AddIsomorphismFromInternalCoHomToObjectWithGivenInternalCoHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromInternalCoHomToObjectWithGivenInternalCoHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,s) \mapsto$ `IsomorphismFromInternalCoHomToObjectWithGivenInternalCoHom`(a,s).

1.14.96 AddIsomorphismFromObjectToInternalCoHom (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromObjectToInternalCoHom(C, F)` (operation)
▷ `AddIsomorphismFromObjectToInternalCoHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromObjectToInternalCoHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `IsomorphismFromObjectToInternalCoHom`(a).

1.14.97 AddIsomorphismFromObjectToInternalCoHomWithGivenInternalCoHom (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromObjectToInternalCoHomWithGivenInternalCoHom(C, F)` (operation)
▷ `AddIsomorphismFromObjectToInternalCoHomWithGivenInternalCoHom(C, F, weight)`

(operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromObjectToInternalCoHomWithGivenInternalCoHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,r) \mapsto$ `IsomorphismFromObjectToInternalCoHomWithGivenInternalCoHom`(a,r).

1.14.98 AddMonoidalPostCoComposeMorphism (for IsCapCategory, IsFunction)

▷ `AddMonoidalPostCoComposeMorphism(C, F)` (operation)

▷ `AddMonoidalPostCoComposeMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MonoidalPostCoComposeMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,c) \mapsto$ `MonoidalPostCoComposeMorphism`(a,b,c).

1.14.99 AddMonoidalPostCoComposeMorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddMonoidalPostCoComposeMorphismWithGivenObjects(C, F)` (operation)

▷ `AddMonoidalPostCoComposeMorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MonoidalPostCoComposeMorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,c,r) \mapsto$ `MonoidalPostCoComposeMorphismWithGivenObjects`(s,a,b,c,r).

1.14.100 AddMonoidalPreCoComposeMorphism (for IsCapCategory, IsFunction)

▷ `AddMonoidalPreCoComposeMorphism(C, F)` (operation)

▷ `AddMonoidalPreCoComposeMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MonoidalPreCoComposeMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,c) \mapsto$ `MonoidalPreCoComposeMorphism`(a,b,c).

1.14.101 AddMonoidalPreCoComposeMorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddMonoidalPreCoComposeMorphismWithGivenObjects(C, F)` (operation)

▷ `AddMonoidalPreCoComposeMorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MonoidalPreCoComposeMorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F:(s,a,b,c,r)\mapsto$ `MonoidalPreCoComposeMorphismWithGivenObjects`(s,a,b,c,r).

1.14.102 AddMorphismFromCoBidual (for IsCapCategory, IsFunction)

▷ `AddMorphismFromCoBidual(C, F)` (operation)
▷ `AddMorphismFromCoBidual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismFromCoBidual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F:(a)\mapsto$ `MorphismFromCoBidual`(a).

1.14.103 AddMorphismFromCoBidualWithGivenCoBidual (for IsCapCategory, IsFunction)

▷ `AddMorphismFromCoBidualWithGivenCoBidual(C, F)` (operation)
▷ `AddMorphismFromCoBidualWithGivenCoBidual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismFromCoBidualWithGivenCoBidual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F:(a,s)\mapsto$ `MorphismFromCoBidualWithGivenCoBidual`(a,s).

1.14.104 AddMorphismFromInternalCoHomToTensorProduct (for IsCapCategory, IsFunction)

▷ `AddMorphismFromInternalCoHomToTensorProduct(C, F)` (operation)
▷ `AddMorphismFromInternalCoHomToTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismFromInternalCoHomToTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F:(a,b)\mapsto$ `MorphismFromInternalCoHomToTensorProduct`(a,b).

1.14.105 AddMorphismFromInternalCoHomToTensorProductWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddMorphismFromInternalCoHomToTensorProductWithGivenObjects(C, F)` (operation)
▷ `AddMorphismFromInternalCoHomToTensorProductWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismFromInternalCoHomToTensorProductWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,r) \mapsto$ `MorphismFromInternalCoHomToTensorProductWithGivenObjects`(s,a,b,r).

1.14.106 AddTensorProductToInternalCoHomLeftAdjunctMorphism (for IsCapCategory, IsFunction)

▷ `AddTensorProductToInternalCoHomLeftAdjunctMorphism(C, F)` (operation)
▷ `AddTensorProductToInternalCoHomLeftAdjunctMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductToInternalCoHomLeftAdjunctMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (b,c,g) \mapsto$ `TensorProductToInternalCoHomLeftAdjunctMorphism`(b,c,g).

1.14.107 AddTensorProductToInternalCoHomLeftAdjunctMorphismWithGivenInternalCoHom (for IsCapCategory, IsFunction)

▷ `AddTensorProductToInternalCoHomLeftAdjunctMorphismWithGivenInternalCoHom(C, F)` (operation)
▷ `AddTensorProductToInternalCoHomLeftAdjunctMorphismWithGivenInternalCoHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductToInternalCoHomLeftAdjunctMorphismWithGivenInternalCoHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (b,c,g,i) \mapsto$ `TensorProductToInternalCoHomLeftAdjunctMorphismWithGivenInternalCoHom`(b,c,g,i).

1.14.108 AddTensorProductToInternalCoHomRightAdjunctMorphism (for IsCapCategory, IsFunction)

▷ `AddTensorProductToInternalCoHomRightAdjunctMorphism(C, F)` (operation)
▷ `AddTensorProductToInternalCoHomRightAdjunctMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductToInternalCoHomRightAdjunctMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (b,c,g) \mapsto$ `TensorProductToInternalCoHomRightAdjunctMorphism`(b,c,g).

1.14.109 AddTensorProductToInternalCoHomRightAdjunctMorphismWithGivenInternalCoHom (for IsCapCategory, IsFunction)

▷ `AddTensorProductToInternalCoHomRightAdjunctMorphismWithGivenInternalCoHom(C, F)` (operation)
▷ `AddTensorProductToInternalCoHomRightAdjunctMorphismWithGivenInternalCoHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductToInternalCoHomRightAdjunctMorphismWithGivenInternalCoHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (b,c,g,i) \mapsto$ `TensorProductToInternalCoHomRightAdjunctMorphismWithGivenInternalCoHom`(b,c,g,i).

1.14.110 AddUniversalPropertyOfCoDual (for IsCapCategory, IsFunction)

▷ `AddUniversalPropertyOfCoDual(C, F)` (operation)
▷ `AddUniversalPropertyOfCoDual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `UniversalPropertyOfCoDual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (t,a,alpha) \mapsto$ `UniversalPropertyOfCoDual`$(t,a,alpha)$.

1.14.111 AddIsomorphismFromLeftDualObjectToLeftInternalHomIntoTensorUnit (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromLeftDualObjectToLeftInternalHomIntoTensorUnit(C, F)` (operation)
▷ `AddIsomorphismFromLeftDualObjectToLeftInternalHomIntoTensorUnit(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromLeftDualObjectToLeftInternalHomIntoTensorUnit`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `IsomorphismFromLeftDualObjectToLeftInternalHomIntoTensorUnit`(a).

1.14.112 AddIsomorphismFromLeftInternalHomIntoTensorUnitToLeftDualObject (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromLeftInternalHomIntoTensorUnitToLeftDualObject(C, F)` (operation)
▷ `AddIsomorphismFromLeftInternalHomIntoTensorUnitToLeftDualObject(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromLeftInternalHomIntoTensorUnitToLeftDualObject`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `IsomorphismFromLeftInternalHomIntoTensorUnitToLeftDualObject`(a).

1.14.113 AddIsomorphismFromLeftInternalHomToObject (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromLeftInternalHomToObject(C, F)` (operation)
▷ `AddIsomorphismFromLeftInternalHomToObject(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromLeftInternalHomToObject`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `IsomorphismFromLeftInternalHomToObject`(a).

1.14.114 AddIsomorphismFromLeftInternalHomToObjectWithGivenLeftInternalHom (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromLeftInternalHomToObjectWithGivenLeftInternalHom(C, F)` (operation)
▷ `AddIsomorphismFromLeftInternalHomToObjectWithGivenLeftInternalHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromLeftInternalHomToObjectWithGivenLeftInternalHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,s) \mapsto$ `IsomorphismFromLeftInternalHomToObjectWithGivenLeftInternalHom`(a,s).

1.14.115 AddIsomorphismFromObjectToLeftInternalHom (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromObjectToLeftInternalHom(C, F)` (operation)
▷ `AddIsomorphismFromObjectToLeftInternalHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromObjectToLeftInternalHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `IsomorphismFromObjectToLeftInternalHom`(a).

1.14.116 AddIsomorphismFromObjectToLeftInternalHomWithGivenLeftInternalHom (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromObjectToLeftInternalHomWithGivenLeftInternalHom(C, F)` (operation)
▷ `AddIsomorphismFromObjectToLeftInternalHomWithGivenLeftInternalHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromObjectToLeftInternalHomWithGivenLeftInternalHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,r) \mapsto$ `IsomorphismFromObjectToLeftInternalHomWithGivenLeftInternalHom`(a,r).

1.14.117 AddLeftClosedMonoidalCoevaluationMorphism (for IsCapCategory, IsFunction)

▷ `AddLeftClosedMonoidalCoevaluationMorphism(C, F)` (operation)
▷ `AddLeftClosedMonoidalCoevaluationMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftClosedMonoidalCoevaluationMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `LeftClosedMonoidalCoevaluationMorphism`(a,b).

1.14.118 AddLeftClosedMonoidalCoevaluationMorphismWithGivenRange (for IsCapCategory, IsFunction)

▷ `AddLeftClosedMonoidalCoevaluationMorphismWithGivenRange(C, F)` (operation)
▷ `AddLeftClosedMonoidalCoevaluationMorphismWithGivenRange(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftClosedMonoidalCoevaluationMorphismWithGivenRange`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,r) \mapsto$ `LeftClosedMonoidalCoevaluationMorphismWithGivenRange`(a,b,r).

1.14.119 AddLeftClosedMonoidalEvaluationForLeftDual (for IsCapCategory, IsFunction)

▷ `AddLeftClosedMonoidalEvaluationForLeftDual(C, F)` (operation)
▷ `AddLeftClosedMonoidalEvaluationForLeftDual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftClosedMonoidalEvaluationForLeftDual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `LeftClosedMonoidalEvaluationForLeftDual`(a).

1.14.120 AddLeftClosedMonoidalEvaluationForLeftDualWithGivenTensorProduct (for IsCapCategory, IsFunction)

▷ `AddLeftClosedMonoidalEvaluationForLeftDualWithGivenTensorProduct(C, F)` (operation)
▷ `AddLeftClosedMonoidalEvaluationForLeftDualWithGivenTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftClosedMonoidalEvaluationForLeftDualWithGivenTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,r) \mapsto$ `LeftClosedMonoidalEvaluationForLeftDualWithGivenTensorProduct`(s,a,r).

1.14.121 AddLeftClosedMonoidalEvaluationMorphism (for IsCapCategory, IsFunction)

▷ `AddLeftClosedMonoidalEvaluationMorphism(C, F)` (operation)
▷ `AddLeftClosedMonoidalEvaluationMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftClosedMonoidalEvaluationMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `LeftClosedMonoidalEvaluationMorphism`(a,b).

1.14.122 AddLeftClosedMonoidalEvaluationMorphismWithGivenSource (for IsCapCategory, IsFunction)

▷ `AddLeftClosedMonoidalEvaluationMorphismWithGivenSource(C, F)` (operation)
▷ `AddLeftClosedMonoidalEvaluationMorphismWithGivenSource(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftClosedMonoidalEvaluationMorphismWithGivenSource`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,s) \mapsto$ `LeftClosedMonoidalEvaluationMorphismWithGivenSource`(a,b,s).

1.14.123 AddLeftClosedMonoidalLambdaElimination (for IsCapCategory, IsFunction)

▷ `AddLeftClosedMonoidalLambdaElimination(C, F)` (operation)
▷ `AddLeftClosedMonoidalLambdaElimination(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftClosedMonoidalLambdaElimination`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,alpha) \mapsto$ `LeftClosedMonoidalLambdaElimination`$(a,b,alpha)$.

1.14.124 AddLeftClosedMonoidalLambdaIntroduction (for IsCapCategory, IsFunction)

▷ `AddLeftClosedMonoidalLambdaIntroduction(C, F)` (operation)
▷ `AddLeftClosedMonoidalLambdaIntroduction(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftClosedMonoidalLambdaIntroduction`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (alpha) \mapsto$ `LeftClosedMonoidalLambdaIntroduction`$(alpha)$.

1.14.125 AddLeftClosedMonoidalPostComposeMorphism (for IsCapCategory, IsFunction)

▷ `AddLeftClosedMonoidalPostComposeMorphism(C, F)` (operation)
▷ `AddLeftClosedMonoidalPostComposeMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftClosedMonoidalPostComposeMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,c) \mapsto$ `LeftClosedMonoidalPostComposeMorphism`(a,b,c).

1.14.126 AddLeftClosedMonoidalPostComposeMorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddLeftClosedMonoidalPostComposeMorphismWithGivenObjects(C, F)` (operation)
▷ `AddLeftClosedMonoidalPostComposeMorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftClosedMonoidalPostComposeMorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,c,r) \mapsto$ `LeftClosedMonoidalPostComposeMorphismWithGivenObjects`(s,a,b,c,r).

1.14.127 AddLeftClosedMonoidalPreComposeMorphism (for IsCapCategory, IsFunction)

▷ `AddLeftClosedMonoidalPreComposeMorphism(C, F)` (operation)
▷ `AddLeftClosedMonoidalPreComposeMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftClosedMonoidalPreComposeMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,c) \mapsto$ `LeftClosedMonoidalPreComposeMorphism`(a,b,c).

1.14.128 AddLeftClosedMonoidalPreComposeMorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddLeftClosedMonoidalPreComposeMorphismWithGivenObjects(C, F)` (operation)

▷ `AddLeftClosedMonoidalPreComposeMorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftClosedMonoidalPreComposeMorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,c,r) \mapsto$ `LeftClosedMonoidalPreComposeMorphismWithGivenObjects`(s,a,b,c,r).

1.14.129 AddLeftDualOnMorphisms (for IsCapCategory, IsFunction)

▷ `AddLeftDualOnMorphisms(C, F)` (operation)

▷ `AddLeftDualOnMorphisms(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftDualOnMorphisms`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (alpha) \mapsto$ `LeftDualOnMorphisms`$(alpha)$.

1.14.130 AddLeftDualOnMorphismsWithGivenLeftDuals (for IsCapCategory, IsFunction)

▷ `AddLeftDualOnMorphismsWithGivenLeftDuals(C, F)` (operation)

▷ `AddLeftDualOnMorphismsWithGivenLeftDuals(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftDualOnMorphismsWithGivenLeftDuals`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,alpha,r) \mapsto$ `LeftDualOnMorphismsWithGivenLeftDuals`$(s,alpha,r)$.

1.14.131 AddLeftDualOnObjects (for IsCapCategory, IsFunction)

▷ `AddLeftDualOnObjects(C, F)` (operation)

▷ `AddLeftDualOnObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftDualOnObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `LeftDualOnObjects`(a).

1.14.132 AddLeftInternalHomOnMorphisms (for IsCapCategory, IsFunction)

▷ `AddLeftInternalHomOnMorphisms(C, F)` (operation)
▷ `AddLeftInternalHomOnMorphisms(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftInternalHomOnMorphisms`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (alpha, beta) \mapsto$ `LeftInternalHomOnMorphisms`$(alpha, beta)$.

1.14.133 AddLeftInternalHomOnMorphismsWithGivenLeftInternalHoms (for IsCapCategory, IsFunction)

▷ `AddLeftInternalHomOnMorphismsWithGivenLeftInternalHoms(C, F)` (operation)
▷ `AddLeftInternalHomOnMorphismsWithGivenLeftInternalHoms(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftInternalHomOnMorphismsWithGivenLeftInternalHoms`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s, alpha, beta, r) \mapsto$ `LeftInternalHomOnMorphismsWithGivenLeftInternalHoms`$(s, alpha, beta, r)$.

1.14.134 AddLeftInternalHomOnObjects (for IsCapCategory, IsFunction)

▷ `AddLeftInternalHomOnObjects(C, F)` (operation)
▷ `AddLeftInternalHomOnObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftInternalHomOnObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a, b) \mapsto$ `LeftInternalHomOnObjects`(a, b).

1.14.135 AddLeftInternalHomToTensorProductAdjunctMorphism (for IsCapCategory, IsFunction)

▷ `AddLeftInternalHomToTensorProductAdjunctMorphism(C, F)` (operation)
▷ `AddLeftInternalHomToTensorProductAdjunctMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftInternalHomToTensorProductAdjunctMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (b,c,g) \mapsto$ `LeftInternalHomToTensorProductAdjunctMorphism`(b,c,g).

1.14.136 AddLeftInternalHomToTensorProductAdjunctMorphismWithGivenTensorProduct (for IsCapCategory, IsFunction)

▷ `AddLeftInternalHomToTensorProductAdjunctMorphismWithGivenTensorProduct(C, F)` (operation)

▷ `AddLeftInternalHomToTensorProductAdjunctMorphismWithGivenTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftInternalHomToTensorProductAdjunctMorphismWithGivenTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (b,c,g,t) \mapsto$ `LeftInternalHomToTensorProductAdjunctMorphismWithGivenTensorProduct`(b,c,g,t).

1.14.137 AddMorphismFromTensorProductToLeftInternalHom (for IsCapCategory, IsFunction)

▷ `AddMorphismFromTensorProductToLeftInternalHom(C, F)` (operation)

▷ `AddMorphismFromTensorProductToLeftInternalHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismFromTensorProductToLeftInternalHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `MorphismFromTensorProductToLeftInternalHom`(a,b).

1.14.138 AddMorphismFromTensorProductToLeftInternalHomWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddMorphismFromTensorProductToLeftInternalHomWithGivenObjects(C, F)` (operation)

▷ `AddMorphismFromTensorProductToLeftInternalHomWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismFromTensorProductToLeftInternalHomWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,r) \mapsto$ `MorphismFromTensorProductToLeftInternalHomWithGivenObjects`(s,a,b,r).

1.14.139 AddMorphismToLeftBidual (for IsCapCategory, IsFunction)

▷ `AddMorphismToLeftBidual(C, F)` (operation)
▷ `AddMorphismToLeftBidual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismToLeftBidual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `MorphismToLeftBidual`(a).

1.14.140 AddMorphismToLeftBidualWithGivenLeftBidual (for IsCapCategory, IsFunction)

▷ `AddMorphismToLeftBidualWithGivenLeftBidual(C, F)` (operation)
▷ `AddMorphismToLeftBidualWithGivenLeftBidual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismToLeftBidualWithGivenLeftBidual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,r) \mapsto$ `MorphismToLeftBidualWithGivenLeftBidual`(a,r).

1.14.141 AddTensorProductLeftDualityCompatibilityMorphism (for IsCapCategory, IsFunction)

▷ `AddTensorProductLeftDualityCompatibilityMorphism(C, F)` (operation)
▷ `AddTensorProductLeftDualityCompatibilityMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductLeftDualityCompatibilityMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `TensorProductLeftDualityCompatibilityMorphism`(a,b).

1.14.142 AddTensorProductLeftDualityCompatibilityMorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddTensorProductLeftDualityCompatibilityMorphismWithGivenObjects(C, F)` (operation)
▷ `AddTensorProductLeftDualityCompatibilityMorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductLeftDualityCompatibilityMorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,r) \mapsto$ `TensorProductLeftDualityCompatibilityMorphismWithGivenObjects`(s,a,b,r).

1.14.143 AddTensorProductLeftInternalHomCompatibilityMorphism (for IsCapCategory, IsFunction)

▷ `AddTensorProductLeftInternalHomCompatibilityMorphism(C, F)` (operation)
▷ `AddTensorProductLeftInternalHomCompatibilityMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductLeftInternalHomCompatibilityMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (list) \mapsto$ `TensorProductLeftInternalHomCompatibilityMorphism`$(list)$.

1.14.144 AddTensorProductLeftInternalHomCompatibilityMorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddTensorProductLeftInternalHomCompatibilityMorphismWithGivenObjects(C, F)` (operation)
▷ `AddTensorProductLeftInternalHomCompatibilityMorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductLeftInternalHomCompatibilityMorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (source, list, range) \mapsto$ `TensorProductLeftInternalHomCompatibilityMorphismWithGivenObjects`$(source, list, range)$.

1.14.145 AddTensorProductToLeftInternalHomAdjunctMorphism (for IsCapCategory, IsFunction)

▷ `AddTensorProductToLeftInternalHomAdjunctMorphism(C, F)` (operation)
▷ `AddTensorProductToLeftInternalHomAdjunctMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductToLeftInternalHomAdjunctMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a, b, f) \mapsto$ `TensorProductToLeftInternalHomAdjunctMorphism`(a, b, f).

1.14.146 AddTensorProductToLeftInternalHomAdjunctMorphismWithGivenLeftInternalHom (for IsCapCategory, IsFunction)

▷ `AddTensorProductToLeftInternalHomAdjunctMorphismWithGivenLeftInternalHom(C, F)` (operation)
▷ `AddTensorProductToLeftInternalHomAdjunctMorphismWithGivenLeftInternalHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductToLeftInternalHomAdjunctMorphismWithGivenLeftInternalHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,f,i) \mapsto$ `TensorProductToLeftInternalHomAdjunctMorphismWithGivenLeftInternalHom`(a,b,f,i).

1.14.147 AddUniversalPropertyOfLeftDual (for IsCapCategory, IsFunction)

▷ `AddUniversalPropertyOfLeftDual(C, F)` (operation)
▷ `AddUniversalPropertyOfLeftDual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `UniversalPropertyOfLeftDual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (t,a,alpha) \mapsto$ `UniversalPropertyOfLeftDual`$(t,a,alpha)$.

1.14.148 AddIsomorphismFromLeftCoDualObjectToLeftInternalCoHomFromTensorUnit (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromLeftCoDualObjectToLeftInternalCoHomFromTensorUnit(C, F)` (operation)
▷ `AddIsomorphismFromLeftCoDualObjectToLeftInternalCoHomFromTensorUnit(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromLeftCoDualObjectToLeftInternalCoHomFromTensorUnit`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `IsomorphismFromLeftCoDualObjectToLeftInternalCoHomFromTensorUnit`(a).

1.14.149 AddIsomorphismFromLeftInternalCoHomFromTensorUnitToLeftCoDualObject (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromLeftInternalCoHomFromTensorUnitToLeftCoDualObject(C, F)` (operation)
▷ `AddIsomorphismFromLeftInternalCoHomFromTensorUnitToLeftCoDualObject(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromLeftInternalCoHomFromTensorUnitToLeftCoDualObject`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `IsomorphismFromLeftInternalCoHomFromTensorUnitToLeftCoDualObject`(a).

1.14.150 AddIsomorphismFromLeftInternalCoHomToObject (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromLeftInternalCoHomToObject(C, F)` (operation)
▷ `AddIsomorphismFromLeftInternalCoHomToObject(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromLeftInternalCoHomToObject`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `IsomorphismFromLeftInternalCoHomToObject`(a).

1.14.151 AddIsomorphismFromLeftInternalCoHomToObjectWithGivenLeftInternalCoHom (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromLeftInternalCoHomToObjectWithGivenLeftInternalCoHom(C, F)` (operation)
▷ `AddIsomorphismFromLeftInternalCoHomToObjectWithGivenLeftInternalCoHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromLeftInternalCoHomToObjectWithGivenLeftInternalCoHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,s) \mapsto$ `IsomorphismFromLeftInternalCoHomToObjectWithGivenLeftInternalCoHom`(a,s).

1.14.152 AddIsomorphismFromObjectToLeftInternalCoHom (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromObjectToLeftInternalCoHom(C, F)` (operation)
▷ `AddIsomorphismFromObjectToLeftInternalCoHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromObjectToLeftInternalCoHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `IsomorphismFromObjectToLeftInternalCoHom`(a).

1.14.153 AddIsomorphismFromObjectToLeftInternalCoHomWithGivenLeftInternalCoHom (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromObjectToLeftInternalCoHomWithGivenLeftInternalCoHom(C, F)` (operation)
▷ `AddIsomorphismFromObjectToLeftInternalCoHomWithGivenLeftInternalCoHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation IsomorphismFromObjectToLeftInternalCoHomWithGivenLeftInternalCoHom. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,r) \mapsto$ IsomorphismFromObjectToLeftInternalCoHomWithGivenLeftInternalCoHom(a,r).

1.14.154 AddLeftCoDualOnMorphisms (for IsCapCategory, IsFunction)

▷ AddLeftCoDualOnMorphisms(C, F) (operation)
▷ AddLeftCoDualOnMorphisms(C, F, weight) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation LeftCoDualOnMorphisms. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (alpha) \mapsto$ LeftCoDualOnMorphisms$(alpha)$.

1.14.155 AddLeftCoDualOnMorphismsWithGivenLeftCoDuals (for IsCapCategory, IsFunction)

▷ AddLeftCoDualOnMorphismsWithGivenLeftCoDuals(C, F) (operation)
▷ AddLeftCoDualOnMorphismsWithGivenLeftCoDuals(C, F, weight) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation LeftCoDualOnMorphismsWithGivenLeftCoDuals. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,alpha,r) \mapsto$ LeftCoDualOnMorphismsWithGivenLeftCoDuals$(s,alpha,r)$.

1.14.156 AddLeftCoDualOnObjects (for IsCapCategory, IsFunction)

▷ AddLeftCoDualOnObjects(C, F) (operation)
▷ AddLeftCoDualOnObjects(C, F, weight) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation LeftCoDualOnObjects. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ LeftCoDualOnObjects(a).

1.14.157 AddLeftCoDualityTensorProductCompatibilityMorphism (for IsCapCategory, IsFunction)

▷ AddLeftCoDualityTensorProductCompatibilityMorphism(C, F) (operation)
▷ AddLeftCoDualityTensorProductCompatibilityMorphism(C, F, weight) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation LeftCoDualityTensorProductCompatibilityMorphism.

Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `LeftCoDualityTensorProductCompatibilityMorphism`(a,b).

1.14.158 AddLeftCoDualityTensorProductCompatibilityMorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddLeftCoDualityTensorProductCompatibilityMorphismWithGivenObjects(C, F)` (operation)

▷ `AddLeftCoDualityTensorProductCompatibilityMorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftCoDualityTensorProductCompatibilityMorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,r) \mapsto$ `LeftCoDualityTensorProductCompatibilityMorphismWithGivenObjects`(s,a,b,r).

1.14.159 AddLeftCoclosedMonoidalCoevaluationMorphism (for IsCapCategory, IsFunction)

▷ `AddLeftCoclosedMonoidalCoevaluationMorphism(C, F)` (operation)

▷ `AddLeftCoclosedMonoidalCoevaluationMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftCoclosedMonoidalCoevaluationMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `LeftCoclosedMonoidalCoevaluationMorphism`(a,b).

1.14.160 AddLeftCoclosedMonoidalCoevaluationMorphismWithGivenSource (for IsCapCategory, IsFunction)

▷ `AddLeftCoclosedMonoidalCoevaluationMorphismWithGivenSource(C, F)` (operation)

▷ `AddLeftCoclosedMonoidalCoevaluationMorphismWithGivenSource(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftCoclosedMonoidalCoevaluationMorphismWithGivenSource`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,s) \mapsto$ `LeftCoclosedMonoidalCoevaluationMorphismWithGivenSource`(a,b,s).

1.14.161 AddLeftCoclosedMonoidalEvaluationForLeftCoDual (for IsCapCategory, IsFunction)

▷ `AddLeftCoclosedMonoidalEvaluationForLeftCoDual(C, F)` (operation)
▷ `AddLeftCoclosedMonoidalEvaluationForLeftCoDual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftCoclosedMonoidalEvaluationForLeftCoDual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `LeftCoclosedMonoidalEvaluationForLeftCoDual`(a).

1.14.162 AddLeftCoclosedMonoidalEvaluationForLeftCoDualWithGivenTensorProduct (for IsCapCategory, IsFunction)

▷ `AddLeftCoclosedMonoidalEvaluationForLeftCoDualWithGivenTensorProduct(C, F)` (operation)
▷ `AddLeftCoclosedMonoidalEvaluationForLeftCoDualWithGivenTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftCoclosedMonoidalEvaluationForLeftCoDualWithGivenTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,r) \mapsto$ `LeftCoclosedMonoidalEvaluationForLeftCoDualWithGivenTensorProduct`(s,a,r).

1.14.163 AddLeftCoclosedMonoidalEvaluationMorphism (for IsCapCategory, IsFunction)

▷ `AddLeftCoclosedMonoidalEvaluationMorphism(C, F)` (operation)
▷ `AddLeftCoclosedMonoidalEvaluationMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftCoclosedMonoidalEvaluationMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `LeftCoclosedMonoidalEvaluationMorphism`(a,b).

1.14.164 AddLeftCoclosedMonoidalEvaluationMorphismWithGivenRange (for IsCapCategory, IsFunction)

▷ `AddLeftCoclosedMonoidalEvaluationMorphismWithGivenRange(C, F)` (operation)
▷ `AddLeftCoclosedMonoidalEvaluationMorphismWithGivenRange(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftCoclosedMonoidalEvaluationMorphismWithGivenRange`.

Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,r) \mapsto$ `LeftCoclosedMonoidalEvaluationMorphismWithGivenRange`(a,b,r).

1.14.165 AddLeftCoclosedMonoidalLambdaElimination (for IsCapCategory, IsFunction)

▷ `AddLeftCoclosedMonoidalLambdaElimination(C, F)` (operation)
▷ `AddLeftCoclosedMonoidalLambdaElimination(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftCoclosedMonoidalLambdaElimination`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,alpha) \mapsto$ `LeftCoclosedMonoidalLambdaElimination`$(a,b,alpha)$.

1.14.166 AddLeftCoclosedMonoidalLambdaIntroduction (for IsCapCategory, IsFunction)

▷ `AddLeftCoclosedMonoidalLambdaIntroduction(C, F)` (operation)
▷ `AddLeftCoclosedMonoidalLambdaIntroduction(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftCoclosedMonoidalLambdaIntroduction`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (alpha) \mapsto$ `LeftCoclosedMonoidalLambdaIntroduction`$(alpha)$.

1.14.167 AddLeftCoclosedMonoidalPostCoComposeMorphism (for IsCapCategory, IsFunction)

▷ `AddLeftCoclosedMonoidalPostCoComposeMorphism(C, F)` (operation)
▷ `AddLeftCoclosedMonoidalPostCoComposeMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftCoclosedMonoidalPostCoComposeMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,c) \mapsto$ `LeftCoclosedMonoidalPostCoComposeMorphism`(a,b,c).

1.14.168 AddLeftCoclosedMonoidalPostCoComposeMorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddLeftCoclosedMonoidalPostCoComposeMorphismWithGivenObjects(C, F)` (operation)
▷ `AddLeftCoclosedMonoidalPostCoComposeMorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftCoclosedMonoidalPostCoComposeMorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,c,r) \mapsto$ `LeftCoclosedMonoidalPostCoComposeMorphismWithGivenObjects`(s,a,b,c,r).

1.14.169 AddLeftCoclosedMonoidalPreCoComposeMorphism (for IsCapCategory, IsFunction)

▷ `AddLeftCoclosedMonoidalPreCoComposeMorphism(C, F)` (operation)
▷ `AddLeftCoclosedMonoidalPreCoComposeMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftCoclosedMonoidalPreCoComposeMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,c) \mapsto$ `LeftCoclosedMonoidalPreCoComposeMorphism`(a,b,c).

1.14.170 AddLeftCoclosedMonoidalPreCoComposeMorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddLeftCoclosedMonoidalPreCoComposeMorphismWithGivenObjects(C, F)` (operation)
▷ `AddLeftCoclosedMonoidalPreCoComposeMorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftCoclosedMonoidalPreCoComposeMorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,c,r) \mapsto$ `LeftCoclosedMonoidalPreCoComposeMorphismWithGivenObjects`(s,a,b,c,r).

1.14.171 AddLeftInternalCoHomOnMorphisms (for IsCapCategory, IsFunction)

▷ `AddLeftInternalCoHomOnMorphisms(C, F)` (operation)
▷ `AddLeftInternalCoHomOnMorphisms(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftInternalCoHomOnMorphisms`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (alpha, beta) \mapsto$ `LeftInternalCoHomOnMorphisms`$(alpha, beta)$.

1.14.172 AddLeftInternalCoHomOnMorphismsWithGivenLeftInternalCoHoms (for IsCapCategory, IsFunction)

▷ `AddLeftInternalCoHomOnMorphismsWithGivenLeftInternalCoHoms(C, F)` (operation)
▷ `AddLeftInternalCoHomOnMorphismsWithGivenLeftInternalCoHoms(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftInternalCoHomOnMorphismsWithGivenLeftInternalCoHoms`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s, alpha, beta, r) \mapsto$ `LeftInternalCoHomOnMorphismsWithGivenLeftInternalCoHoms`$(s, alpha, beta, r)$.

1.14.173 AddLeftInternalCoHomOnObjects (for IsCapCategory, IsFunction)

▷ `AddLeftInternalCoHomOnObjects(C, F)` (operation)
▷ `AddLeftInternalCoHomOnObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftInternalCoHomOnObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a, b) \mapsto$ `LeftInternalCoHomOnObjects`(a, b).

1.14.174 AddLeftInternalCoHomTensorProductCompatibilityMorphism (for IsCapCategory, IsFunction)

▷ `AddLeftInternalCoHomTensorProductCompatibilityMorphism(C, F)` (operation)
▷ `AddLeftInternalCoHomTensorProductCompatibilityMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftInternalCoHomTensorProductCompatibilityMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (list) \mapsto$ `LeftInternalCoHomTensorProductCompatibilityMorphism`$(list)$.

1.14.175 AddLeftInternalCoHomTensorProductCompatibilityMorphismWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddLeftInternalCoHomTensorProductCompatibilityMorphismWithGivenObjects(C, F)` (operation)
▷ `AddLeftInternalCoHomTensorProductCompatibilityMorphismWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftInternalCoHomTensorProductCompatibilityMorphismWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (source, list, range) \mapsto$ `LeftInternalCoHomTensorProductCompatibilityMorphismWithGivenObjects`$(source, list, range)$.

1.14.176 AddLeftInternalCoHomToTensorProductAdjunctMorphism (for IsCapCategory, IsFunction)

▷ `AddLeftInternalCoHomToTensorProductAdjunctMorphism(C, F)` (operation)
▷ `AddLeftInternalCoHomToTensorProductAdjunctMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftInternalCoHomToTensorProductAdjunctMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a, c, f) \mapsto$ `LeftInternalCoHomToTensorProductAdjunctMorphism`(a, c, f).

1.14.177 AddLeftInternalCoHomToTensorProductAdjunctMorphismWithGivenTensorProduct (for IsCapCategory, IsFunction)

▷ `AddLeftInternalCoHomToTensorProductAdjunctMorphismWithGivenTensorProduct(C, F)` (operation)
▷ `AddLeftInternalCoHomToTensorProductAdjunctMorphismWithGivenTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftInternalCoHomToTensorProductAdjunctMorphismWithGivenTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a, c, f, t) \mapsto$ `LeftInternalCoHomToTensorProductAdjunctMorphismWithGivenTensorProduct`(a, c, f, t).

1.14.178 AddMorphismFromLeftCoBidual (for IsCapCategory, IsFunction)

▷ `AddMorphismFromLeftCoBidual(C, F)` (operation)
▷ `AddMorphismFromLeftCoBidual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismFromLeftCoBidual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `MorphismFromLeftCoBidual`(a).

1.14.179 AddMorphismFromLeftCoBidualWithGivenLeftCoBidual (for IsCapCategory, IsFunction)

▷ `AddMorphismFromLeftCoBidualWithGivenLeftCoBidual(C, F)` (operation)
▷ `AddMorphismFromLeftCoBidualWithGivenLeftCoBidual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismFromLeftCoBidualWithGivenLeftCoBidual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,s) \mapsto$ `MorphismFromLeftCoBidualWithGivenLeftCoBidual`(a,s).

1.14.180 AddMorphismFromLeftInternalCoHomToTensorProduct (for IsCapCategory, IsFunction)

▷ `AddMorphismFromLeftInternalCoHomToTensorProduct(C, F)` (operation)
▷ `AddMorphismFromLeftInternalCoHomToTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismFromLeftInternalCoHomToTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `MorphismFromLeftInternalCoHomToTensorProduct`(a,b).

1.14.181 AddMorphismFromLeftInternalCoHomToTensorProductWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddMorphismFromLeftInternalCoHomToTensorProductWithGivenObjects(C, F)` (operation)
▷ `AddMorphismFromLeftInternalCoHomToTensorProductWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismFromLeftInternalCoHomToTensorProductWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,r) \mapsto$ `MorphismFromLeftInternalCoHomToTensorProductWithGivenObjects`(s,a,b,r).

1.14.182 AddTensorProductToLeftInternalCoHomAdjunctMorphism (for IsCapCategory, IsFunction)

▷ `AddTensorProductToLeftInternalCoHomAdjunctMorphism(C, F)` (operation)
▷ `AddTensorProductToLeftInternalCoHomAdjunctMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductToLeftInternalCoHomAdjunctMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (b,c,g) \mapsto$ `TensorProductToLeftInternalCoHomAdjunctMorphism`(b,c,g).

1.14.183 AddTensorProductToLeftInternalCoHomAdjunctMorphismWithGivenLeftInternalCoHom (for IsCapCategory, IsFunction)

▷ `AddTensorProductToLeftInternalCoHomAdjunctMorphismWithGivenLeftInternalCoHom(C, F)` (operation)
▷ `AddTensorProductToLeftInternalCoHomAdjunctMorphismWithGivenLeftInternalCoHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductToLeftInternalCoHomAdjunctMorphismWithGivenLeftInternalCoHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (b,c,g,i) \mapsto$ `TensorProductToLeftInternalCoHomAdjunctMorphismWithGivenLeftInternalCoHom`(b,c,g,i).

1.14.184 AddUniversalPropertyOfLeftCoDual (for IsCapCategory, IsFunction)

▷ `AddUniversalPropertyOfLeftCoDual(C, F)` (operation)
▷ `AddUniversalPropertyOfLeftCoDual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `UniversalPropertyOfLeftCoDual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (t,a,alpha) \mapsto$ `UniversalPropertyOfLeftCoDual`$(t,a,alpha)$.

1.14.185 AddAssociatorLeftToRight (for IsCapCategory, IsFunction)

▷ `AddAssociatorLeftToRight(C, F)` (operation)
▷ `AddAssociatorLeftToRight(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `AssociatorLeftToRight`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,c) \mapsto$ `AssociatorLeftToRight`(a,b,c).

1.14.186 AddAssociatorLeftToRightWithGivenTensorProducts (for IsCapCategory, IsFunction)

▷ `AddAssociatorLeftToRightWithGivenTensorProducts(C, F)` (operation)
▷ `AddAssociatorLeftToRightWithGivenTensorProducts(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `AssociatorLeftToRightWithGivenTensorProducts`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,c,r) \mapsto$ `AssociatorLeftToRightWithGivenTensorProducts`(s,a,b,c,r).

1.14.187 AddAssociatorRightToLeft (for IsCapCategory, IsFunction)

▷ AddAssociatorRightToLeft(*C, F*) (operation)
▷ AddAssociatorRightToLeft(*C, F, weight*) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `AssociatorRightToLeft`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b,c) \mapsto$ `AssociatorRightToLeft`(a,b,c).

1.14.188 AddAssociatorRightToLeftWithGivenTensorProducts (for IsCapCategory, IsFunction)

▷ AddAssociatorRightToLeftWithGivenTensorProducts(*C, F*) (operation)
▷ AddAssociatorRightToLeftWithGivenTensorProducts(*C, F, weight*) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `AssociatorRightToLeftWithGivenTensorProducts`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,c,r) \mapsto$ `AssociatorRightToLeftWithGivenTensorProducts`(s,a,b,c,r).

1.14.189 AddLeftUnitor (for IsCapCategory, IsFunction)

▷ AddLeftUnitor(*C, F*) (operation)
▷ AddLeftUnitor(*C, F, weight*) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftUnitor`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `LeftUnitor`(a).

1.14.190 AddLeftUnitorInverse (for IsCapCategory, IsFunction)

▷ AddLeftUnitorInverse(*C, F*) (operation)
▷ AddLeftUnitorInverse(*C, F, weight*) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftUnitorInverse`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `LeftUnitorInverse`(a).

1.14.191 AddLeftUnitorInverseWithGivenTensorProduct (for IsCapCategory, IsFunction)

▷ AddLeftUnitorInverseWithGivenTensorProduct(*C, F*) (operation)
▷ AddLeftUnitorInverseWithGivenTensorProduct(*C, F, weight*) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftUnitorInverseWithGivenTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,r) \mapsto$ `LeftUnitorInverseWithGivenTensorProduct`(a,r).

1.14.192 AddLeftUnitorWithGivenTensorProduct (for IsCapCategory, IsFunction)

▷ `AddLeftUnitorWithGivenTensorProduct(C, F)` (operation)
▷ `AddLeftUnitorWithGivenTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `LeftUnitorWithGivenTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,s) \mapsto$ `LeftUnitorWithGivenTensorProduct`(a,s).

1.14.193 AddRightUnitor (for IsCapCategory, IsFunction)

▷ `AddRightUnitor(C, F)` (operation)
▷ `AddRightUnitor(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `RightUnitor`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `RightUnitor`(a).

1.14.194 AddRightUnitorInverse (for IsCapCategory, IsFunction)

▷ `AddRightUnitorInverse(C, F)` (operation)
▷ `AddRightUnitorInverse(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `RightUnitorInverse`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `RightUnitorInverse`(a).

1.14.195 AddRightUnitorInverseWithGivenTensorProduct (for IsCapCategory, IsFunction)

▷ `AddRightUnitorInverseWithGivenTensorProduct(C, F)` (operation)
▷ `AddRightUnitorInverseWithGivenTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `RightUnitorInverseWithGivenTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,r) \mapsto$ `RightUnitorInverseWithGivenTensorProduct`(a,r).

1.14.196 AddRightUnitorWithGivenTensorProduct (for IsCapCategory, IsFunction)

▷ `AddRightUnitorWithGivenTensorProduct(C, F)` (operation)
▷ `AddRightUnitorWithGivenTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `RightUnitorWithGivenTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,s) \mapsto$ `RightUnitorWithGivenTensorProduct`(a,s).

1.14.197 AddTensorProductOnMorphisms (for IsCapCategory, IsFunction)

▷ `AddTensorProductOnMorphisms(C, F)` (operation)
▷ `AddTensorProductOnMorphisms(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductOnMorphisms`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (alpha,beta) \mapsto$ `TensorProductOnMorphisms`$(alpha,beta)$.

1.14.198 AddTensorProductOnMorphismsWithGivenTensorProducts (for IsCapCategory, IsFunction)

▷ `AddTensorProductOnMorphismsWithGivenTensorProducts(C, F)` (operation)
▷ `AddTensorProductOnMorphismsWithGivenTensorProducts(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductOnMorphismsWithGivenTensorProducts`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,alpha,beta,r) \mapsto$ `TensorProductOnMorphismsWithGivenTensorProducts`$(s,alpha,beta,r)$.

1.14.199 AddTensorProductOnObjects (for IsCapCategory, IsFunction)

▷ `AddTensorProductOnObjects(C, F)` (operation)
▷ `AddTensorProductOnObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductOnObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (arg2,arg3) \mapsto$ `TensorProductOnObjects`$(arg2,arg3)$.

1.14.200 AddTensorUnit (for IsCapCategory, IsFunction)

▷ `AddTensorUnit(C, F)` (operation)
▷ `AddTensorUnit(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorUnit`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : () \mapsto$ `TensorUnit`$()$.

1.14.201 AddCoevaluationForDual (for IsCapCategory, IsFunction)

▷ `AddCoevaluationForDual(C, F)` (operation)
▷ `AddCoevaluationForDual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoevaluationForDual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `CoevaluationForDual`(a).

1.14.202 AddCoevaluationForDualWithGivenTensorProduct (for IsCapCategory, IsFunction)

▷ `AddCoevaluationForDualWithGivenTensorProduct(C, F)` (operation)
▷ `AddCoevaluationForDualWithGivenTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoevaluationForDualWithGivenTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,r) \mapsto$ `CoevaluationForDualWithGivenTensorProduct`(s,a,r).

1.14.203 AddIsomorphismFromInternalHomToTensorProductWithDualObject (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromInternalHomToTensorProductWithDualObject(C, F)` (operation)
▷ `AddIsomorphismFromInternalHomToTensorProductWithDualObject(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromInternalHomToTensorProductWithDualObject`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `IsomorphismFromInternalHomToTensorProductWithDualObject`(a,b).

1.14.204 AddIsomorphismFromTensorProductWithDualObjectToInternalHom (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromTensorProductWithDualObjectToInternalHom(C, F)` (operation)
▷ `AddIsomorphismFromTensorProductWithDualObjectToInternalHom(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `IsomorphismFromTensorProductWithDualObjectToInternalHom`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `IsomorphismFromTensorProductWithDualObjectToInternalHom`(a,b).

1.14.205 AddMorphismFromBidual (for IsCapCategory, IsFunction)

▷ `AddMorphismFromBidual(C, F)` (operation)
▷ `AddMorphismFromBidual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismFromBidual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `MorphismFromBidual`(a).

1.14.206 AddMorphismFromBidualWithGivenBidual (for IsCapCategory, IsFunction)

▷ `AddMorphismFromBidualWithGivenBidual(C, F)` (operation)
▷ `AddMorphismFromBidualWithGivenBidual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismFromBidualWithGivenBidual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,s) \mapsto$ `MorphismFromBidualWithGivenBidual`(a,s).

1.14.207 AddMorphismFromInternalHomToTensorProduct (for IsCapCategory, IsFunction)

▷ `AddMorphismFromInternalHomToTensorProduct(C, F)` (operation)
▷ `AddMorphismFromInternalHomToTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismFromInternalHomToTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ `MorphismFromInternalHomToTensorProduct`(a,b).

1.14.208 AddMorphismFromInternalHomToTensorProductWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddMorphismFromInternalHomToTensorProductWithGivenObjects(C, F)` (operation)
▷ `AddMorphismFromInternalHomToTensorProductWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismFromInternalHomToTensorProductWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,b,r) \mapsto$ `MorphismFromInternalHomToTensorProductWithGivenObjects`(s,a,b,r).

1.14.209 AddRankMorphism (for IsCapCategory, IsFunction)

▷ `AddRankMorphism(C, F)` (operation)
▷ `AddRankMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `RankMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `RankMorphism`(a).

1.14.210 AddTensorProductInternalHomCompatibilityMorphismInverse (for IsCapCategory, IsFunction)

▷ `AddTensorProductInternalHomCompatibilityMorphismInverse(C, F)` (operation)
▷ `AddTensorProductInternalHomCompatibilityMorphismInverse(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductInternalHomCompatibilityMorphismInverse`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (list) \mapsto$ `TensorProductInternalHomCompatibilityMorphismInverse`$(list)$.

1.14.211 AddTensorProductInternalHomCompatibilityMorphismInverseWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddTensorProductInternalHomCompatibilityMorphismInverseWithGivenObjects(C, F)` (operation)
▷ `AddTensorProductInternalHomCompatibilityMorphismInverseWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TensorProductInternalHomCompatibilityMorphismInverseWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (source, list, range) \mapsto$ `TensorProductInternalHomCompatibilityMorphismInverseWithGivenObjects`$(source, list, range)$.

1.14.212 AddTraceMap (for IsCapCategory, IsFunction)

▷ `AddTraceMap(C, F)` (operation)
▷ `AddTraceMap(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `TraceMap`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (alpha) \mapsto$ `TraceMap`$(alpha)$.

1.14.213 AddCoRankMorphism (for IsCapCategory, IsFunction)

▷ `AddCoRankMorphism(C, F)` (operation)
▷ `AddCoRankMorphism(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoRankMorphism`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `CoRankMorphism`(a).

1.14.214 AddCoTraceMap (for IsCapCategory, IsFunction)

▷ `AddCoTraceMap(C, F)` (operation)
▷ `AddCoTraceMap(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoTraceMap`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (alpha) \mapsto$ `CoTraceMap`$(alpha)$.

1.14.215 AddCoclosedCoevaluationForCoDual (for IsCapCategory, IsFunction)

▷ `AddCoclosedCoevaluationForCoDual(C, F)` (operation)
▷ `AddCoclosedCoevaluationForCoDual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoclosedCoevaluationForCoDual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a) \mapsto$ `CoclosedCoevaluationForCoDual`(a).

1.14.216 AddCoclosedCoevaluationForCoDualWithGivenTensorProduct (for IsCapCategory, IsFunction)

▷ `AddCoclosedCoevaluationForCoDualWithGivenTensorProduct(C, F)` (operation)
▷ `AddCoclosedCoevaluationForCoDualWithGivenTensorProduct(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `CoclosedCoevaluationForCoDualWithGivenTensorProduct`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (s,a,r) \mapsto$ `CoclosedCoevaluationForCoDualWithGivenTensorProduct`(s,a,r).

1.14.217 AddInternalCoHomTensorProductCompatibilityMorphismInverse (for IsCapCategory, IsFunction)

▷ `AddInternalCoHomTensorProductCompatibilityMorphismInverse(C, F)` (operation)
▷ `AddInternalCoHomTensorProductCompatibilityMorphismInverse(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalCoHomTensorProductCompatibilityMorphismInverse`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (list) \mapsto$ `InternalCoHomTensorProductCompatibilityMorphismInverse`$(list)$.

1.14.218 AddInternalCoHomTensorProductCompatibilityMorphismInverseWithGivenObjects (for IsCapCategory, IsFunction)

▷ `AddInternalCoHomTensorProductCompatibilityMorphismInverseWithGivenObjects(C, F)` (operation)
▷ `AddInternalCoHomTensorProductCompatibilityMorphismInverseWithGivenObjects(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `InternalCoHomTensorProductCompatibilityMorphismInverseWithGivenObjects`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (source, list, range) \mapsto$ `InternalCoHomTensorProductCompatibilityMorphismInverseWithGivenObjects`$(source, list, range)$.

1.14.219 AddIsomorphismFromInternalCoHomToTensorProductWithCoDualObject (for IsCapCategory, IsFunction)

▷ `AddIsomorphismFromInternalCoHomToTensorProductWithCoDualObject(C, F)` (operation)
▷ `AddIsomorphismFromInternalCoHomToTensorProductWithCoDualObject(C, F, weight)`

(operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation IsomorphismFromInternalCoHomToTensorProductWithCoDualObject. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ IsomorphismFromInternalCoHomToTensorProductWithCoDualObject(a,b).

1.14.220 AddIsomorphismFromTensorProductWithCoDualObjectToInternalCoHom (for IsCapCategory, IsFunction)

▷ AddIsomorphismFromTensorProductWithCoDualObjectToInternalCoHom(C, F) (operation)
▷ AddIsomorphismFromTensorProductWithCoDualObjectToInternalCoHom(C, F, weight) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation IsomorphismFromTensorProductWithCoDualObjectToInternalCoHom. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ IsomorphismFromTensorProductWithCoDualObjectToInternalCoHom(a,b).

1.14.221 AddMorphismFromTensorProductToInternalCoHom (for IsCapCategory, IsFunction)

▷ AddMorphismFromTensorProductToInternalCoHom(C, F) (operation)
▷ AddMorphismFromTensorProductToInternalCoHom(C, F, weight) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation MorphismFromTensorProductToInternalCoHom. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F : (a,b) \mapsto$ MorphismFromTensorProductToInternalCoHom(a,b).

1.14.222 AddMorphismFromTensorProductToInternalCoHomWithGivenObjects (for IsCapCategory, IsFunction)

▷ AddMorphismFromTensorProductToInternalCoHomWithGivenObjects(C, F) (operation)
▷ AddMorphismFromTensorProductToInternalCoHomWithGivenObjects(C, F, weight) (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation MorphismFromTensorProductToInternalCoHomWithGivenObjects. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F:(s,a,b,r)\mapsto$ `MorphismFromTensorProductToInternalCoHomWithGivenObjects`(s,a,b,r).

1.14.223 AddMorphismToCoBidual (for IsCapCategory, IsFunction)

▷ `AddMorphismToCoBidual(C, F)` (operation)
▷ `AddMorphismToCoBidual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismToCoBidual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F:(a)\mapsto$ `MorphismToCoBidual`(a).

1.14.224 AddMorphismToCoBidualWithGivenCoBidual (for IsCapCategory, IsFunction)

▷ `AddMorphismToCoBidualWithGivenCoBidual(C, F)` (operation)
▷ `AddMorphismToCoBidualWithGivenCoBidual(C, F, weight)` (operation)

Returns: nothing

The arguments are a category C and a function F. This operation adds the given function F to the category for the basic operation `MorphismToCoBidualWithGivenCoBidual`. Optionally, a weight (default: 100) can be specified which should roughly correspond to the computational complexity of the function (lower weight = less complex = faster execution). $F:(a,r)\mapsto$ `MorphismToCoBidualWithGivenCoBidual`(a,r).

Chapter 2

Examples and Tests

2.1 Test functions

2.1.1 AdditiveMonoidalCategoriesTest

▷ `AdditiveMonoidalCategoriesTest(cat, a, L)` (function)

The arguments are

- a CAP category *cat*
- an object *a*
- a list *L* of objects

This function checks for every operation declared in AdditiveMonoidalCategories.gd if it is computable in the CAP category *cat*. If yes, then the operation is executed with the parameters given above and compared to the equivalent computation in the opposite category of *cat*. Pass the options

- `verbose := true` to output more information.
- `only_primitive_operations := true`, which is passed on to Opposite(), to only primitively install dual operations for primitively installed operations in *cat*. The advantage is, that more derivations might be tested. On the downside, this might test fewer dual_pre/postprocessor_funcs.

2.1.2 BraidedMonoidalCategoriesTest

▷ `BraidedMonoidalCategoriesTest(cat, a, b)` (function)

The arguments are

- a CAP category *cat*
- objects a, b

This function checks for every operation declared in BraidedMonoidalCategories.gd if it is computable in the CAP category *cat*. If yes, then the operation is executed with the parameters given above and compared to the equivalent computation in the opposite category of *cat*. Pass the options

- `verbose := true` to output more information.
- `only_primitive_operations := true`, which is passed on to Opposite(), to only primitively install dual operations for primitively installed operations in *cat*. The advantage is, that more derivations might be tested. On the downside, this might test fewer dual_pre/postprocessor_funcs.

2.1.3 ClosedMonoidalCategoriesTest

▷ `ClosedMonoidalCategoriesTest(cat, a, b, c, d, alpha, beta, gamma, delta, epsilon, zeta)` (function)

The arguments are

- a CAP category *cat*
- objects a,b,c,d
- a morphism $\alpha : a \to b$
- a morphism $\beta : c \to d$
- a morphism $\gamma : a \otimes b \to 1$
- a morphism $\delta : c \otimes d \to 1$
- a morphism $\varepsilon : 1 \to \mathrm{Hom}(a,b)$
- a morphism $\zeta : 1 \to \mathrm{Hom}(c,d)$

This function checks for every operation declared in ClosedMonoidalCategories.gd if it is computable in the CAP category *cat*. If yes, then the operation is executed with the parameters given above and compared to the equivalent computation in the opposite category of *cat*. Pass the options

- `verbose := true` to output more information.
- `only_primitive_operations := true`, which is passed on to Opposite(), to only primitively install dual operations for primitively installed operations in *cat*. The advantage is, that more derivations might be tested. On the downside, this might test fewer dual_pre/postprocessor_funcs.

2.1.4 ClosedMonoidalCategoriesTestWithGiven

▷ `ClosedMonoidalCategoriesTestWithGiven(cat, a, b, c, d, alpha, beta)` (function)

The arguments are

- a CAP category *cat*
- objects a,b,c,d
- a morphism $\alpha : a \to b$

- a morphism $\beta : c \to d$

This function checks for some *WithGiven operations declared in ClosedMonoidalCategories.gd if they are computable in the CAP category *cat*. If yes, then the operation is executed with the parameters given above and compared to the equivalent computation in the opposite category of *cat*. Pass the options

- `verbose := true` to output more information.
- `only_primitive_operations := true`, which is passed on to Opposite(), to only primitively install dual operations for primitively installed operations in *cat*. The advantage is, that more derivations might be tested. On the downside, this might test fewer dual_pre/postprocessor_funcs.

2.1.5 CoclosedMonoidalCategoriesTest

▷ `CoclosedMonoidalCategoriesTest(cat, a, b, c, d, alpha, beta, gamma, delta, epsilon, zeta)` (function)

The arguments are

- a CAP category *cat*
- objects a, b, c, d
- a morphism $\alpha : a \to b$
- a morphism $\beta : c \to d$
- a morphism $\gamma : 1 \to a \otimes b$
- a morphism $\delta : 1 \to c \otimes d$
- a morphism $\varepsilon : \mathrm{coHom}(a,b) \to 1$
- a morphism $\zeta : \mathrm{coHom}(c,d) \to 1$

This function checks for every operation declared in CoclosedMonoidalCategories.gd if it is computable in the CAP category *cat*. If yes, then the operation is executed with the parameters given above and compared to the equivalent computation in the opposite category of *cat*. Pass the options

- `verbose := true` to output more information.
- `only_primitive_operations := true`, which is passed on to Opposite(), to only primitively install dual operations for primitively installed operations in *cat*. The advantage is, that more derivations might be tested. On the downside, this might test fewer dual_pre/postprocessor_funcs.

2.1.6 CoclosedMonoidalCategoriesTestWithGiven

▷ `CoclosedMonoidalCategoriesTestWithGiven(cat, a, b, c, d, alpha, beta, gamma, delta, epsilon, zeta)` (function)

The arguments are

- a CAP category *cat*
- objects a,b,c,d
- a morphism $\alpha : a \to b$
- a morphism $\beta : c \to d$

This function checks for some *WithGiven operations declared in CoclosedMonoidalCategories.gd if they are computable in the CAP category *cat*. If yes, then the operation is executed with the parameters given above and compared to the equivalent computation in the opposite category of *cat*. Pass the options

- `verbose := true` to output more information.
- `only_primitive_operations := true`, which is passed on to Opposite(), to only primitively install dual operations for primitively installed operations in *cat*. The advantage is, that more derivations might be tested. On the downside, this might test fewer dual_pre/postprocessor_funcs.

2.1.7 LeftClosedMonoidalCategoriesTest

▷ `LeftClosedMonoidalCategoriesTest(cat, a, b, c, d, alpha, beta, gamma, delta, epsilon, zeta)` (function)

The arguments are

- a CAP category *cat*
- objects a,b,c,d
- a morphism $\alpha : a \to b$
- a morphism $\beta : c \to d$
- a morphism $\gamma : a \otimes b \to 1$
- a morphism $\delta : c \otimes d \to 1$
- a morphism $\varepsilon : 1 \to \mathrm{Hom}(a,b)$
- a morphism $\zeta : 1 \to \mathrm{Hom}(c,d)$

This function checks for every operation declared in LeftClosedMonoidalCategories.gd if it is computable in the CAP category *cat*. If yes, then the operation is executed with the parameters given above and compared to the equivalent computation in the opposite category of *cat*. Pass the options

- `verbose := true` to output more information.
- `only_primitive_operations := true`, which is passed on to Opposite(), to only primitively install dual operations for primitively installed operations in *cat*. The advantage is, that more derivations might be tested. On the downside, this might test fewer dual_pre/postprocessor_funcs.

2.1.8 LeftClosedMonoidalCategoriesTestWithGiven

▷ `LeftClosedMonoidalCategoriesTestWithGiven(cat, a, b, c, d, alpha, beta, gamma, delta, epsilon, zeta)` (function)

The arguments are

- a CAP category *cat*
- objects a,b,c,d
- a morphism $\alpha : a \rightarrow b$
- a morphism $\beta : c \rightarrow d$

This function checks for some *WithGiven operationS declared in LeftClosedMonoidalCategories.gd if they are computable in the CAP category *cat*. If yes, then the operation is executed with the parameters given above and compared to the equivalent computation in the opposite category of *cat*. Pass the options

- `verbose := true` to output more information.
- `only_primitive_operations := true`, which is passed on to Opposite(), to only primitively install dual operations for primitively installed operations in *cat*. The advantage is, that more derivations might be tested. On the downside, this might test fewer dual_pre/postprocessor_funcs.

2.1.9 LeftCoclosedMonoidalCategoriesTest

▷ `LeftCoclosedMonoidalCategoriesTest(cat, a, b, c, d, alpha, beta, gamma, delta, epsilon, zeta)` (function)

The arguments are

- a CAP category *cat*
- objects a,b,c,d
- a morphism $\alpha : a \rightarrow b$
- a morphism $\beta : c \rightarrow d$
- a morphism $\gamma : 1 \rightarrow a \otimes b$
- a morphism $\delta : 1 \rightarrow c \otimes d$

- a morphism $\varepsilon : \mathrm{coHom}(a,b) \to 1$
- a morphism $\zeta : \mathrm{coHom}(c,d) \to 1$

This function checks for every operation declared in LeftCoclosedMonoidalCategories.gd if it is computable in the CAP category *cat*. If yes, then the operation is executed with the parameters given above and compared to the equivalent computation in the opposite category of *cat*. Pass the options

- `verbose := true` to output more information.
- `only_primitive_operations := true`, which is passed on to Opposite(), to only primitively install dual operations for primitively installed operations in *cat*. The advantage is, that more derivations might be tested. On the downside, this might test fewer dual_pre/postprocessor_funcs.

2.1.10 LeftCoclosedMonoidalCategoriesTestWithGiven

▷ `LeftCoclosedMonoidalCategoriesTestWithGiven(cat, a, b, c, d, alpha, beta, gamma, delta, epsilon, zeta)` (function)

The arguments are

- a CAP category *cat*
- objects a,b,c,d
- a morphism $\alpha : a \to b$
- a morphism $\beta : c \to d$

This function checks for some *WithGiven operations declared in LeftCoclosedMonoidalCategories.gd if they are computable in the CAP category *cat*. If yes, then the operation is executed with the parameters given above and compared to the equivalent computation in the opposite category of *cat*. Pass the options

- `verbose := true` to output more information.
- `only_primitive_operations := true`, which is passed on to Opposite(), to only primitively install dual operations for primitively installed operations in *cat*. The advantage is, that more derivations might be tested. On the downside, this might test fewer dual_pre/postprocessor_funcs.

2.1.11 MonoidalCategoriesTensorProductOnObjectsAndTensorUnitTest

▷ `MonoidalCategoriesTensorProductOnObjectsAndTensorUnitTest(cat, a, b)` (function)

The arguments are

- a CAP category *cat*
- objects a,b

This function checks for every operation declared in MonoidalCategoriesTensorProductOnObjectsAndTensorUnit.gd if it is computable in the CAP category *cat*. If yes, then the operation is executed with the parameters given above and compared to the equivalent computation in the opposite category of *cat*. Pass the options

- `verbose := true` to output more information.
- `only_primitive_operations := true`, which is passed on to Opposite(), to only primitively install dual operations for primitively installed operations in *cat*. The advantage is, that more derivations might be tested. On the downside, this might test fewer dual_pre/postprocessor_funcs.

2.1.12 MonoidalCategoriesTest

▷ `MonoidalCategoriesTest(cat, a, b, c, alpha, beta)` (function)

The arguments are

- a CAP category *cat*
- objects a,b,c
- a morphism $\alpha : a \rightarrow b$
- a morphism $\beta : c \rightarrow d$

This function checks for every operation declared in MonoidalCategories.gd if it is computable in the CAP category *cat*. If yes, then the operation is executed with the parameters given above and compared to the equivalent computation in the opposite category of *cat*. Pass the options

- `verbose := true` to output more information.
- `only_primitive_operations := true`, which is passed on to Opposite(), to only primitively install dual operations for primitively installed operations in *cat*. The advantage is, that more derivations might be tested. On the downside, this might test fewer dual_pre/postprocessor_funcs.

2.1.13 RigidSymmetricClosedMonoidalCategoriesTest

▷ `RigidSymmetricClosedMonoidalCategoriesTest(cat, a, b, c, d, alpha)` (function)

The arguments are

- a CAP category *cat*
- objects a,b,c,d
- an endomorphism $\alpha : a \rightarrow a$

This function checks for every object and morphism declared in RigidSymmetricClosedMonoidalCategories.gd if it is computable in the CAP category *cat*. If yes, then the operation is executed with the parameters given above and compared to the equivalent computation in the opposite category of *cat*. Pass the options

- `verbose := true` to output more information.
- `only_primitive_operations := true`, which is passed on to Opposite(), to only primitively install dual operations for primitively installed operations in *cat*. The advantage is, that more derivations might be tested. On the downside, this might test fewer dual_pre/postprocessor_funcs.

2.1.14 RigidSymmetricCoclosedMonoidalCategoriesTest

▷ `RigidSymmetricCoclosedMonoidalCategoriesTest(cat, a, b, c, d, alpha)` (function)

The arguments are

- a CAP category *cat*
- objects a, b, c, d
- an endomorphism $\alpha : a \rightarrow a$

This function checks for every object and morphism declared in RigidSymmetricCoclosedMonoidalCategories.gd if it is computable in the CAP category *cat*. If yes, then the operation is executed with the parameters given above and compared to the equivalent computation in the opposite category of *cat*. Pass the options

- `verbose := true` to output more information.
- `only_primitive_operations := true`, which is passed on to Opposite(), to only primitively install dual operations for primitively installed operations in *cat*. The advantage is, that more derivations might be tested. On the downside, this might test fewer dual_pre/postprocessor_funcs.

Chapter 3

Code Generation for Monodial Categories

3.1 Monoidal Categories

3.1.1 WriteFileForMonoidalStructure

▷ `WriteFileForMonoidalStructure(`*key_val_rec*`,` *package_name*`,` *files_rec*`)` (function)

Returns: nothing

This functions uses the dictionary *key_val_rec* to create a new monoidal structure. It generates the necessary files in the package *package_name* using the file-correspondence table *files_rec*. See the implementation for details.

3.2 Closed Monoidal Categories

3.2.1 WriteFileForClosedMonoidalStructure

▷ `WriteFileForClosedMonoidalStructure(`*key_val_rec*`,` *package_name*`,` *files_rec*`)` (function)

Returns: nothing

This functions uses the dictionary *key_val_rec* to create a new closed monoidal structure. It generates the necessary files in the package *package_name* using the file-correspondence table *files_rec*. See the implementation for details.

3.2.2 WriteFileForLeftClosedMonoidalStructure

▷ `WriteFileForLeftClosedMonoidalStructure(`*key_val_rec*`,` *package_name*`,` *files_rec*`)` (function)

Returns: nothing

This functions uses the dictionary *key_val_rec* to create a new left closed monoidal structure. It generates the necessary files in the package *package_name* using the file-correspondence table *files_rec*. See the implementation for details.

3.3 Coclosed Monoidal Categories

3.3.1 WriteFileForCoclosedMonoidalStructure

▷ `WriteFileForCoclosedMonoidalStructure(`*key_val_rec*`,` *package_name*`,` *files_rec*`)` (function)

Returns: nothing

This functions uses the dictionary *key_val_rec* to create a new coclosed monoidal structure. It generates the necessary files in the package *package_name* using the file-correspondence table *files_rec*. See the implementation for details.

3.3.2 WriteFileForLeftCoclosedMonoidalStructure

▷ `WriteFileForLeftCoclosedMonoidalStructure(`*key_val_rec*`,` *package_name*`,` *files_rec*`)` (function)

Returns: nothing

This functions uses the dictionary *key_val_rec* to create a new left coclosed monoidal structure. It generates the necessary files in the package *package_name* using the file-correspondence table *files_rec*. See the implementation for details.

Chapter 4

The terminal category with multiple objects

This is an example of a category which is created using `CategoryConstructor` out of no input.

This category "lies" in all doctrines and can hence be used (in conjunction with `LazyCategory`) in order to check the type-correctness of the various derived methods provided by CAP or any CAP-based package.

4.1 Constructors

4.2 GAP Categories

Chapter 5

Legacy Operations and Synonyms

5.1 Legacy operations

5.1.1 CoclosedCoevaluationMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `CoclosedCoevaluationMorphism(a, b)` (operation)

This is a legacy operation for `CoclosedMonoidalLeftCoevaluationMorphism(` *b*, *a* `)`, i.e., with the first and second argument interchanged.

5.1.2 CoclosedCoevaluationMorphismWithGivenSource (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `CoclosedCoevaluationMorphismWithGivenSource(a, b, s)` (operation)

This is a legacy operation for `CoclosedMonoidalLeftCoevaluationMorphismWithGivenSource(` *b*, *a*, *s* `)`, i.e., with the first and second argument interchanged.

5.1.3 CoclosedEvaluationMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `CoclosedEvaluationMorphism(a, b)` (operation)

This is a legacy operation for `CoclosedMonoidalLeftEvaluationMorphism(` *b*, *a* `)`, i.e., with the first and second argument interchanged.

5.1.4 CoclosedEvaluationMorphismWithGivenRange (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `CoclosedEvaluationMorphismWithGivenRange(a, b, r)` (operation)

This is a legacy operation for `CoclosedMonoidalLeftEvaluationMorphismWithGivenRange(` *b*, *a*, *r* `)`, i.e., with the first and second argument interchanged.

5.1.5 CoevaluationMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `CoevaluationMorphism(a, b)` (operation)

This is a legacy operation for `ClosedMonoidalLeftCoevaluationMorphism( b, a )`, i.e., with the first and second argument interchanged.

5.1.6 CoevaluationMorphismWithGivenRange (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `CoevaluationMorphismWithGivenRange(a, b, r)` (operation)

This is a legacy operation for `ClosedMonoidalLeftCoevaluationMorphismWithGivenRange( b, a, r )`, i.e., with the first and second argument interchanged.

5.2 Synonyms for legacy operations

5.2.1 EvaluationMorphism (for IsCapCategoryObject, IsCapCategoryObject)

▷ `EvaluationMorphism(arg1, arg2)` (operation)

This is a synonym for `ClosedMonoidalLeftEvaluationMorphism`.

5.2.2 EvaluationMorphismWithGivenSource (for IsCapCategoryObject, IsCapCategoryObject, IsCapCategoryObject)

▷ `EvaluationMorphismWithGivenSource(arg1, arg2, arg3)` (operation)

This is a synonym for `ClosedMonoidalLeftEvaluationMorphismWithGivenSource`.

5.2.3 InternalCoHomToTensorProductAdjunctionMap (for IsObject)

▷ `InternalCoHomToTensorProductAdjunctionMap(arg)` (operation)

This is a synonym for `InternalCoHomToTensorProductLeftAdjunctMorphism`.

5.2.4 InternalCoHomToTensorProductAdjunctionMapWithGivenTensorProduct (for IsObject)

▷ `InternalCoHomToTensorProductAdjunctionMapWithGivenTensorProduct(arg)` (operation)

This is a synonym for `InternalCoHomToTensorProductLeftAdjunctionMapWithGivenTensorProduct`.

5.2.5 InternalHomToTensorProductAdjunctionMap (for IsObject)

▷ `InternalHomToTensorProductAdjunctionMap(arg)` (operation)

This is a synonym for `InternalHomToTensorProductLeftAdjunctMorphism`.

5.2.6 InternalHomToTensorProductAdjunctionMapWithGivenTensorProduct (for IsObject)

▷ `InternalHomToTensorProductAdjunctionMapWithGivenTensorProduct(arg)` (operation)

This is a synonym for `InternalHomToTensorProductLeftAdjunctionMapWithGivenTensorProduct`.

5.2.7 TensorProductToInternalCoHomAdjunctionMap (for IsObject)

▷ `TensorProductToInternalCoHomAdjunctionMap(arg)` (operation)

This is a synonym for `TensorProductToInternalCoHomLeftAdjunctMorphism`.

5.2.8 TensorProductToInternalCoHomAdjunctionMapWithGivenInternalCoHom (for IsObject)

▷ `TensorProductToInternalCoHomAdjunctionMapWithGivenInternalCoHom(arg)` (operation)

This is a synonym for `TensorProductToInternalCoHomLeftAdjunctMorphismWithGivenInternalCoHom`.

5.2.9 TensorProductToInternalHomAdjunctionMap (for IsObject)

▷ `TensorProductToInternalHomAdjunctionMap(arg)` (operation)

This is a synonym for `TensorProductToInternalHomLeftAdjunctMorphism`.

5.2.10 TensorProductToInternalHomAdjunctionMapWithGivenInternalHom (for IsObject)

▷ `TensorProductToInternalHomAdjunctionMapWithGivenInternalHom(arg)` (operation)

This is a synonym for `TensorProductToInternalHomLeftAdjunctMorphismWithGivenInternalHom`.

5.2.11 InternalCoHomToTensorProductLeftAdjunctionMap (for IsObject)

▷ `InternalCoHomToTensorProductLeftAdjunctionMap(arg)` (operation)

This is a synonym for `InternalCoHomToTensorProductLeftAdjunctMorphism`.

5.2.12 InternalHomToTensorProductLeftAdjunctionMap (for IsObject)

▷ `InternalHomToTensorProductLeftAdjunctionMap(arg)` (operation)

This is a synonym for `InternalHomToTensorProductLeftAdjunctMorphism`.

5.2.13 TensorProductToInternalCoHomLeftAdjunctionMap (for IsObject)

▷ `TensorProductToInternalCoHomLeftAdjunctionMap(arg)` (operation)

This is a synonym for `TensorProductToInternalCoHomLeftAdjunctMorphism`.

5.2.14 TensorProductToInternalCoHomLeftAdjunctionMapWithGivenInternalCoHom (for IsObject)

▷ `TensorProductToInternalCoHomLeftAdjunctionMapWithGivenInternalCoHom(arg)` (operation)

This is a synonym for `TensorProductToInternalCoHomLeftAdjunctMorphismWithGivenInternalCoHom`.

5.2.15 TensorProductToInternalHomLeftAdjunctionMap (for IsObject)

▷ `TensorProductToInternalHomLeftAdjunctionMap(arg)` (operation)

This is a synonym for `TensorProductToInternalHomLeftAdjunctMorphism`.

5.2.16 TensorProductToInternalHomLeftAdjunctionMapWithGivenInternalHom (for IsObject)

▷ `TensorProductToInternalHomLeftAdjunctionMapWithGivenInternalHom(arg)` (operation)

This is a synonym for `TensorProductToInternalHomLeftAdjunctMorphismWithGivenInternalHom`.

Chapter 6

MonoidalCategories automatic generated documentation

6.1 MonoidalCategories automatic generated documentation of properties

6.1.1 IsBraidedMonoidalCategory (for IsCapCategory)

▷ `IsBraidedMonoidalCategory(C)` (property)

Returns: `true` or `false`

The property of the category C being braided monoidal.

6.1.2 IsClosedMonoidalCategory (for IsCapCategory)

▷ `IsClosedMonoidalCategory(C)` (property)

Returns: `true` or `false`

The property of the category C being (bi)closed monoidal.

6.1.3 IsCoclosedMonoidalCategory (for IsCapCategory)

▷ `IsCoclosedMonoidalCategory(C)` (property)

Returns: `true` or `false`

The property of the category C being (bi)coclosed monoidal.

6.1.4 IsLeftClosedMonoidalCategory (for IsCapCategory)

▷ `IsLeftClosedMonoidalCategory(C)` (property)

Returns: `true` or `false`

The property of the category C being left closed monoidal.

6.1.5 IsLeftCoclosedMonoidalCategory (for IsCapCategory)

▷ `IsLeftCoclosedMonoidalCategory(C)` (property)

Returns: `true` or `false`

The property of the category C being coclosed monoidal.

6.1.6 IsMonoidalCategory (for IsCapCategory)

▷ `IsMonoidalCategory(C)` (property)

Returns: `true` or `false`

The property of the category *C* being monoidal.

6.1.7 IsStrictMonoidalCategory (for IsCapCategory)

▷ `IsStrictMonoidalCategory(C)` (property)

Returns: `true` or `false`

The property of the category *C* being strict monoidal.

6.1.8 IsRigidSymmetricClosedMonoidalCategory (for IsCapCategory)

▷ `IsRigidSymmetricClosedMonoidalCategory(C)` (property)

Returns: `true` or `false`

The property of the category *C* being rigid symmetric closed monoidal.

6.1.9 IsRigidSymmetricCoclosedMonoidalCategory (for IsCapCategory)

▷ `IsRigidSymmetricCoclosedMonoidalCategory(C)` (property)

Returns: `true` or `false`

The property of the category *C* being rigid symmetric coclosed monoidal.

6.1.10 IsSymmetricClosedMonoidalCategory (for IsCapCategory)

▷ `IsSymmetricClosedMonoidalCategory(C)` (property)

Returns: `true` or `false`

The property of the category *C* being symmetric closed monoidal.

6.1.11 IsSymmetricCoclosedMonoidalCategory (for IsCapCategory)

▷ `IsSymmetricCoclosedMonoidalCategory(C)` (property)

Returns: `true` or `false`

The property of the category *C* being symmetric coclosed monoidal.

6.1.12 IsSymmetricMonoidalCategory (for IsCapCategory)

▷ `IsSymmetricMonoidalCategory(C)` (property)

Returns: `true` or `false`

The property of the category *C* being symmetric monoidal.

Index